

A hint for new physics from primordial deuterium

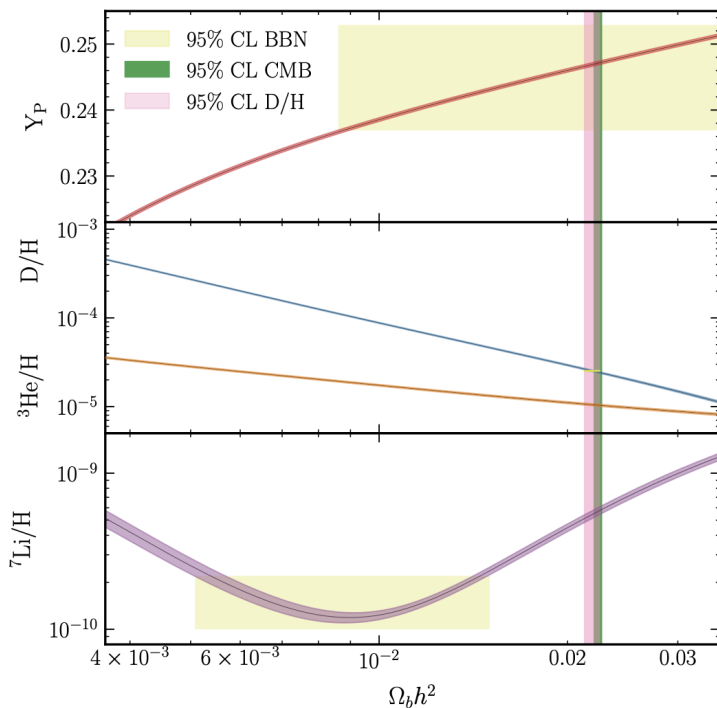
Cara Giovanetti (UC Berkeley and LBNL)

UC Davis Seminar

February 2nd, 2026

With Tim Launders and Hongwan Liu (BU)

A quick note on ${}^7\text{Li}$



C.G. et al, 2408.14538

- Recent measurements suggest ${}^7\text{Li}$ abundance measured in stars is depleted from primordial level Wang et al., 2021 <https://doi.org/10.1093/mnras/stab2924>
- Independent measurements from ISM show lower metallicity than in stars overall Molaro et al., 2407.10818
See also Brian Fields, *A Bitter Pill: The Primordial Lithium Problem, Opportunities and Challenges in Big Bang Nucleosynthesis* (EuCAPT Workshop), 2025.
- Community consensus: **we probably do not measure primordial ${}^7\text{Li}$**

A quick note on notation



Outline

- BBN Overview
- Previous determinations of the primordial deuterium abundance
- A new method
- New physics perspective

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Why BBN?

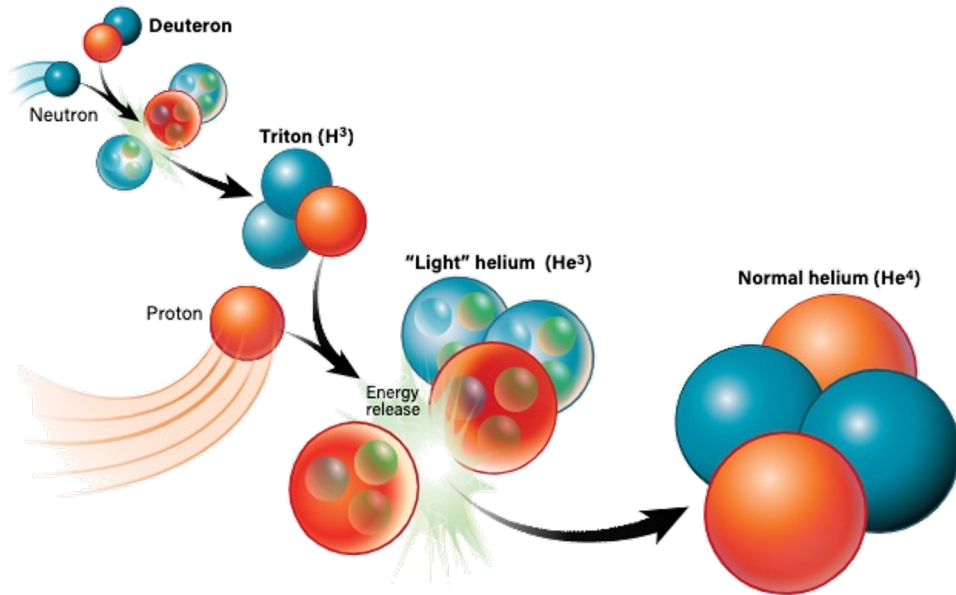
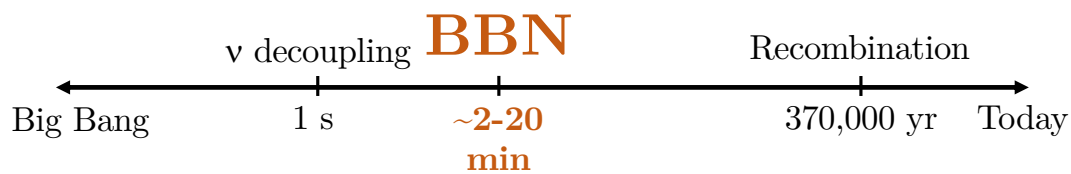


Image credit:
Roan Kelly for Astronomy Magazine

High **temperatures**
($T_{SM} \sim \text{MeV-keV}$)

High **densities**
($a \sim 10^{-9}-10^{-11}$)

