

# **Stealth SUSY**

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**Based on work with Matt Reece and Josh Ruderman  
arXiv:1105.5135 [hep-ph], work in progress**

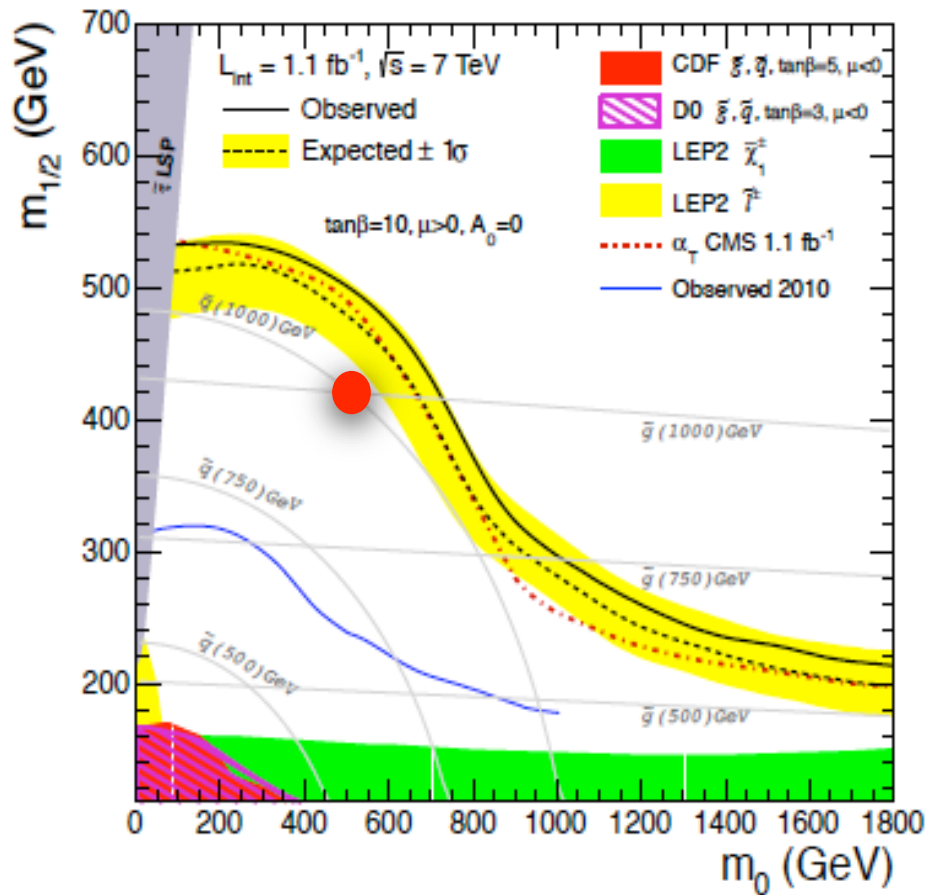
- 🌐 **So far Jets+ MET searches at the LHC have already placed strong limits on the colored MSSM superpartners in R-parity conserving scenarios**

CMS: HT+missing HT search

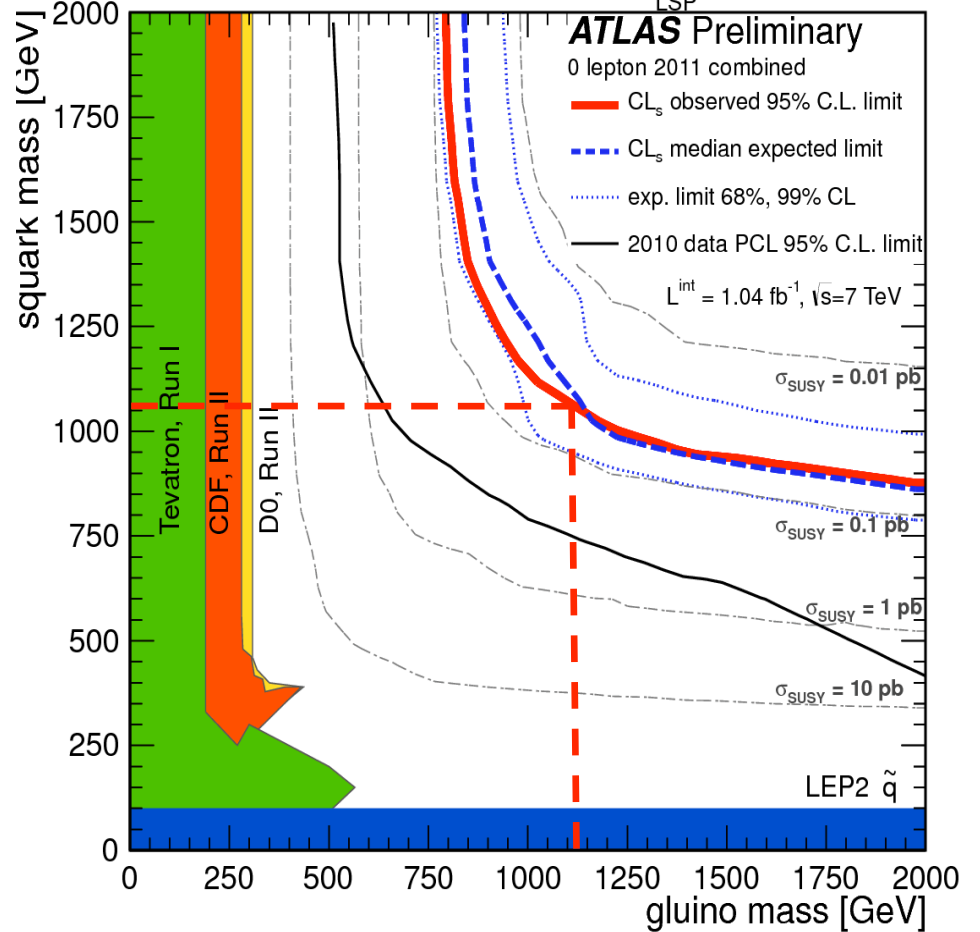
ATLAS: MET +  $m_{\text{eff}}$  search

$M_{\text{gluino}} > 800 \text{ GeV}$  (with decoupled squark)

CMS Preliminary



Squark-gluino-neutralino model ( $m_{\text{LSP}} = 0 \text{ GeV}$ )



CMS: HT+missing HT search

Improve sensitivity to high multiplicity final state



	Baseline ( $H_T > 350$ GeV) ( $\cancel{H}_T > 200$ GeV)	Medium ( $H_T > 500$ GeV) ( $\cancel{H}_T > 350$ GeV)	High $H_T$ ( $H_T > 800$ GeV) ( $\cancel{H}_T > 200$ GeV)	High $\cancel{H}_T$ ( $H_T > 800$ GeV) ( $\cancel{H}_T > 500$ GeV)
$Z \rightarrow \nu\bar{\nu}$ from $\gamma$ +jets	$376 \pm 12 \pm 79$	$42.6 \pm 4.4 \pm 8.9$	$24.9 \pm 3.5 \pm 5.2$	$2.4 \pm 1.1 \pm 0.5$
$t\bar{t}/W \rightarrow e, \mu + X$	$244 \pm 20^{+30}_{-31}$	$12.7 \pm 3.3 \pm 1.5$	$22.5 \pm 6.7^{+3.0}_{-3.1}$	$0.8 \pm 0.8 \pm 0.1$
$t\bar{t}/W \rightarrow \tau_h + X$	$263 \pm 8 \pm 7$	$17 \pm 2 \pm 0.7$	$18 \pm 2 \pm 0.5$	$0.73 \pm 0.73 \pm 0.04$
QCD	$31 \pm 35^{+17}_{-6}$	$1.3 \pm 1.3^{+0.6}_{-0.4}$	$13.5 \pm 4.1^{+7.3}_{-4.3}$	$0.09 \pm 0.31^{+0.05}_{-0.04}$
Total background	$928 \pm 103$	$73.9 \pm 11.9$	$79.4 \pm 12.2$	$4.6 \pm 1.5$
Observed in data	986	78	70	3

$$H_T^{miss} = \left| - \sum_{p_T > 30 \text{ GeV}} \vec{p}_T \right|$$

ATLAS: MET +  $m_{\text{eff}}$  search

$M_{\text{gluino}} > 800 \text{ GeV}$  (with decoupled squark)

Signal Region	$\geq 2$ jets	$\geq 3$ jets	$\geq 4$ jets	High mass
$E_{\text{T}}^{\text{miss}}$	$> 130$	$> 130$	$> 130$	$> 130$
Leading jet $p_{\text{T}}$	$> 130$	$> 130$	$> 130$	$> 130$
Second jet $p_{\text{T}}$	$> 40$	$> 40$	$> 40$	$> 80$
Third jet $p_{\text{T}}$	–	$> 40$	$> 40$	$> 80$
Fourth jet $p_{\text{T}}$	–	–	$> 40$	$> 80$
$\Delta\phi(\text{jet}, E_{\text{T}}^{\text{miss}})_{\text{min}}$	$> 0.4$	$> 0.4$	$> 0.4$	$> 0.4$
$E_{\text{T}}^{\text{miss}}/m_{\text{eff}}$	$> 0.3$	$> 0.25$	$> 0.25$	$> 0.2$
$m_{\text{eff}}$ [GeV]	$> 1000$	$> 1000$	$> 500/1000$	$> 1100$

# SUSY variants

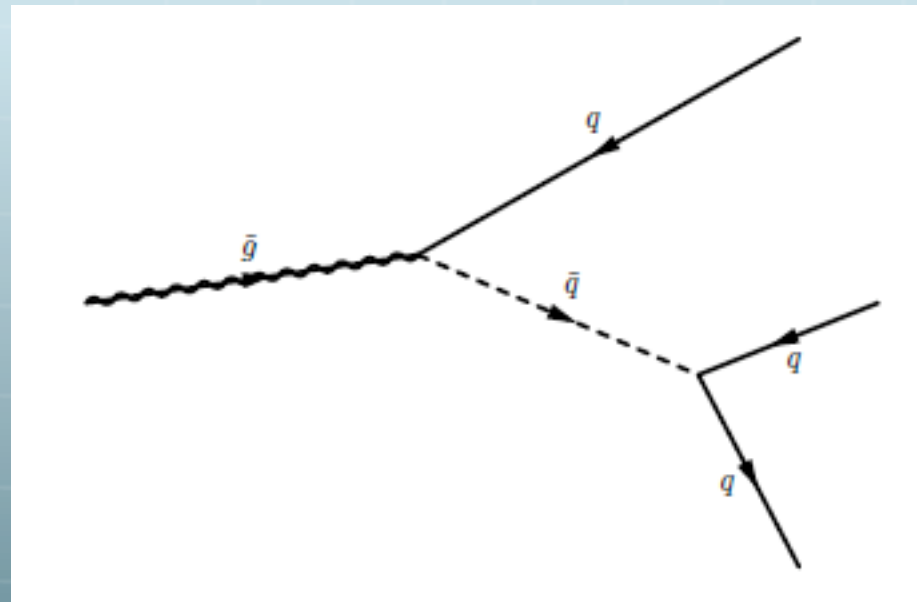
- 🌐 The bounds have several known exceptions:

**R-parity violation : e.g., udd**

$$\tilde{g} \rightarrow 3q$$

Searches by CDF and CMS

$M(\text{gluino}) < 280 \text{ GeV}$  is excluded



 **Long cascade decay chain**


**Softer jets; less missing energy;**

 **Squeezed MSSM spectrum** Alwall, Le, Lisanti and Wacker; Conley, Gainer, Hewett, Le, Rizzo; LeCompte, Martin

$$m_{\tilde{g}} \sim m_{\tilde{B}}$$


**Challenges: jets are softer; Bino momentum cancel when reconstructing MET;**

What I will discuss today:

 **One simple and natural exception: SUSY without MET**

**No R-parity violation;**





**No artificial tuning: SUSY hides SUSY;**

 **An electroweak scale hidden sector with a naturally squeezed spectrum (as a result of an approximate SUSY)**

**Different from MSSM with a squeezed spectrum (e.g., gluino mass close to bino mass, which requires tuning)**



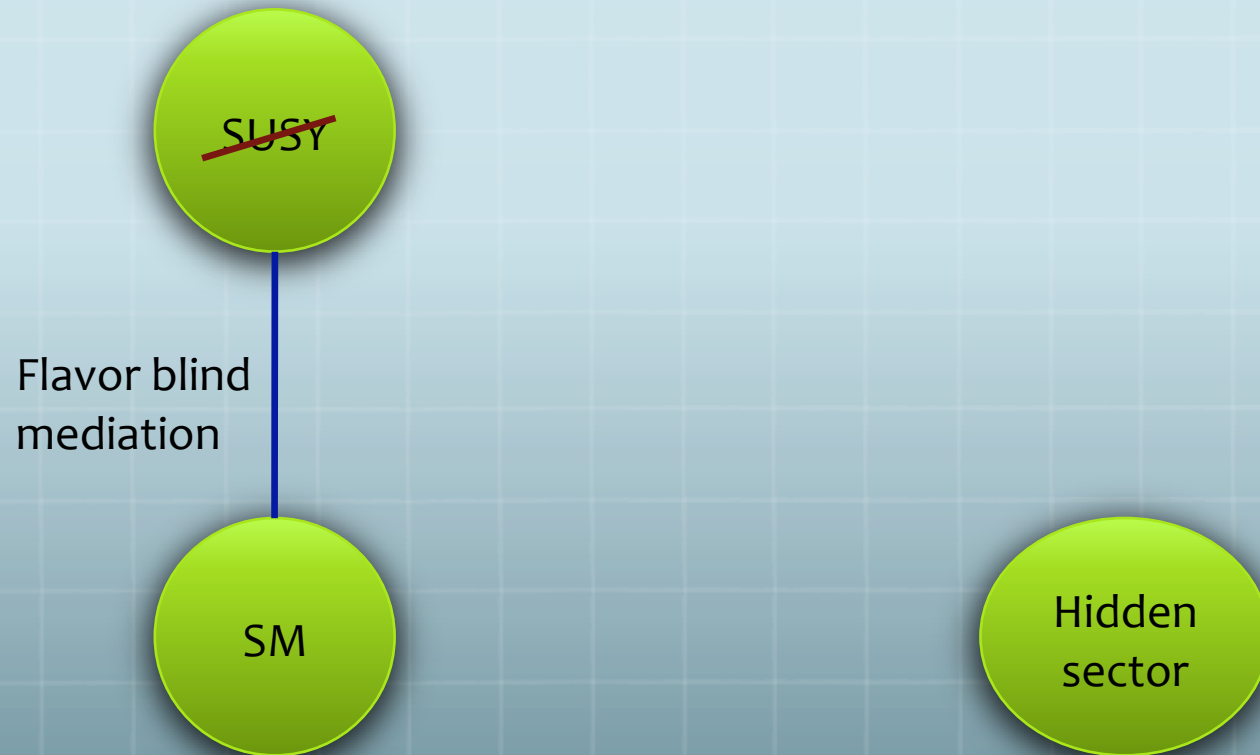
# Outline

-  **Basic mechanism**
-  **Simple example models**
-  **Spectrum and collider signals**
-  **Conclusions**