Long **times**

BBN and New Physics

BBN constraints on universally-coupled ultralight scalar dark matter

Sergey Sibiryakov,^{a,b,c} Philip Sørensen,^{d,e} and Tien-Tien Yu^f

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^bTheoretical Physics Department, CERN, Geneva, Switzerland

^cInstitute for Nuclear Research of the Russian Academy of Sciences, 60th October Anniversary Prospect, 7a, 117312 Moscow, Russia

^dDESY, Notkestraße 85, 22607 Hamburg, Germany

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^fDepartment of Physics and Institute for Fundamental Science, University of Oregon, Eugene OR 97403 USA

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2006.04820

dark matter can interact with all massive Standard Model particles through a universal scalar coupling. Such a coupling modifies the Standard Model predictions for Big Bang Nucleosynthesis (BBN) and the Cosmic Microwave Background (CMB) anisotropies. We study constraints on the coupling constant α from BBN and CMB observations. We find that $\alpha < 0.05$ at the 2σ confidence level. If the variation of G is linear in time, we find $\alpha < 0.06$ at the 2σ confidence level.

Kaluza-Klein Graviton Freeze-In and Big Bang Nucleosynthesis

Mathieu Gross^{1,*} and Dan Hooper^{2,3,4†}

¹Université Paris-Saclay, CNRS/IN2P3, IJCLab, 91405 Orsay, France

²University of Chicago, Department of Astronomy and Astrophysics, Chicago, Illinois 60637, USA

³University of Chicago, Kavli Institute for Cosmological Physics, Chicago, Illinois 60637, USA

⁴Fermi National Accelerator Laboratory, Theoretical Astrophysics Group, Batavia, Illinois 60510, USA

(Dated: July 11, 2024)

In models featuring extra spatial dimensions, particle collisions in the early universe can produce Kaluza-Klein gravitons. Such particles will later decay, potentially impacting the process of Big Bang nucleosynthesis. In this paper, we consider scenarios in which gravity is free to propagate through n flat, compactified extra dimensions, while the fields of the Standard Model are confined to a 3-dimensional brane. We calculate the production and decay rates of the states that make up the Kaluza-Klein graviton tower and determine the evolution of their abundances in the early universe. We then go on to evaluate the impact of these decays on the resulting light element abundances. We identify significant regions of previously unexplored parameter space that are inconsistent with observations of primordial helium and deuterium abundances. In particular, we find that for $n > 2$ (two extra dimensions), the fundamental scale of gravity must be $> 10^{10}$ GeV unless the temperature of the early universe was never greater than $\sim 10^9$ GeV.

2407.07529

primordial helium and deuterium abundances. In particular, we find that for $n > 2$ (two extra dimensions), the fundamental scale of gravity must be $> 10^{10}$ GeV unless the temperature of the early universe was never greater than $\sim 10^9$ GeV.

BBN constraints on MeV-scale dark sectors. Part I. Sterile decays

Marco Hufnagel, Kai Schmidt-Hoberg and Sebastian Wild

DESY, Notkestraße 85, D-22607 Hamburg, Germany

E-mail: marco.hufnagel@desy.de, kai.schmidt-hoberg@desy.de, sebastian.wild@desy.de

ABSTRACT: We study constraints from Big Bang Nucleosynthesis on inert particles in a dark sector which contribute to the Hubble rate and therefore change the predictions of the primordial nuclear abundances. We pay special attention to the case of MeV-scale particles decaying into dark radiation, which are neither fully relativistic nor non-relativistic during all temperatures relevant to Big Bang Nucleosynthesis. As an application, we study the implications of our general results for models of self-interacting dark matter with massive mediators.

1712.03972

1808.09324

Improved BBN Constraints on the Variation of the Gravitational Constant

James Alvey^A, Nashwan Sabti^S, Miguel Escudero^E, and Malcolm Fairbairn^F

Theoretical Particle Physics and Cosmology Group
King's College London, Department of Physics, Strand, London WC2R 2LS, UK

Big Bang Nucleosynthesis (BBN) is very sensitive to the cosmological expansion rate. If the gravitational constant G took a different value during the nucleosynthesis epoch than today, the primordial abundances of light elements would be affected. In this work, we improve the bounds on this variation using recent determinations of the primordial element abundances, updated nuclear and weak reaction rates and observations of the Cosmic Microwave Background (CMB). When compared with measured abundances and the baryon density from CMB observations by Planck, we find $\alpha = 0.99^{+0.06}_{-0.05}$ at 2σ confidence level. If the variation of G is linear in time, we find $\alpha < 0.06$ at the 2σ confidence level.

1910.10730

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Nucleosynthesis and CMB bounds on photophilic ALPs: a fresh look

Miguel Escudero Abenza,^{1,*} Clara Garcia-Perez,^{2,1,†} and Maksym Ovchinnikov^{1,‡}

¹Theoretical Physics Department, CERN, 1211 Geneva 23, Switzerland

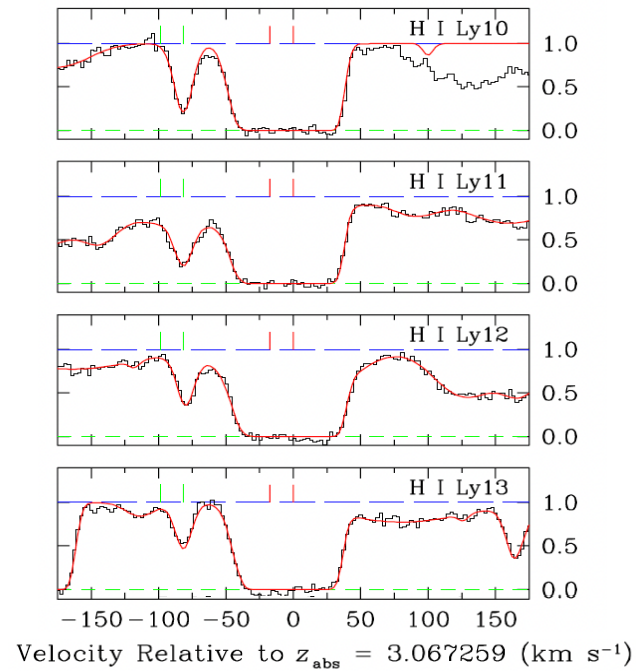
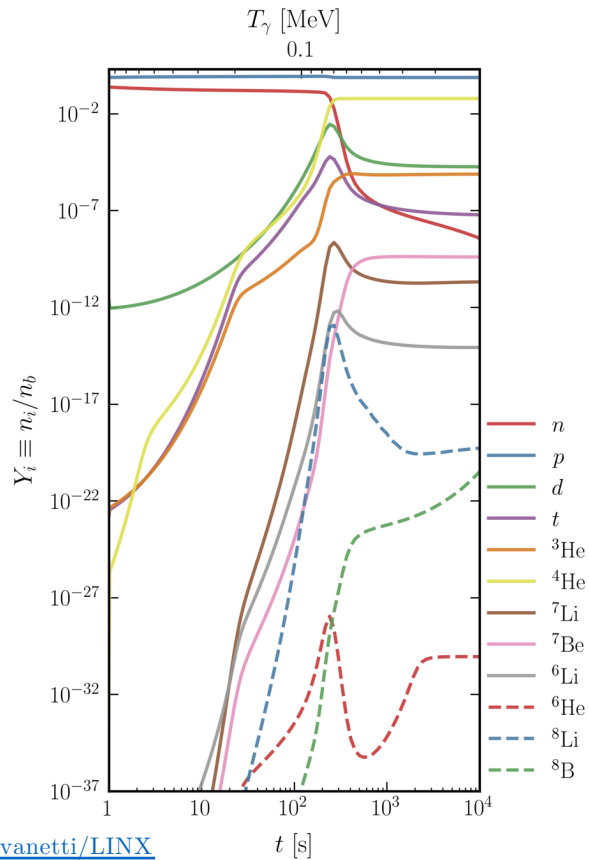
²Facultad de Ciencias, Universidad de Zaragoza, E-50009 Zaragoza, Spain

(Dated: November 4, 2025)

We provide a fresh look at the cosmological constraints on axion-like particles (ALPs) that couple predominantly to photons, focusing on lifetimes $\tau_a \lesssim 10^4$ s and masses $m_a \lesssim 10$ GeV. We consider Big Bang Nucleosynthesis (BBN) and Cosmic Microwave Background (CMB) bounds and explore how these limits depend upon the unknown reheating temperature of the Universe, T_{reh} . Compared with some previous studies, we account for the rare decays of these ALPs into light hadrons and show that this leads to extended constraints for several reheating temperatures. Our limits are cast in a model-independent way, and we identify regions of parameter space which alleviate small tensions in the determinations of N_{eff} and the deuterium abundance.