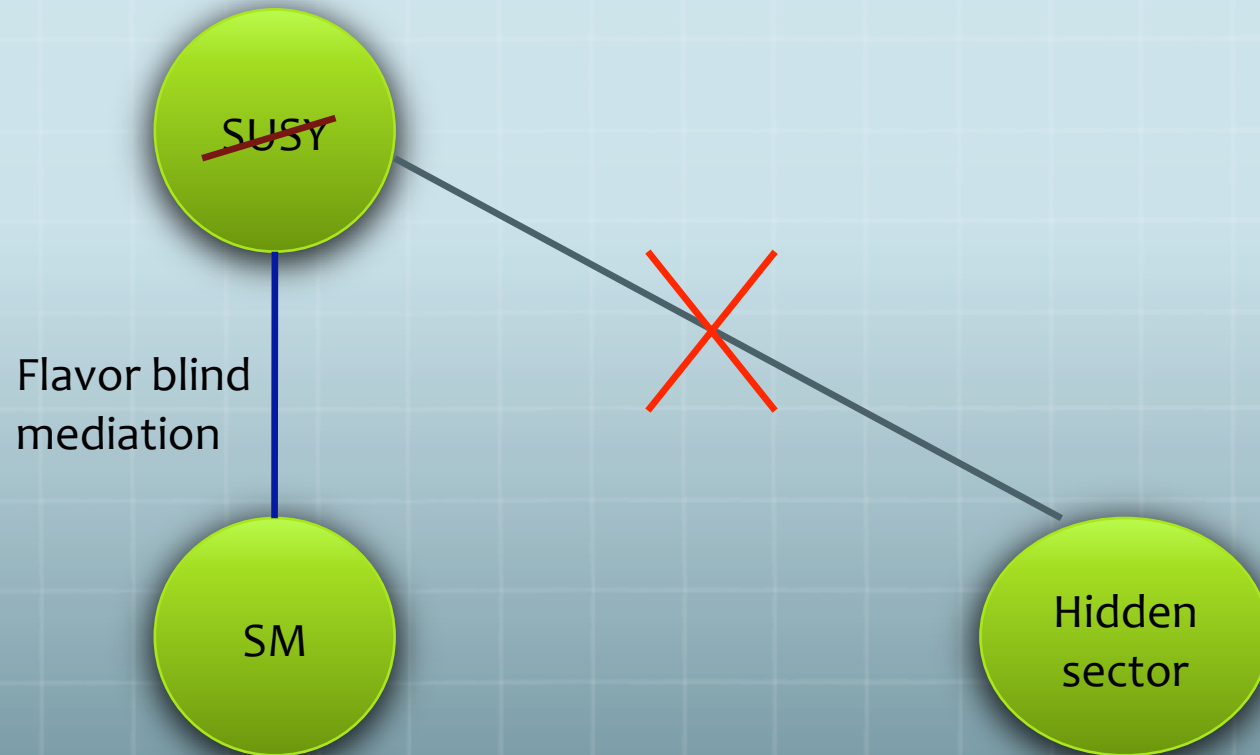
# Basic Mechanism



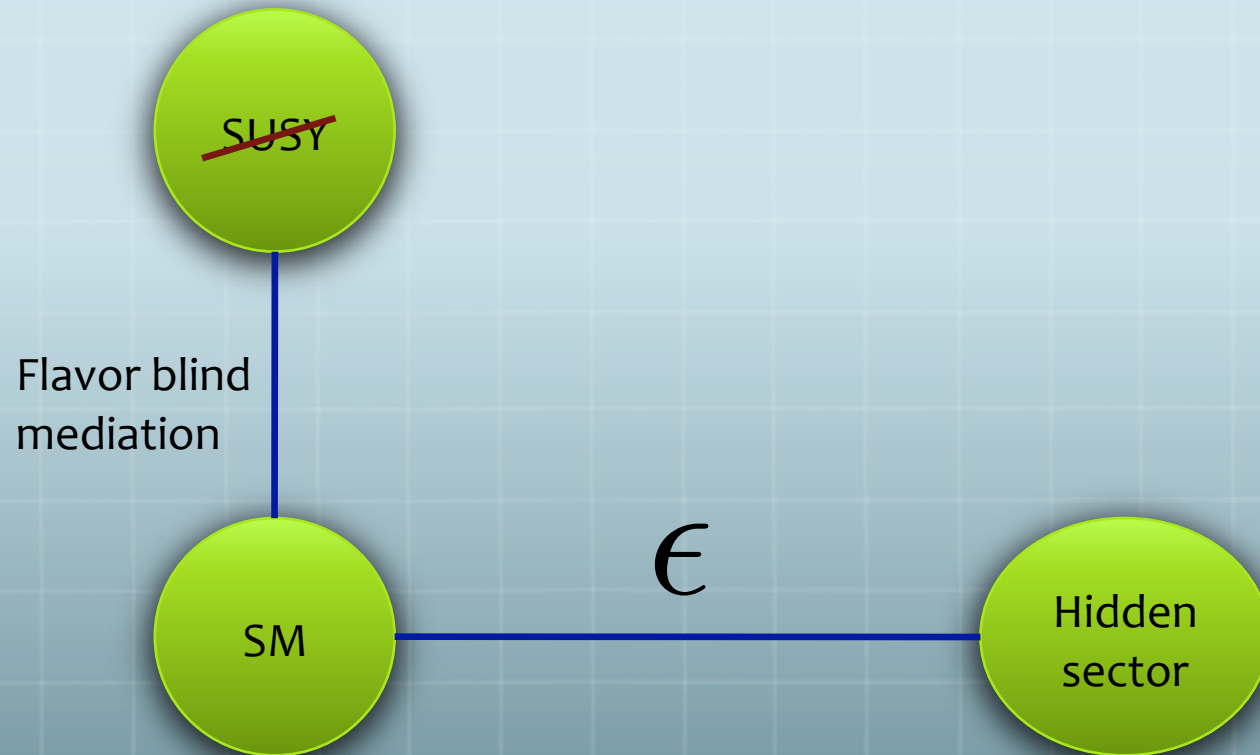
# Basic Mechanism



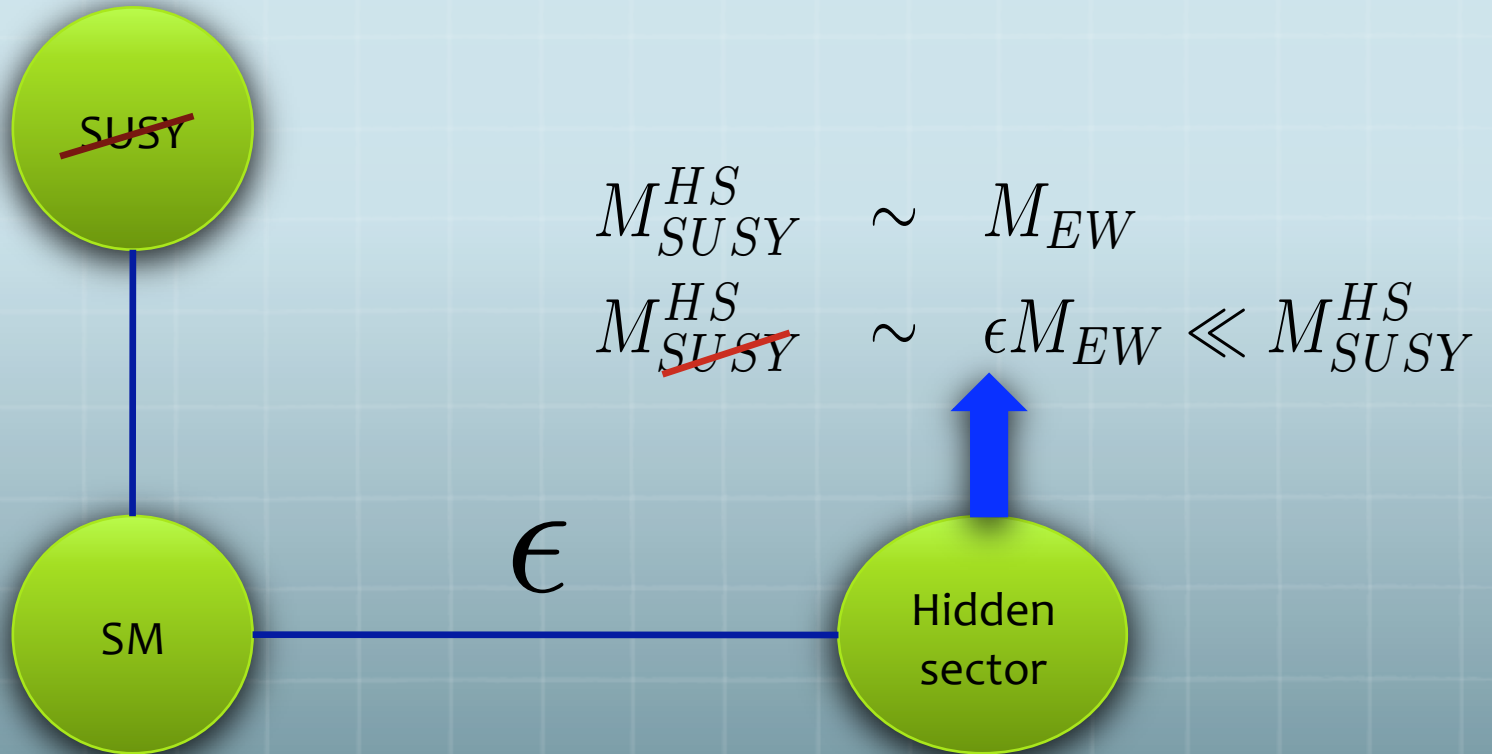
# Basic Mechanism



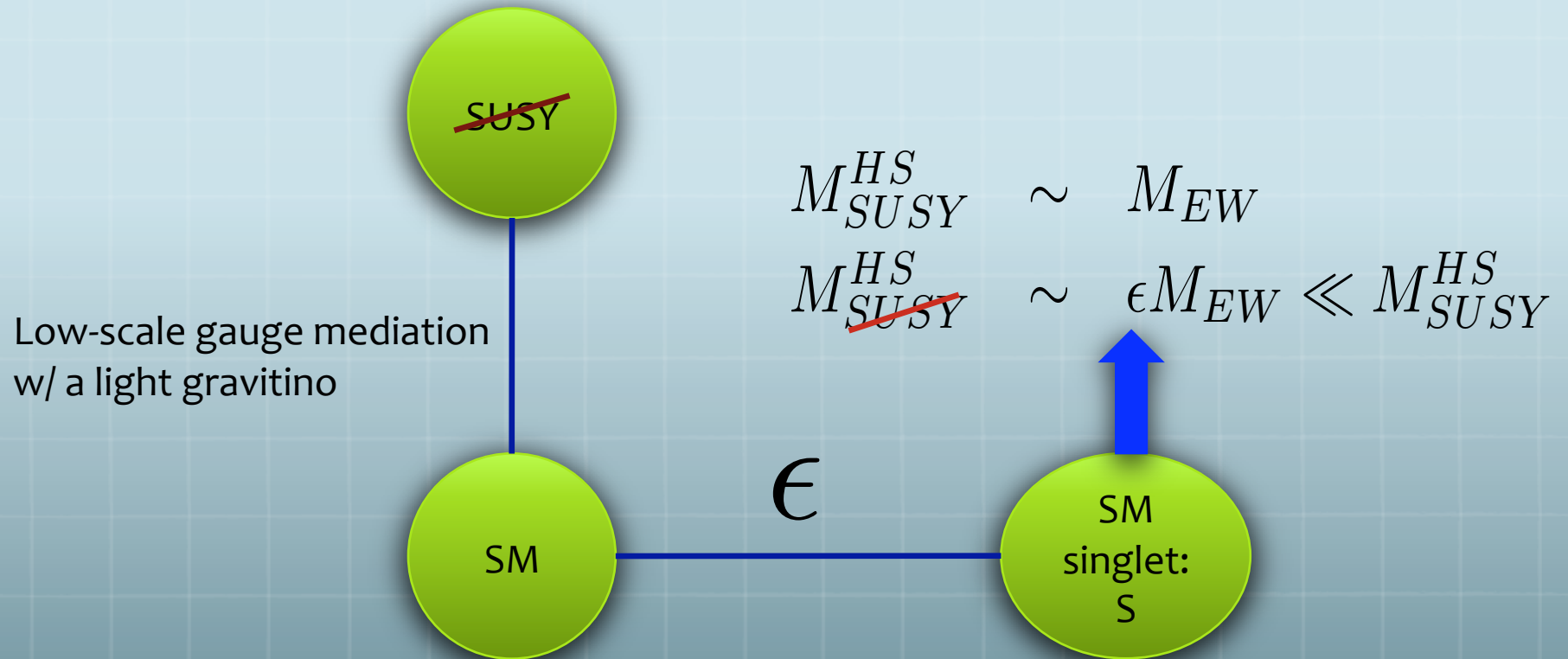
# Basic Mechanism



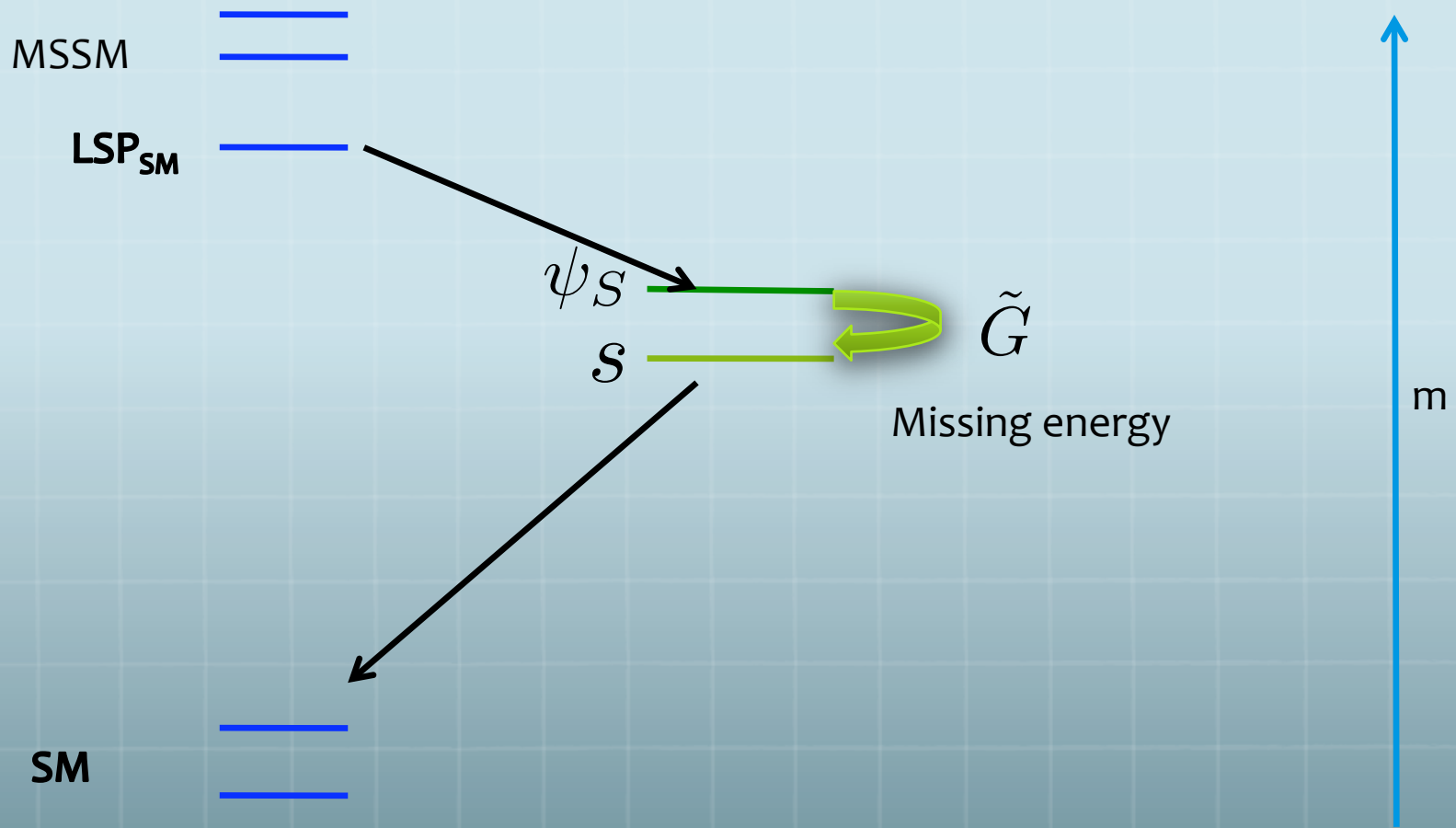
# Basic Mechanism



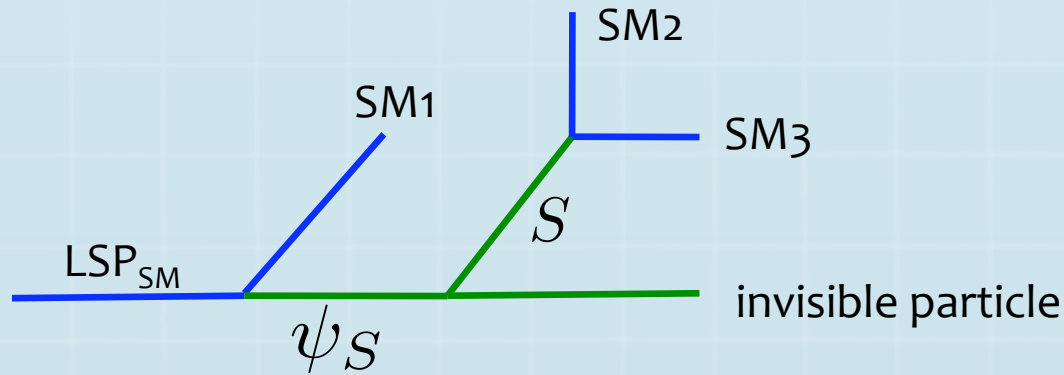
Simplest example:



# E.g., Low-scale gauge mediation with a singlet S







In the  $\psi_S$  rest frame,

$$E_{missing} = \frac{m_{\psi_S}^2 - m_S^2}{2m_{\psi_S}} \approx \delta m$$




Fermion mass  $\downarrow$     Scalar mass  $\swarrow$   
 $\delta m \equiv m_{\psi_S} - m_S$   
 Controlled by  $\epsilon$

In the lab frame,






$$E_{missing} = \gamma \delta m \approx \frac{m_{LSP_{SM}}}{m_{\tilde{g}}} \delta m$$

$$\delta m \rightarrow 0, E_{missing} \rightarrow 0$$

## **Recap: basic requirements for model building**

-  **A nearly supersymmetric hidden sector with SUSY masses at the electroweak scale**
-  **Portals communicating in between our sector and the stealth sector**
-  **A light invisible particle in the hidden sector that carries away the missing momentum**

# Outline

-  Motivation
-  Basic mechanism
-  **Simple example models**
-  Spectrum and collider signals
-  Conclusions

# An example model

- Stealth sector: a SM singlet  $S$
- Portal:  $Y, \bar{Y}$   $5 + \bar{5}$  under SM  $SU(5)$
- SUSY breaking:


Low-scale gauge mediation: light gravitino

- Model:

$$W = \lambda S Y \bar{Y} + m_S S^2 + m_Y^2 Y \bar{Y}$$

$m_S$  is taken to be 100 GeV

## Integrating out “messengers” $Y$ 's,

 **Portal in**  $\lambda^a \sigma_{\mu\nu} G^{a\mu\nu} \psi_S$

$$\tilde{g} \rightarrow g + \psi_S$$

$$\tilde{B} \rightarrow \gamma + \psi_S$$

 **Portal out**  $s G_{\mu\nu}^a G^{a\mu\nu}$

$$s \rightarrow gg$$

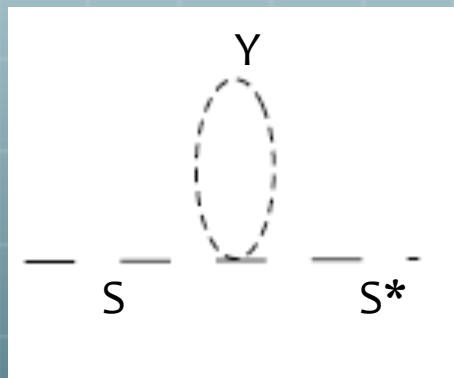
# Mass splitting

- Model:

$$W = \lambda S Y \bar{Y} + m_S S^2 + m_Y^2 Y \bar{Y}$$

- Soft mass of S is generated at one-loop

$$m_s^2 \sim -\frac{|\lambda|^2}{(4\pi)^2} (6\tilde{m}_D^2 + 4\tilde{m}_L^2) \log \frac{M_{\text{mess}}^2}{m_Y^2}$$