2511.00157

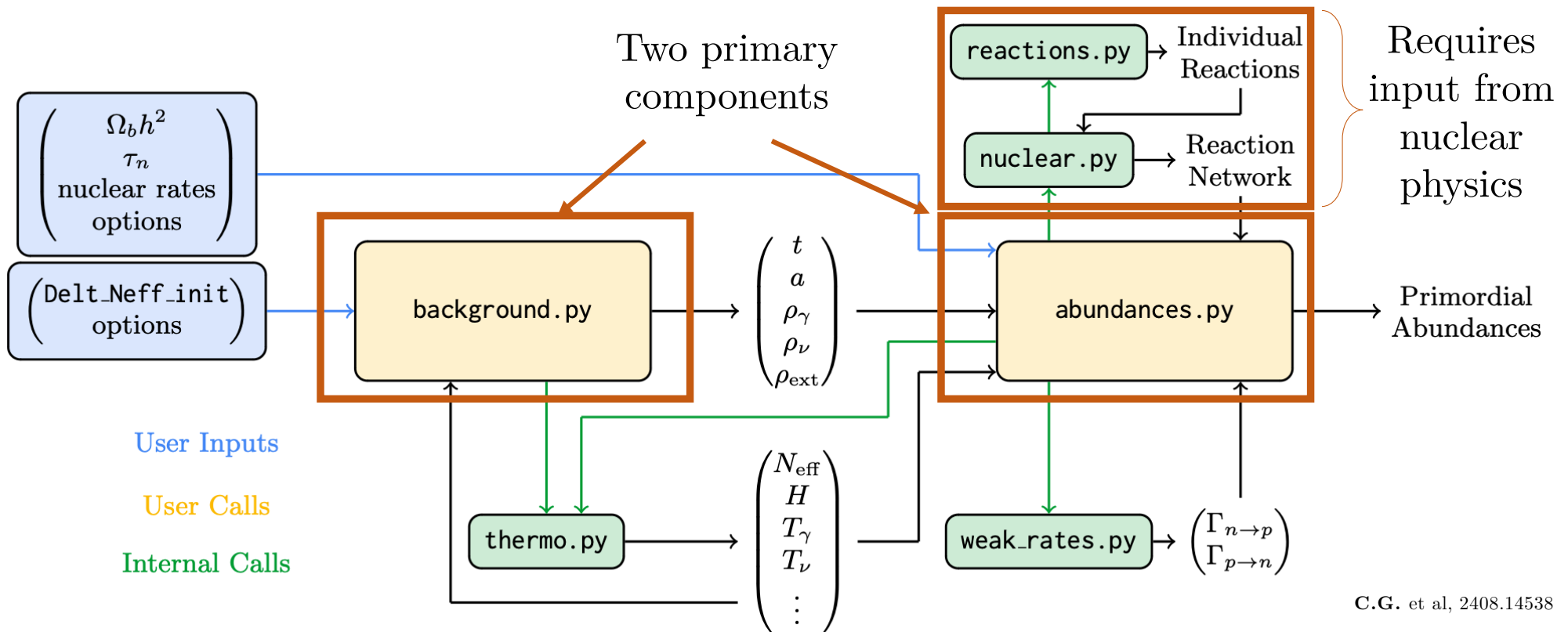
Prediction meets measurement



<https://github.com/cgiovanetti/LINX>

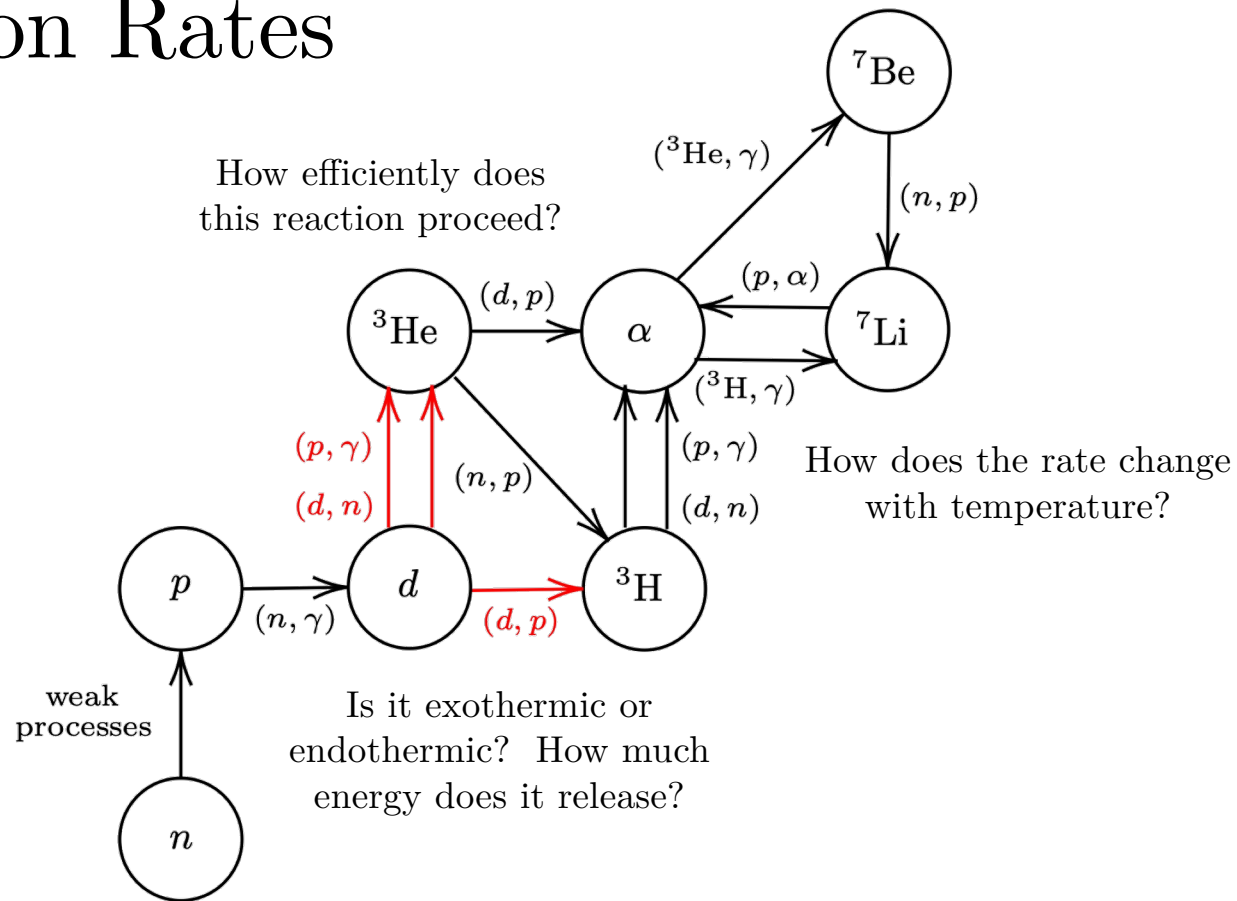
R. Cooke et al., 1308.3240

Where does a BBN prediction come from?



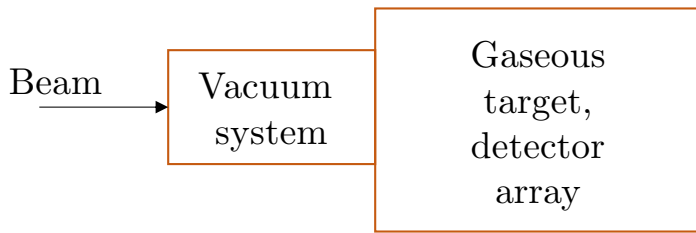
C.G. et al, 2408.14538

Reaction Rates



How are nuclear rates measured?

Windowless gas targets



Requires complicated system of vacuum pumps

Large uncertainty from gas density nonuniformity

Solid targets

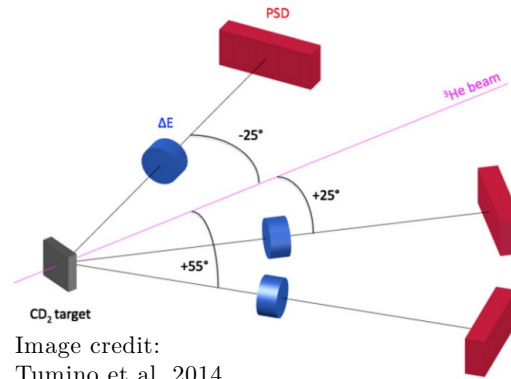
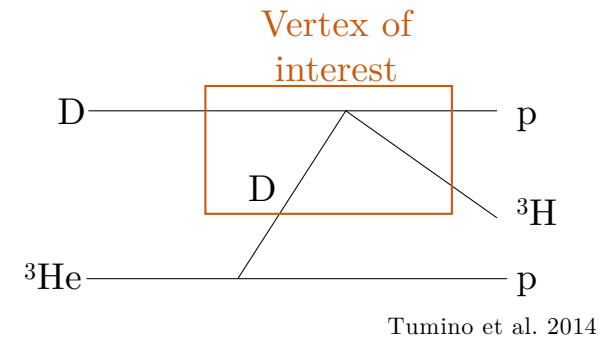


Image credit: Tumino et al. 2014

Targets chip as experiment runs

Trojan Horse

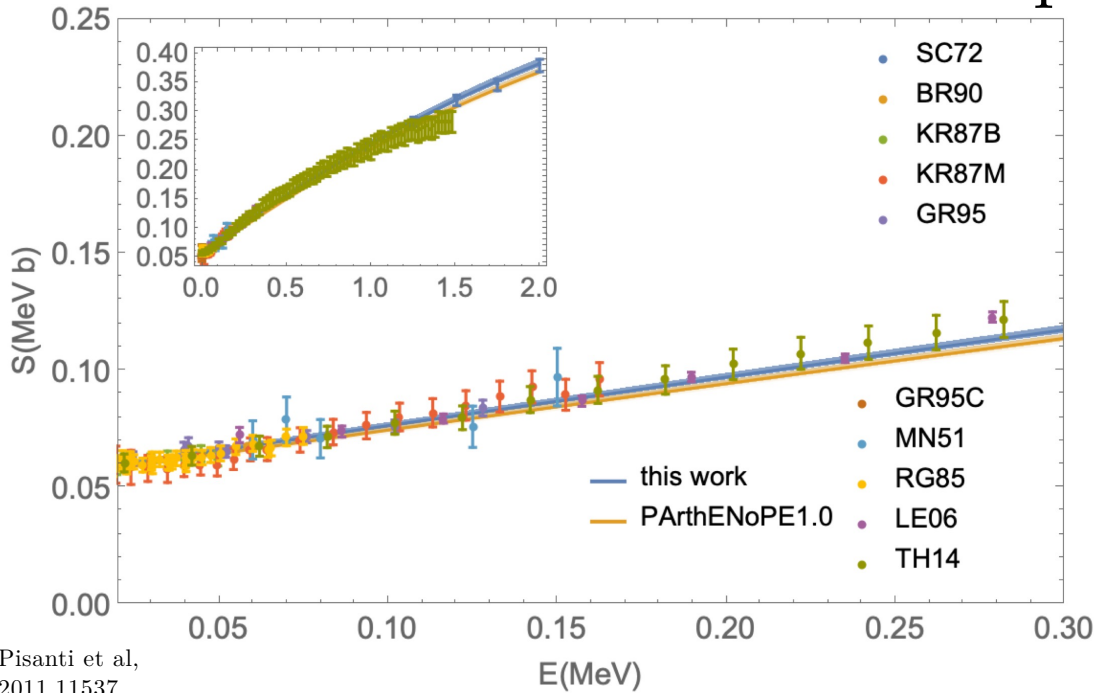


Tumino et al. 2014

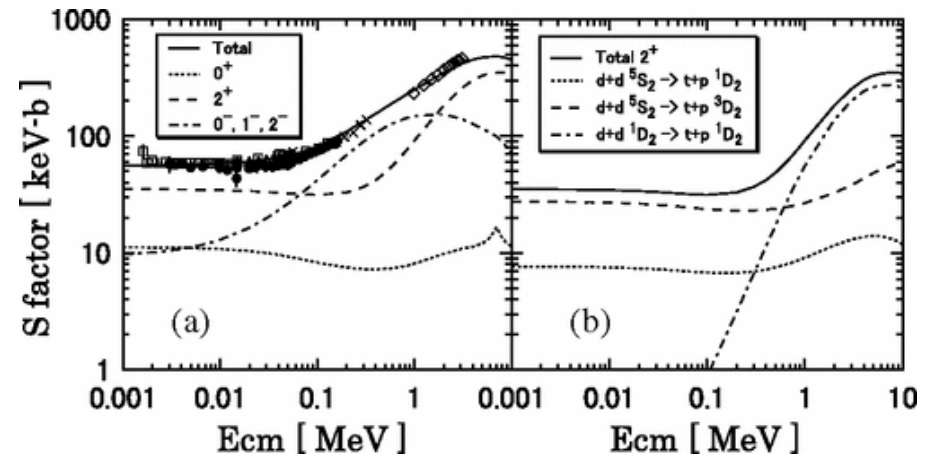
Avoids electron screening

Impossible to know overall normalization

How are nuclear rates measured?