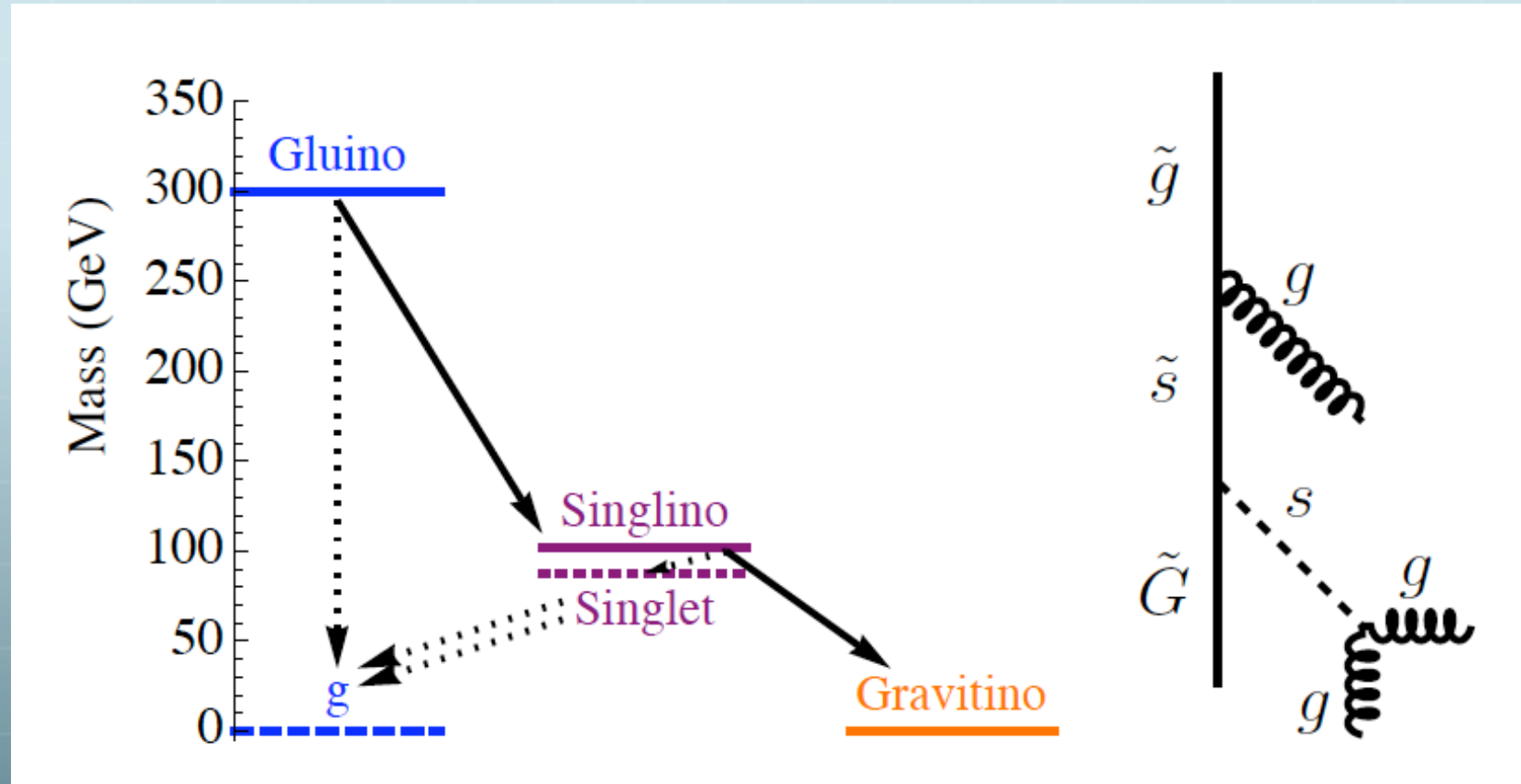
Assuming both  $m_D$ ,  
 $m_L$  are positive

$$W = \lambda SY\bar{Y} + m_S S^2 + m_Y^2 Y\bar{Y}$$

$SY\bar{Y}$	
$m = 100 \text{ GeV}$	$m_{\tilde{s}} = 100 \text{ GeV}$
$\lambda = 0.2$	$m_{s,a} = 91 \text{ GeV}$
$m_Y = 1000 \text{ GeV}$	$\Gamma_{s,a} = 2 \times 10^{-7} \text{ GeV}$
$\tilde{m}_D = 300 \text{ GeV} \quad \tilde{m}_L = 200 \text{ GeV}$	$\text{Br}_{s,a \rightarrow \gamma\gamma} = 4 \times 10^{-3}$
$M_{\text{mess}} = 100 \text{ TeV}$	

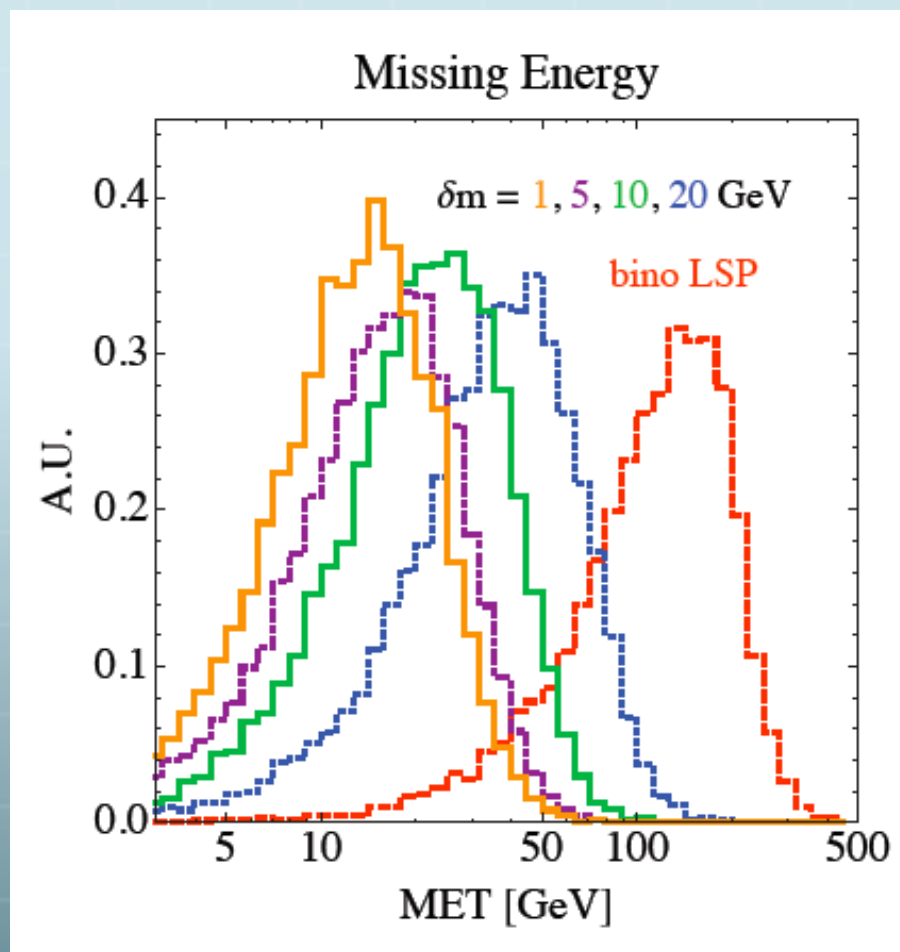
$$\lambda \lesssim 0.1 - 0.2 \quad \delta m \lesssim 10 \text{ GeV}$$

# Spectrum and decay chain

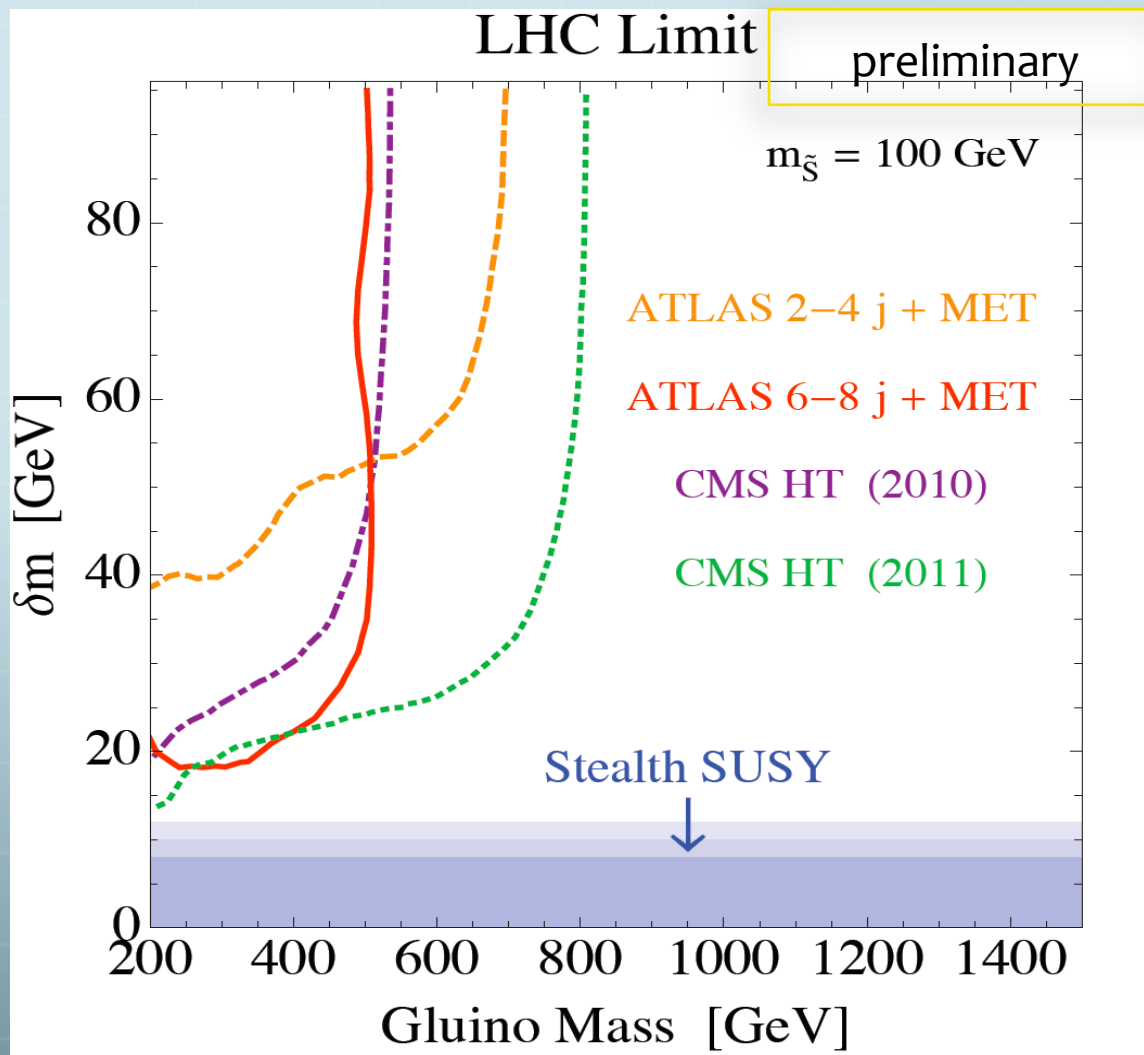




## Missing energy spectrum



LHC searches always cut hard on missing  $E_T$ ,  
E.g., Missing  $E_T > 130$  GeV (trigger requirement), ATLAS missing  $E_T + m_{\text{eff}}$  search



Bottom line:

current limits do not apply to stealth SUSY with mass splitting smaller than 10 GeV !

 **A very similar model**

**Stealth sector: S**

**Portal: MSSM Higgses:  $H_u, H_d$**

**SUSY breaking: Low-scale gauge mediation w/ a light gravitino**

**Model:**

$$W = \frac{m}{2} S^2 + \frac{\kappa}{3} S^3 + \lambda S H_u H_d + \mu H_u H_d$$

After SUSY breaking and EWSB,  $\delta m \sim \lambda \kappa \mu v^2 / m^2$

$SH_uH_d$	
$m = 80 \text{ GeV}$	$m_a = 90 \text{ GeV} \quad m_s = 103 \text{ GeV}$
$\mu = 300 \text{ GeV}$	$m_h = 125 \text{ GeV}$
$\lambda = -0.02 \quad \kappa = 0.5$	$\sigma_{sZ} = 0.22 \sigma_{hZ}$
$\tan \beta = 10 \quad m_A = 700 \text{ GeV}$	$\Gamma_a = 6 \times 10^{-8} \text{ GeV}$
$M_1 = 200 \text{ GeV}$	$m_{\tilde{s}} = 100 \text{ GeV}$
$M_2 = 300 \text{ GeV}$	$N_{\tilde{s}(\tilde{H}_u, \tilde{H}_d)} = (-0.014, 0.0059)$
$M = -2 \text{ TeV}$	$N_{\tilde{s}(\tilde{B}, \tilde{W}^0)} = (0.0063, -0.0058)$

Scalar S mixes with higgses;

Singlino S mixes with higgsino

$$\begin{array}{c}
 \tilde{B} \longrightarrow \tilde{S} \longrightarrow S + \tilde{G} \\
 \searrow \qquad \qquad \qquad \downarrow \\
 h \qquad \qquad \qquad b + \bar{b}
 \end{array}$$

 So far we consider models in which the symmetry  $S$  is charged under is broken by small couplings to the portals.