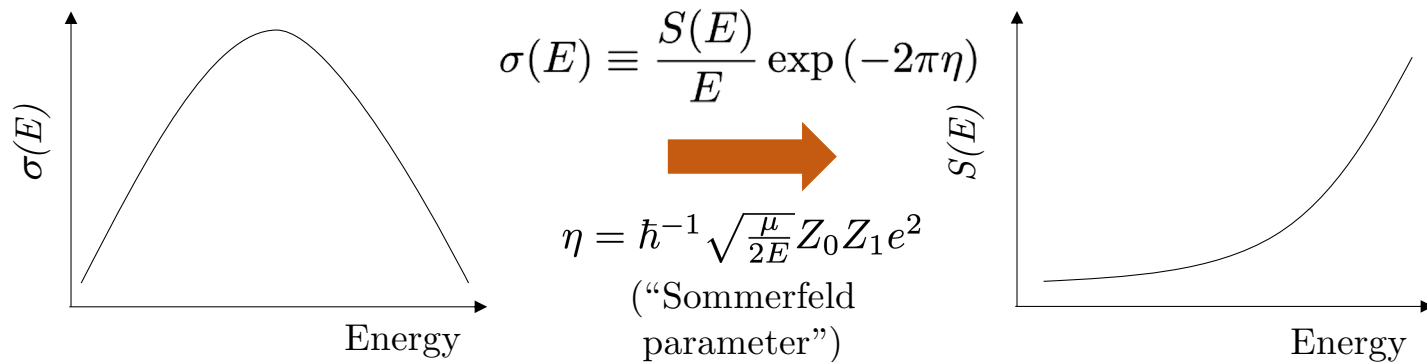
Pisanti et al,
2011.11537



Arai et al, PRL,
2011

What is $S(E)$?

- Cross sections have strong energy-dependence



- Work back to get rate $N_A \langle \sigma v \rangle = N_A \int_0^\infty \sigma(v) \phi_{\text{MB}}(v) v dv$

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Two teams, two deuterium predictions

PARthENoPE

Pisanti et al. 0705.0290
Consiglio et al. 1712.04378

FORTRAN77 code with
GUI originally released in
2008, updated 2018 and
regularly since then

Used by the Planck team

$$D/H \times 10^5 : 2.51 \pm 0.04^*$$

PRIMAT

Pitrou et al. 1801.08023

Mathematica code originally
released 2018

Improved ${}^4\text{He}$ predictions from
updated weak rate
calculations, large reaction
network

$$D/H \times 10^5 : 2.44 \pm 0.04^*$$

*assuming $\Omega_b h^2 = .02237 \pm .00015$

Reaction network

- Main input to BBN codes is a reaction network
 - Includes rates for all reactions in the network
- $d + d \rightarrow {}^3\text{He} + n$ and $d + d \rightarrow t + p$ rates **differ** between PRIMAT and PARthENoPE

```
*- d + d > He3 + n ;
**%Gom17
3.2689 1.73183E+00 0. -37.9341
0.0010 1.322E-08 1.011E+00
0.0020 5.489E-05 1.011E+00
0.0030 3.025E-03 1.011E+00
0.0040 3.737E-02 1.011E+00
0.0050 2.214E-01 1.011E+00
0.0060 8.556E-01 1.011E+00
0.0070 2.508E+00 1.011E+00
0.0080 6.074E+00 1.011E+00
0.0090 1.280E+01 1.011E+00
0.0100 2.427E+01 1.011E+00
0.0110 4.242E+01 1.011E+00
0.0120 6.945E+01 1.011E+00
0.0130 1.078E+02 1.011E+00
0.0140 1.602E+02 1.011E+00
0.0150 2.293E+02 1.011E+00
0.0160 3.183E+02 1.011E+00
0.0180 5.674E+02 1.011E+00
0.0200 9.321E+02 1.011E+00
0.0250 2.507E+03 1.011E+00
0.0300 5.307E+03 1.011E+00
0.0400 1.570E+04 1.011E+00
0.0500 3.373E+04 1.011E+00
```

Temperature Rate Uncertainty

Two teams, two deuterium predictions

PARthENoPE

Uses phenomenological
(polynomial) fits

*Agrees with the
Standard Model*

PRIMAT

Uses theory curve for fits

*Produces deuterium
tension*

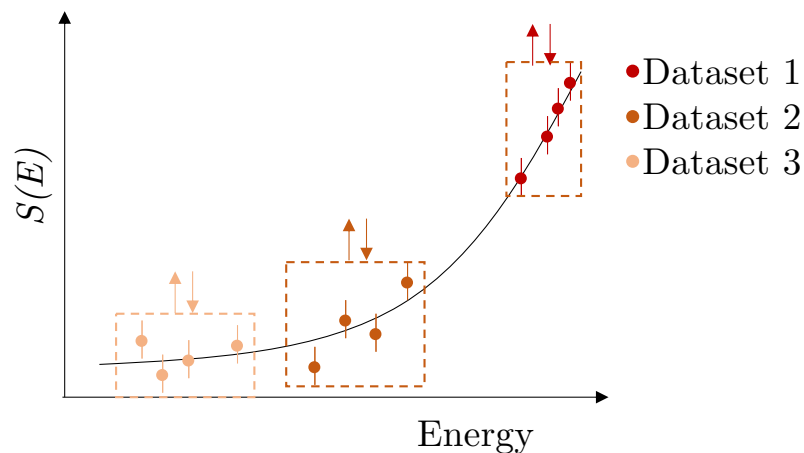
Dataset selection

Selection of experimental data sets : D(d,n) ³ He and D(d,p) ³ H				
Ref.	Gómez Iñesta+2017	PRIMAT	Yeh+	Pisanti+
<i>Tumino+ 2014</i>	Normalisation		✓	✓
<i>Leonard+ 2006</i>	2%	✓	✓	✓
<i>Hofstee+ 2001</i>	Screening		✓	
<i>Greife+ 1995</i>	3.3%	✓	✓	✓
<i>Brown+ 1990</i>	1.3%	✓	✓	✓
<i>Krauss+ 1987</i>	6.4-8.2%	✓	✓	✓
<i>FRG 1985</i>	??			✓
<i>Schulte+ 1972</i>	High Energy		✓	✓
<i>Ganeev+ 1957</i>	(≠Theory)		✓	
<i>Arnold+ 1954</i>	(≠Theory)			
<i>Preston+ 1954</i>	Normalisation			
<i>McNeill+ 1951</i>	Syst. >20%			✓

Alain Coc, *The BBN nuclear reaction network (D and ⁷Li)*. News, Opportunities and Challenges in Big Bang Nucleosynthesis (EuCAPT Workshop), 2025.