 There is another possibility:

$S$  is charged under a symmetry of the MSSM , for instance,  
Baryon number !

# Example 3: Sudd

🌐 **Stealth sector: S**

🌐 **Portals:**

$$W \supset \frac{1}{\Lambda} \lambda_{ijk} u_i d_j d_k S$$

Could be generated by integrating out heavy fields, e.g.:

$$MD\bar{D} + d\bar{D}S + udD$$

Now **scalar S is the R-odd particle!**

**Decay in:**  $\tilde{t} \rightarrow bsS$

$$\tilde{B}, \tilde{g} \rightarrow u_i d_j d_k S$$

**Decay out:**  $\tilde{S} \rightarrow u_i d_j d_k$

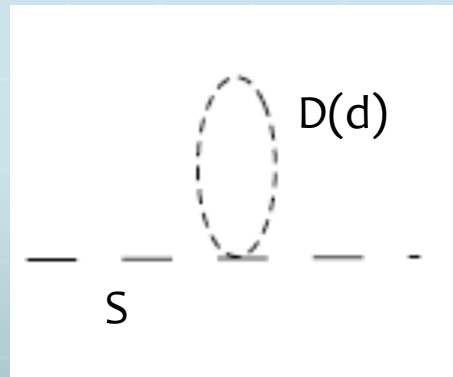
$$\begin{aligned}
\Gamma(\tilde{B} \rightarrow uddS) &\sim \frac{\alpha^2 \lambda^2}{(4\pi)^3 \Lambda^2 m_{\tilde{q}}^4} m_{\tilde{B}}^7 \\
&\sim 0.02 \text{ cm} \left( \frac{300 \text{ GeV}}{m_{\tilde{B}}} \right)^7 \left( \frac{\Lambda}{100 \text{ TeV}} \right)^2 \left( \frac{m_{\tilde{q}}}{1 \text{ TeV}} \right)^4 \frac{1}{\lambda^2}
\end{aligned}$$

$$\begin{aligned}
\Gamma(\tilde{S} \rightarrow udd) &\sim \frac{\alpha_s^2 \lambda^2}{(4\pi)^5 \Lambda^2 m_{\tilde{g}}^2} m_{\tilde{S}}^5 \\
&\sim 24 \mu\text{m} \left( \frac{200 \text{ GeV}}{m_{\tilde{S}}} \right)^5 \left( \frac{\Lambda}{100 \text{ TeV}} \right)^2 \left( \frac{1 \text{ TeV}}{m_{\tilde{g}}} \right)^2 \frac{1}{\lambda^2}
\end{aligned}$$

For  $\Lambda/\lambda < 1000 \text{ TeV}$ , the decay would be displaced slightly, but is still in range where MET remains small

**For low-scale gauge mediation w/ light gravitino**

**Scalar S has to obtain a positive soft mass,**



$$MD\bar{D} + d\bar{D}S + udD$$

$$m_{\bar{D}}^2 + m_d^2 < 0 \longrightarrow m_S^2 > 0$$

Not possible in minimal gauge mediation,

But possible in general gauge mediation (with non-zero D term)

Which only constrains sum of soft masses

$$S \longrightarrow \tilde{S} + \tilde{G}$$



- **So far focus on low-scale gauge mediation,**
- **Could a stealth sector exist in the high-scale mediation schemes with a heavy gravitino, e.g.,  $m_{3/2} > 100 \text{ GeV}$**
- **Stealth sector has to be sequestered from the SUSY breaking sector**
- **Two other problems ...**

 **Decay inside the stealth sector:**

$$R - \text{odd} \rightarrow R - \text{even} + ?$$

**For high-scale mediations w/ heavy gravitino, add a light N**

**e.g:**

$$W = \frac{uddS}{\Lambda} + m_S S S_2 + \lambda S^2 N$$

N has charge -2 under  $U(1)_B$ ,  $m N^2$  is forbidden;  
N is naturally light

Other candidate : light axino



## A more serious problem: stealth $\mu/\mu_B$ problem

$$W \supset \mu S^2$$

$$\supset \mu \phi S^2$$

$$V \supset \mu m_{3/2} S^2$$

Conformal compensator  $\phi = 1 + \theta^2 m_{3/2}$

$$\delta m = \mu - \sqrt{\mu^2 - \mu B} \approx \frac{B}{2}$$

$$\delta m < 10 \text{ GeV} \longrightarrow B \sim m_{3/2} < 20 \text{ GeV}$$

However, if the  $\mu$  term arises from some dynamically generated VEVs  $X S^2$  and  $X$  obtains a VEV dynamically, e.g., through SQCD

$$W = X \bar{Q} Q - X^3$$

Or other solutions analogous to the B solution in anomaly mediation  
e.g: Pomarol and Rattazzi,...



## **More possibilities**

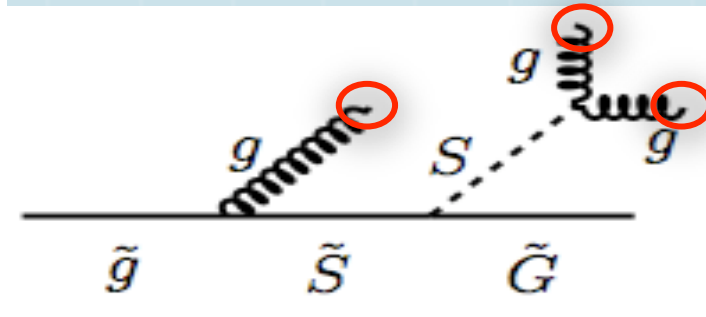
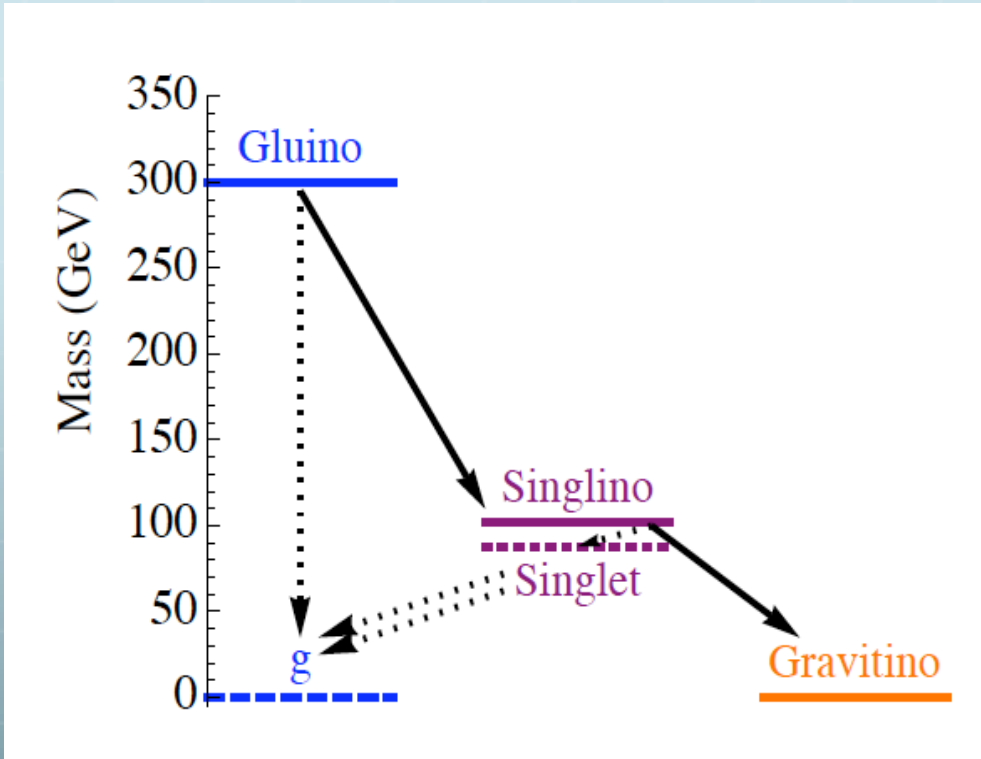
**Z' model: One additional U(1) both our sector and stealth sector is charged under and the U(1) is spontaneously broken in the stealth sector;**

**Vector-like confinement sector: strongly coupled SQCD sector with SM gauge group as the flavor symmetry of the matter fields.**

# Outline

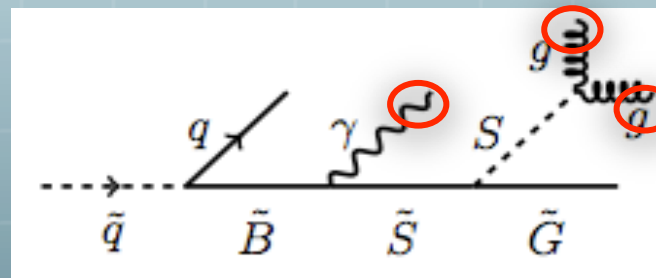
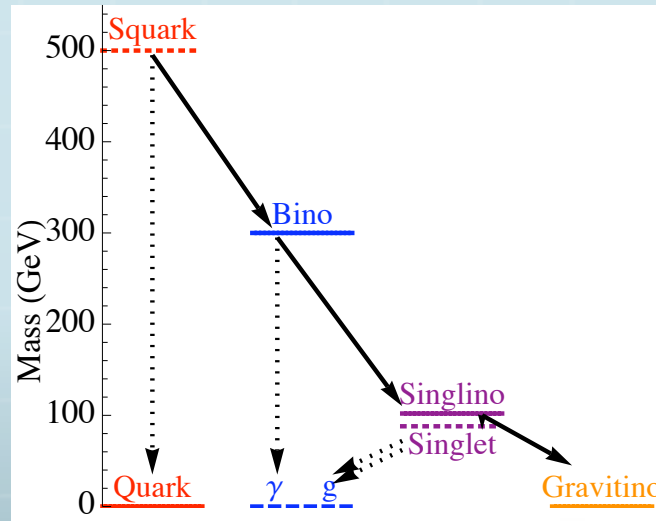
- 🌐 Motivation
- 🌐 Basic mechanism
- 🌐 Simple example models
- 🌐 **Spectrum and collider signals**
- 🌐 Conclusions

# False resonance of jets



Search at CDF and CMS on resonance of 3 jets, motivated by  $\tilde{g} \rightarrow 3q$  also applies here!