PARthENoPE: Phenomenological Fits

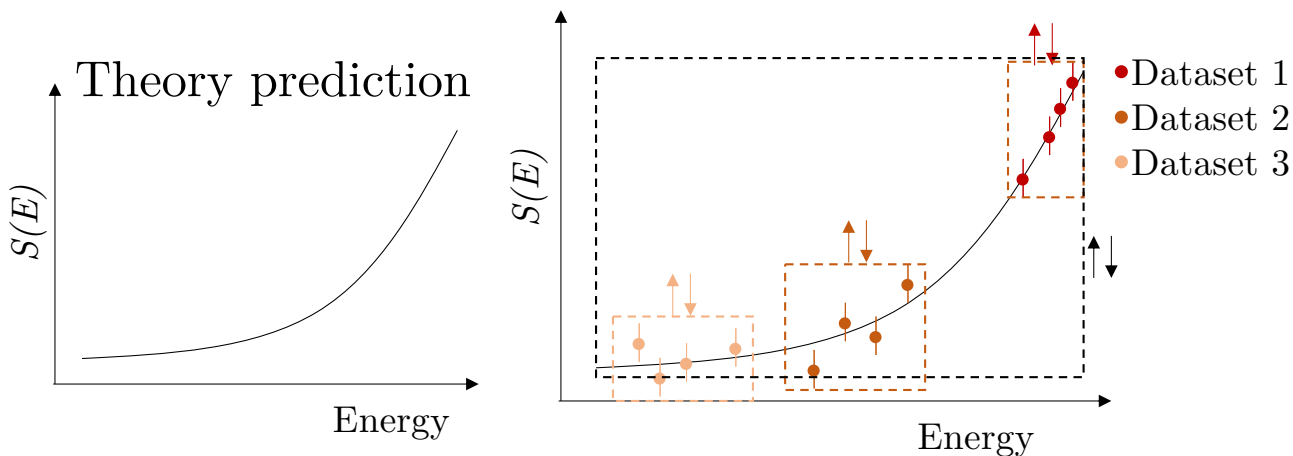
- Follow the data
- Degree 2-4 polynomial, float dataset normalizations in χ^2 minimization



Total number of
parameters:
3 (data normalization) +
degree of polynomial

PRIMAT: Theory-informed fits

- Use what you know
- Nuclear theory uncertainties are not known, *only available up to 0.6 MeV*
- Float theory and data normalization



Total number of
parameters:
3 (data normalization) +
1 (theory normalization)