# False resonance of photon+jets

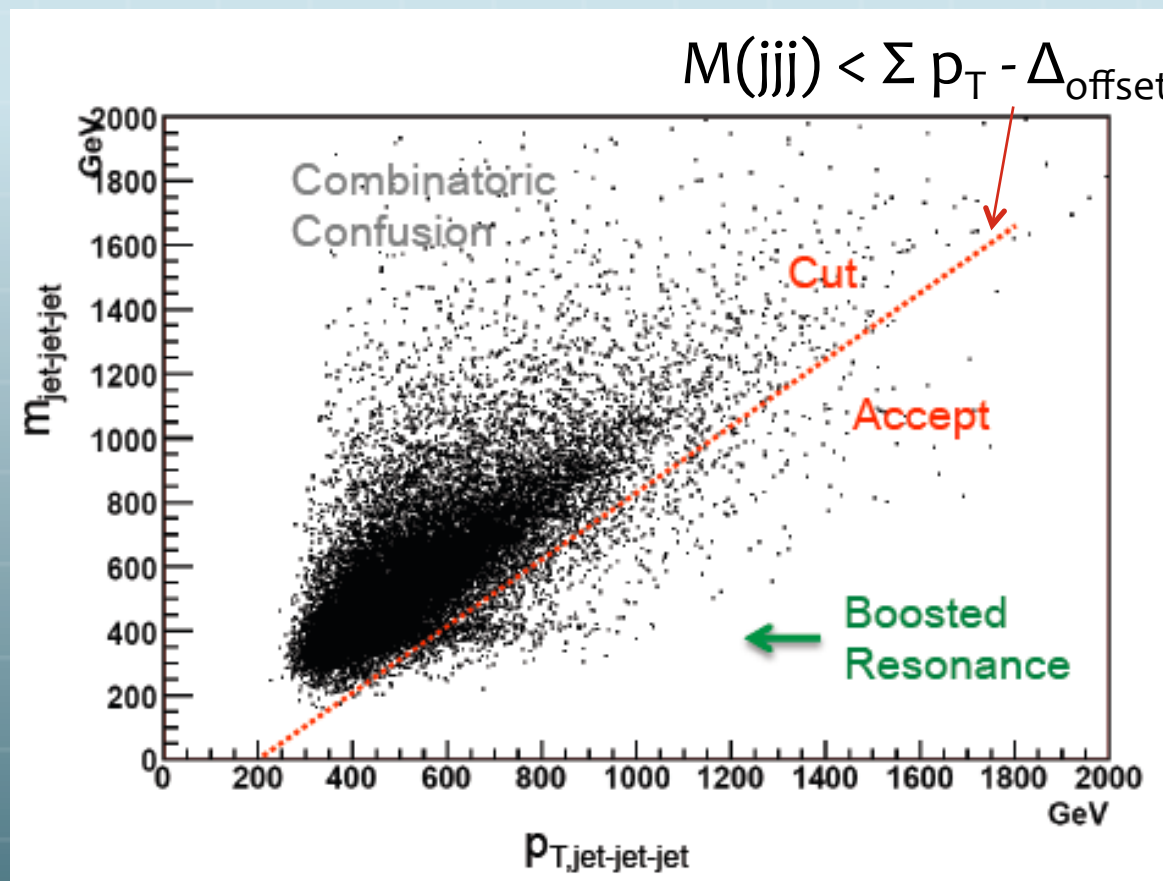




**Main challenge: combinatorics**

**Method: “jet ensemble correlation”** R. Essig Ph. D thesis

**E.g: for three-jet resonance**



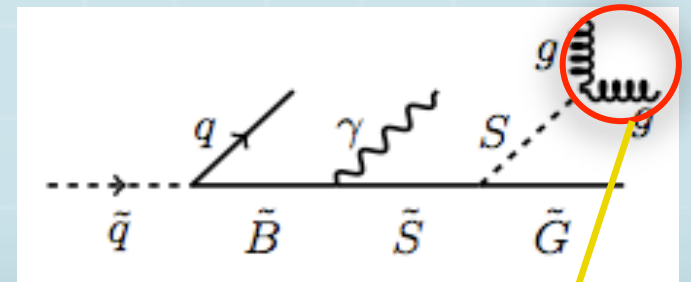
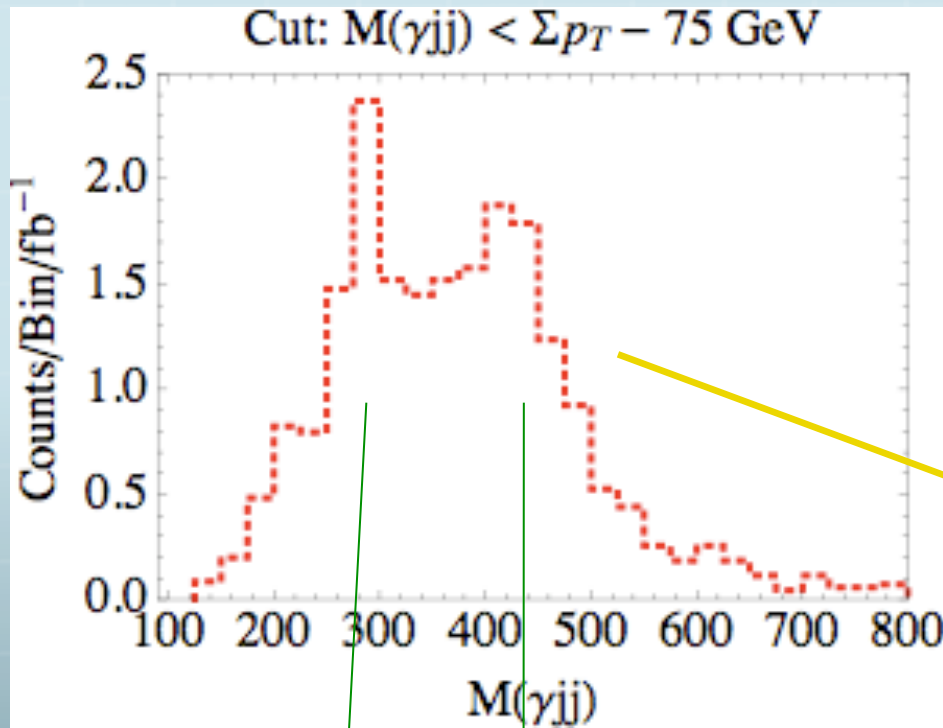


## Cuts: (photon + jets)

Photon:  $E_T^\gamma > 120 \text{ GeV} \quad |\eta| < 1.44$

At least two jets:  $E_T > 45 \text{ GeV} \quad \sum_{jets} E_T > 200 \text{ GeV}$

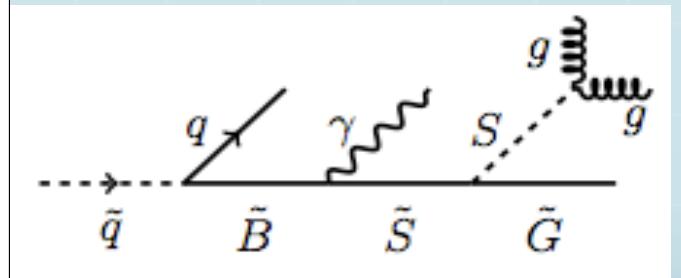
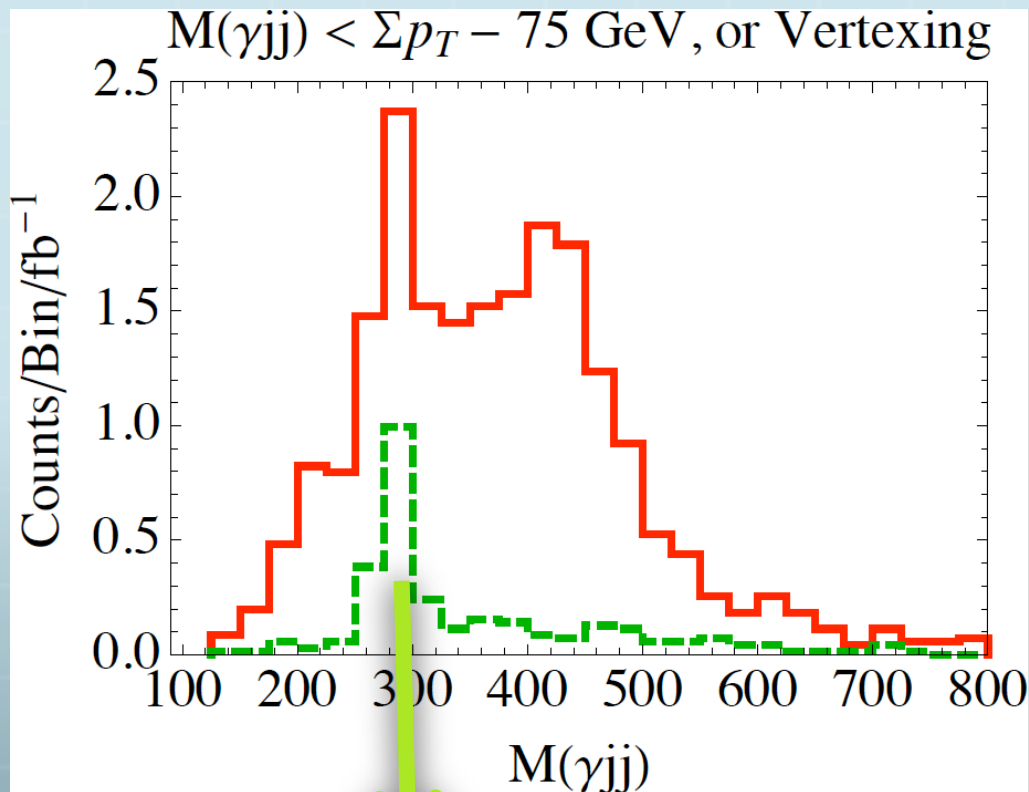
Diagonal cut:  $M(\gamma jj) < \sum_{\gamma jj} p_T - 75 \text{ GeV}$



Two jets collimated into one  
“singlet jet”!

$\tilde{B}$   $\tilde{q}$

**Substructure could help!**



$\tilde{B}$

Vertexing: Require two jets from the same vertex.

## More searching strategies (model dependent)

🌐 **Displaced vertex:**  $\tilde{s} \rightarrow s + \tilde{G}$

**Decay length ranging from mm to several cm;**

$$\Gamma_{\tilde{s}} = \frac{m_{\tilde{s}}^5}{16\pi F^2} \left(1 - \frac{m_s^2}{m_{\tilde{s}}^2}\right)^4 \approx \frac{m_{\tilde{s}}(\delta m)^4}{\pi F^2}$$

**E.g.:**

$$\sqrt{F} = 100 \text{ TeV}, \quad m_{\tilde{s}} = 100 \text{ GeV}, \quad m_s = 90 \text{ GeV}$$

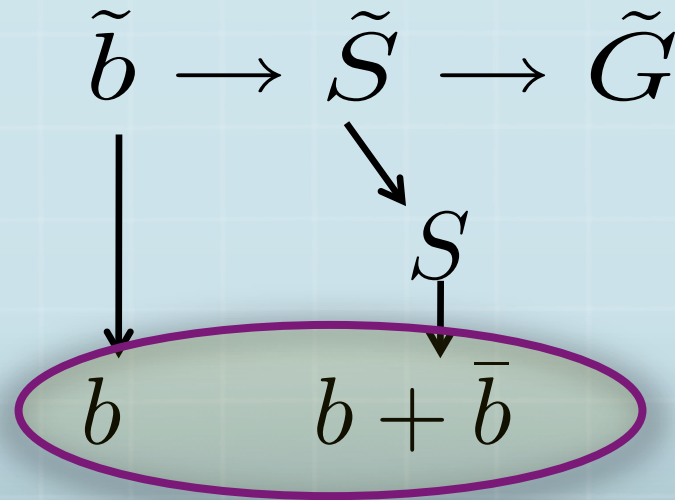
$$c\tau = 8 \text{ cm}$$





## Smoking gun for SUSY? -- Spin paradox



SHuHd



Production cross section  
(Visible) final states: 3 b-jets

scalar  
fermion

# Conclusion

-  We present a broad class of natural supersymmetric models that preserve R-parity but lack missing energy signatures.
-  The main feature is the presence of nearly degenerate fermion-boson pairs at the electroweak scale due to an approximate supersymmetry.

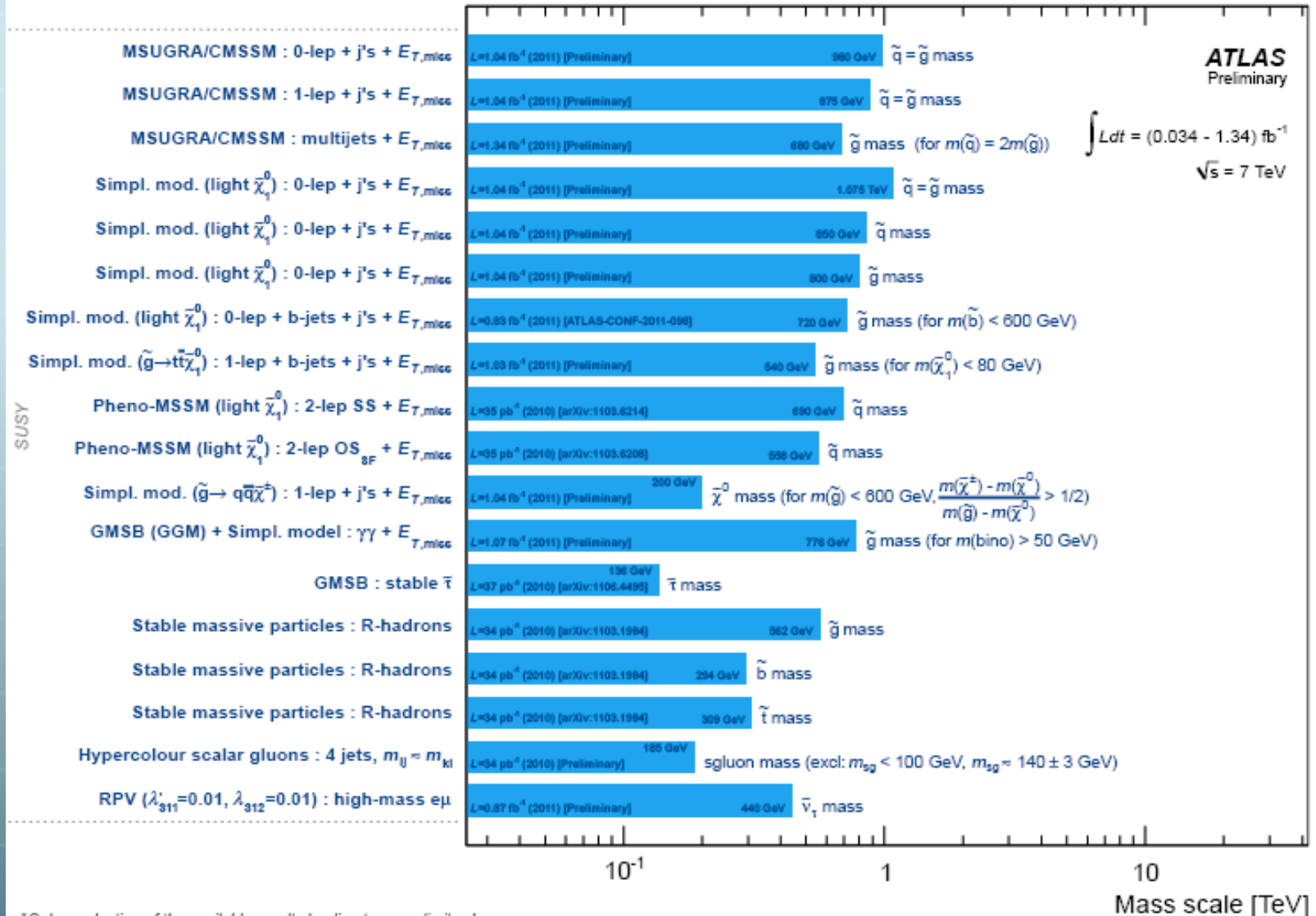
Even MSSM may have a form of stealth supersymmetry, if the right handed stop and top have nearly degenerate masses.

-  It opens up more possibilities for model building and searching strategies at the LHC.



**Thank you!**

### ATLAS Searches\* - 95% CL Lower Limits (Status: SUSY 2011)



\*Only a selection of the available results leading to mass limits shown

# Atlas 6-8 jet search

Signal region	7j55	8j55	6j80	7j80
Jet $p_T$	$> 55 \text{ GeV}$		$> 80 \text{ GeV}$	
Jet $ \eta $	$< 2.8$			
$\Delta R_{jj}$	$> 0.6$ for any pair of jets			
Number of jets	$\geq 7$	$\geq 8$	$\geq 6$	$\geq 7$
$E_T^{\text{miss}} / \sqrt{H_T}$	$> 3.5 \text{ GeV}^{1/2}$			

Trigger plateau

SR definition

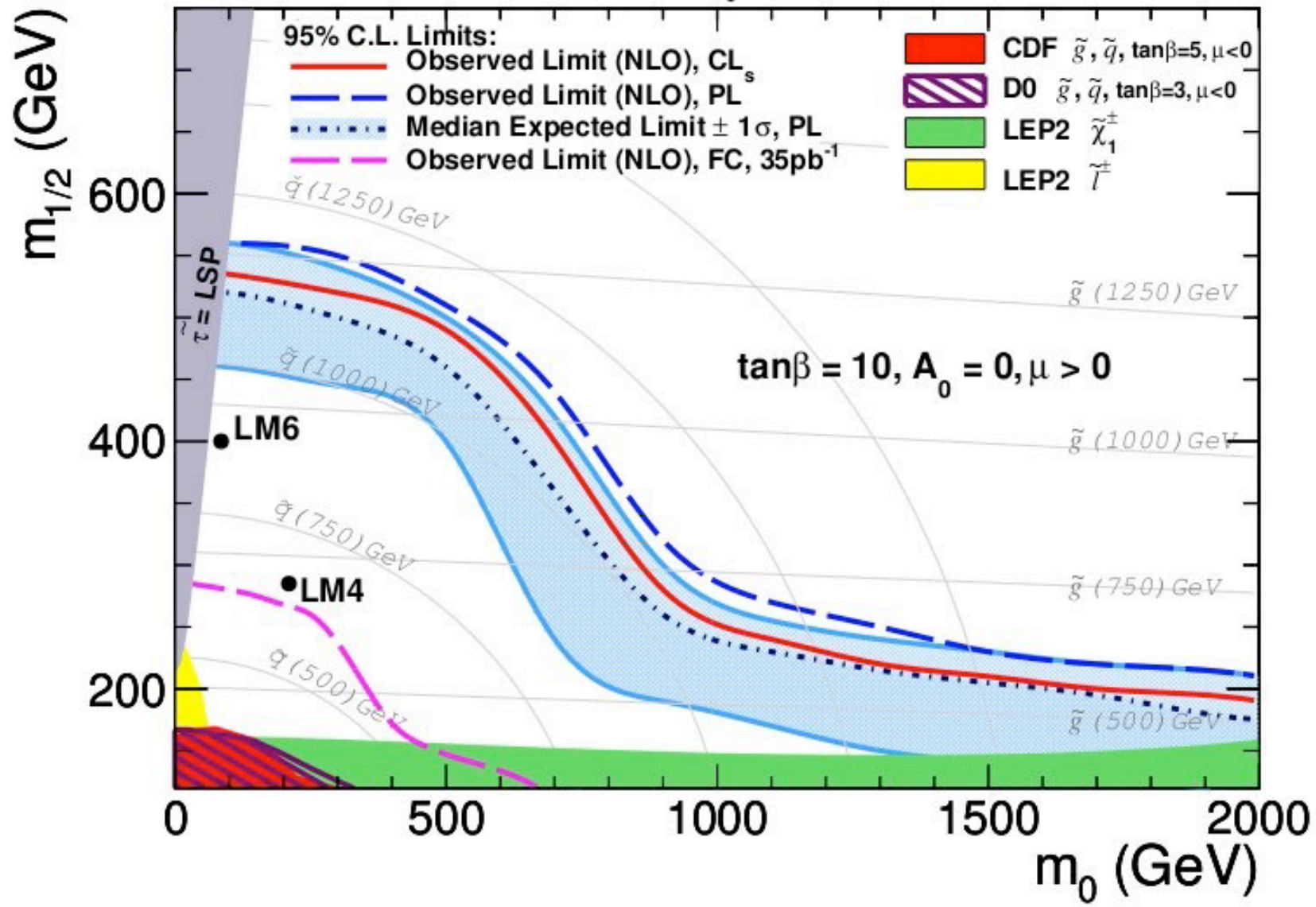
BG reduction and control

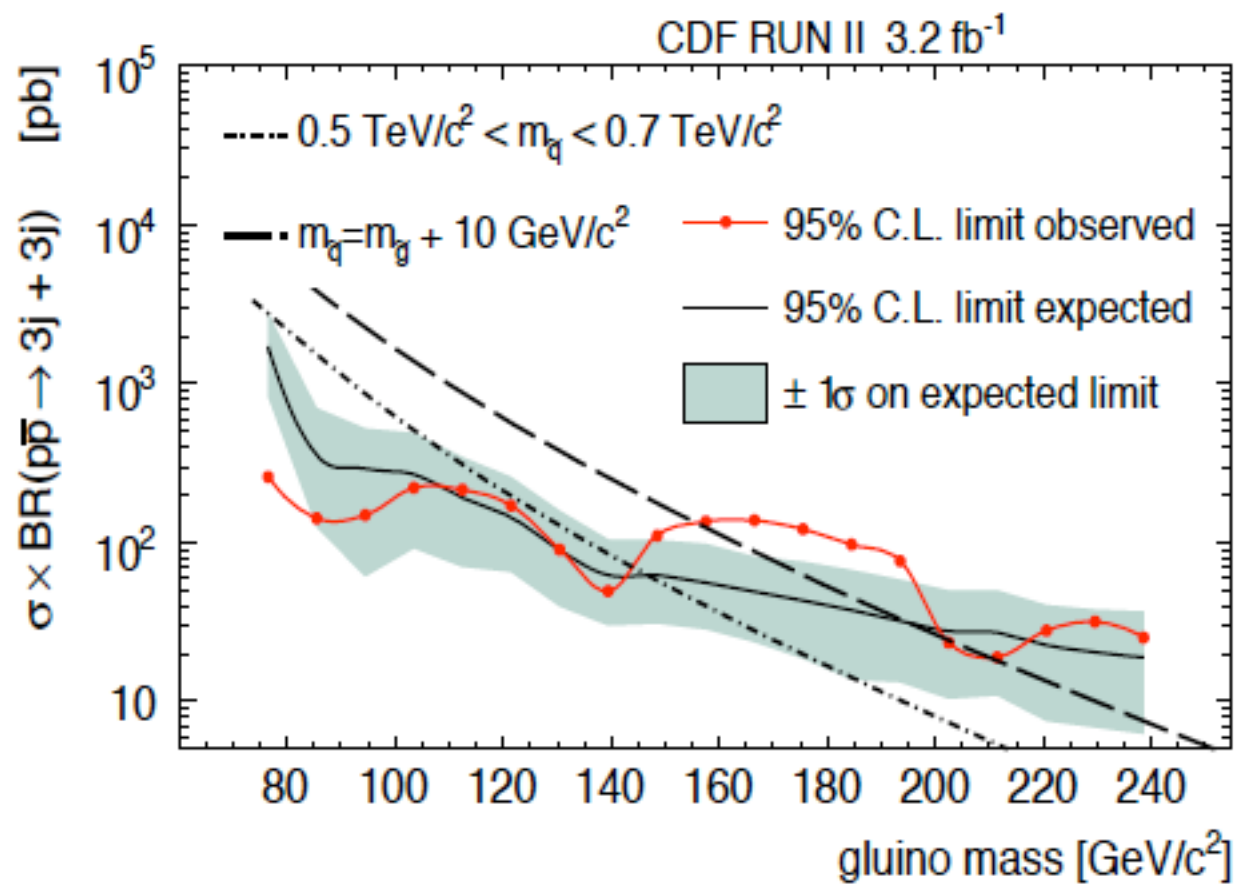
$$\int L dt = 1.34 \text{ fb}^{-1}$$

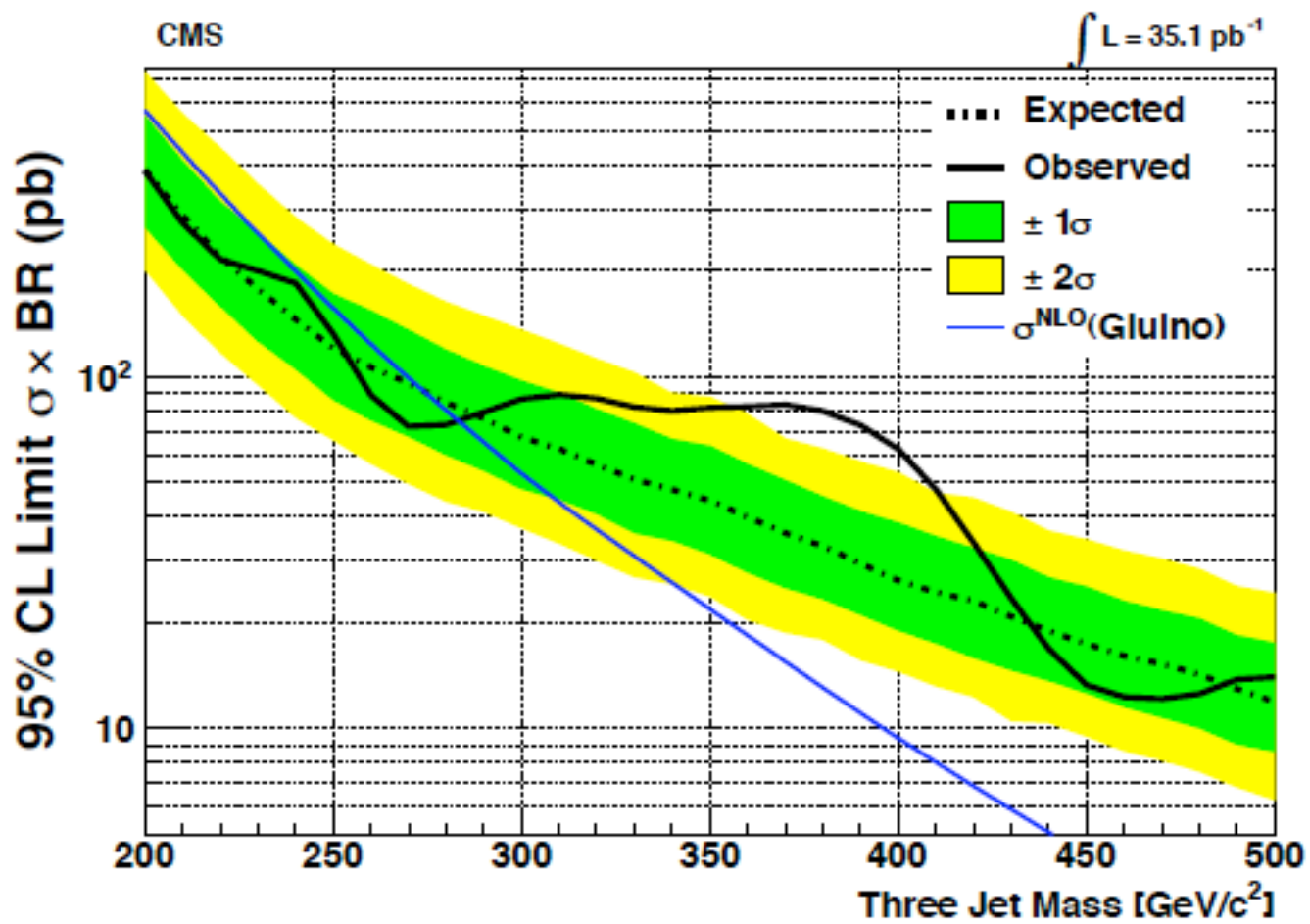
$$H_T = \sum_{\text{Jets}} p_T$$

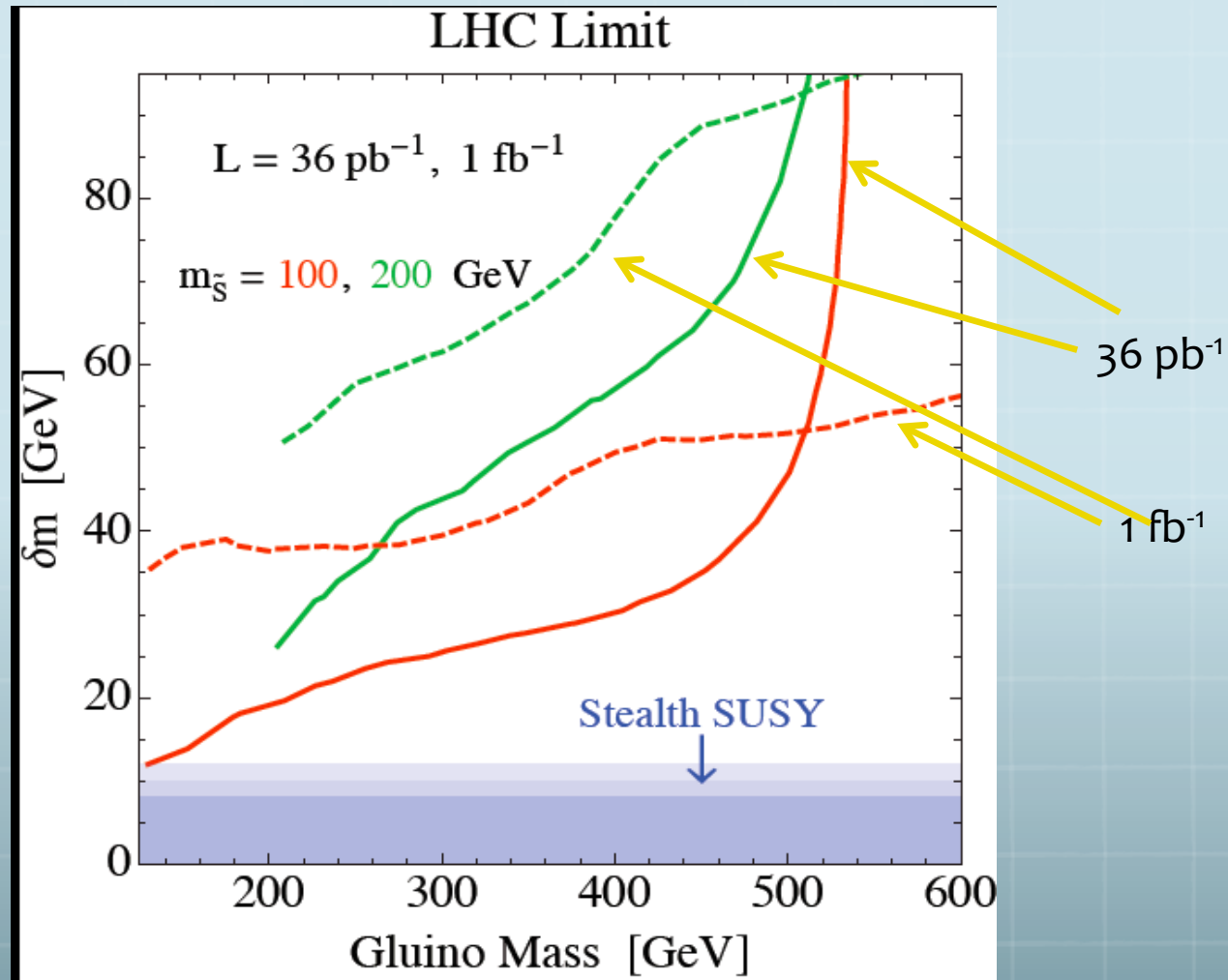
$(p_T > 40 \text{ GeV}, |\eta| < 2.8)$

CMS preliminary  $\alpha_T \int L dt = 1.1 \text{ fb}^{-1} \sqrt{s} = 7 \text{ TeV}$





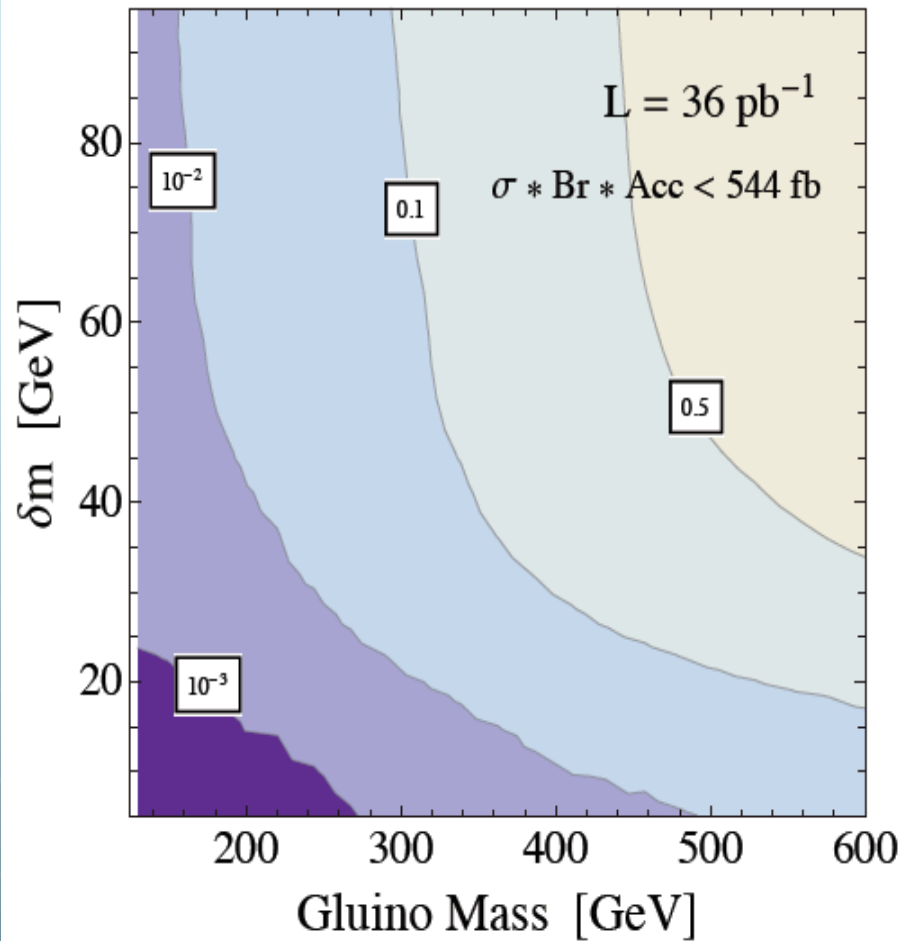




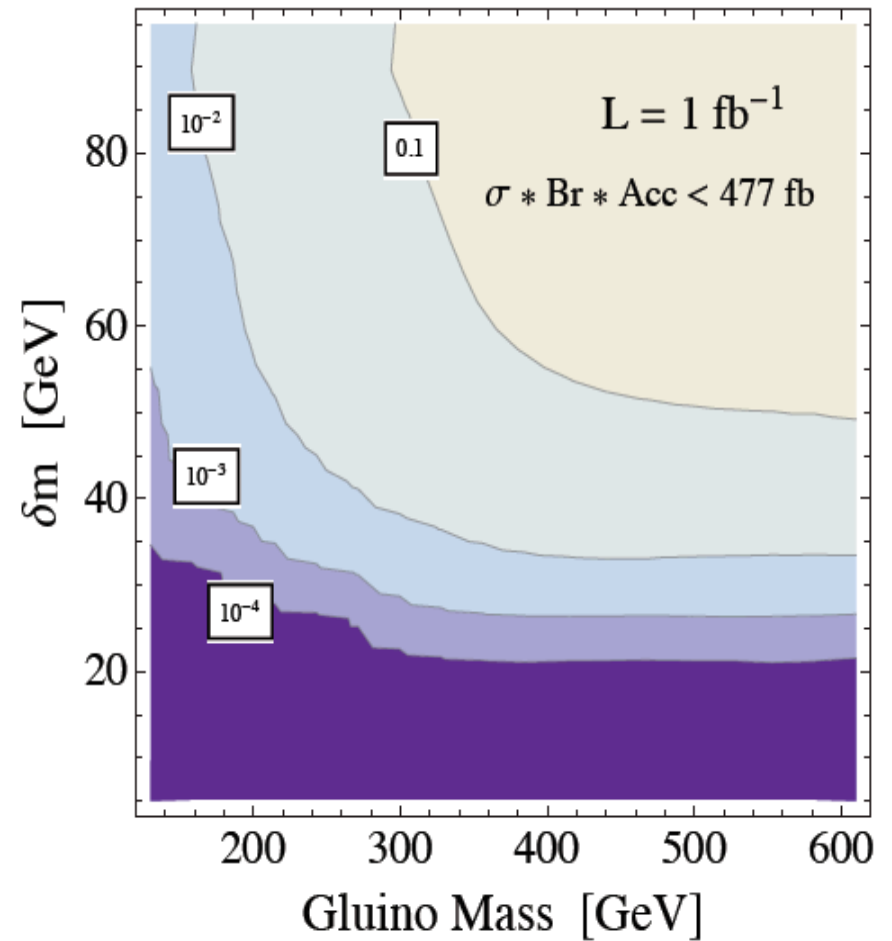
Bottom line:

current limits do not apply to stealth SUSY with mass splitting smaller than 10 GeV !

Acceptance 2010



Acceptance 2011





 **Aside: Things not to do:**

## **tadpole and high-scale mediation**

**A tadpole of the singlet  $S$  is often generated at one-loop if  $S$  is not charged under any symmetry;**

**Tadpole is small in gauge mediation and do not change the calculation of the  $S$  soft mass.**

**However, this will kill attempts to embed  $SYYbar$  and  $SHuHd$  models into high-scale mediation scenario.**

**E.g.:** 
$$SY\bar{Y} + m_Y Y\bar{Y} + mS^2 + S^2 N$$

A tadpole will give both  $S$ ,  $N$  a VEV.  $N$  fermion will become massive and due to  $S, N$  mixing,  $\psi_S \rightarrow \psi_N$   $N$  which will bring back MET.