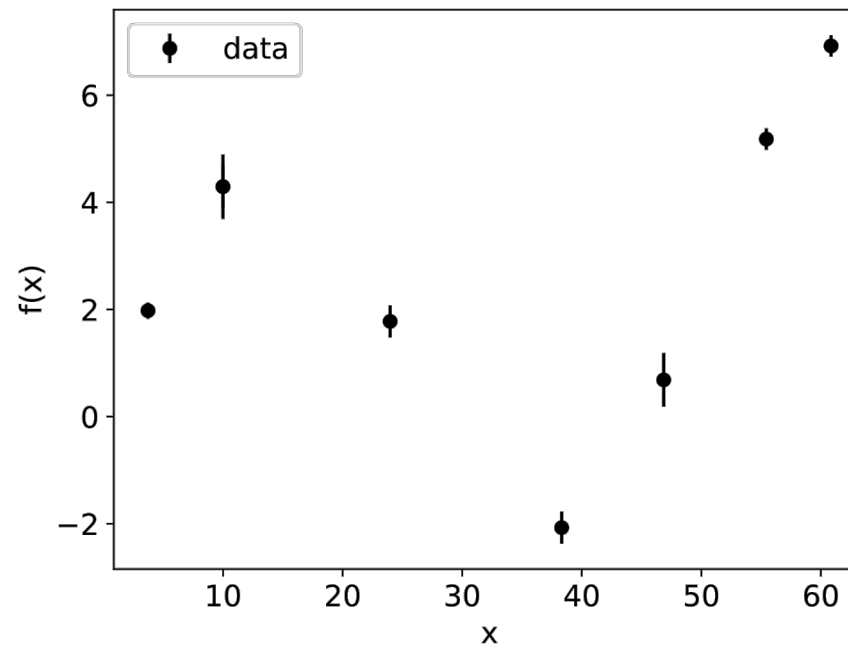
Outline

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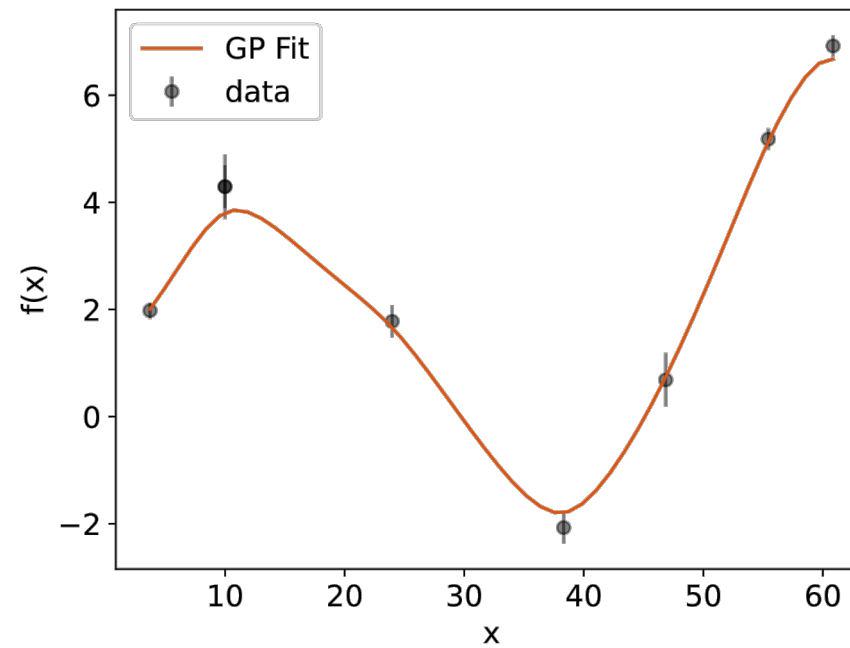
Gaussian Processes

- Using Gaussian Process Regression to fit data
- Treats your data as if it comes from some highly multivariate Gaussian
- Kernel parameters indicate correlations between data points to constrain the problem

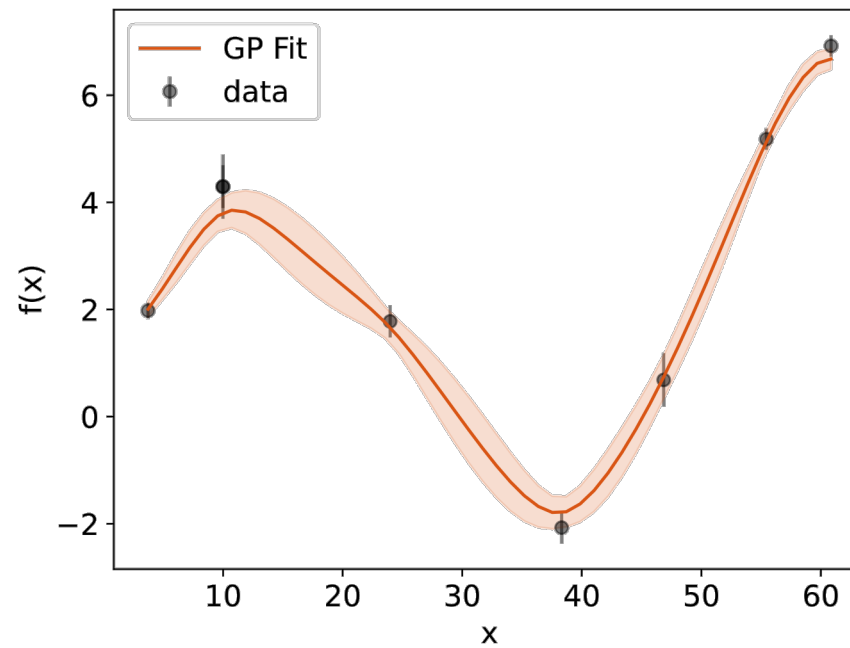
Gaussian Processes



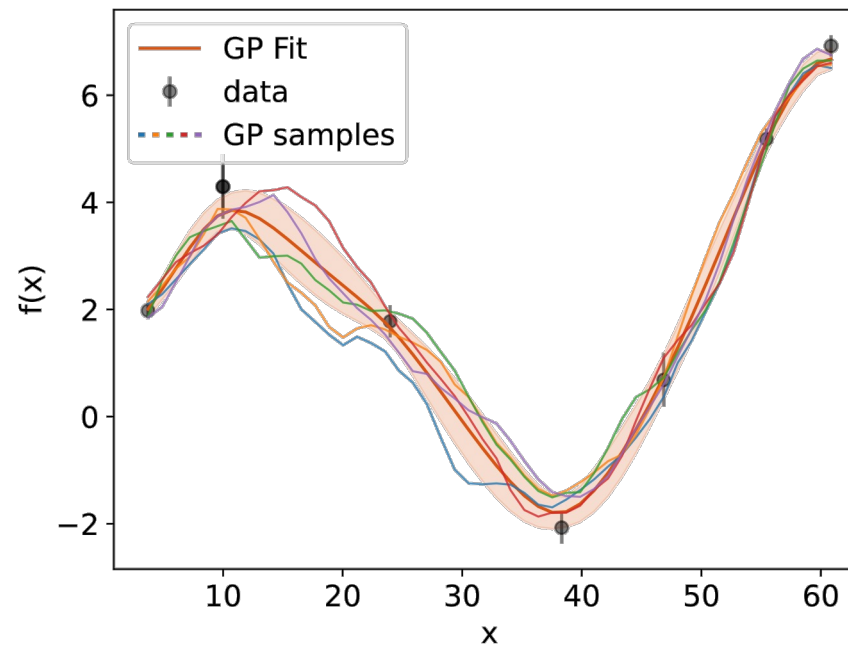
Gaussian Processes



Gaussian Processes



Gaussian Processes



Gaussian Processes: The Weeds

Real data points

$$\begin{bmatrix} y \\ y_* \end{bmatrix}$$

Real data abscissae

$$\sim \mathcal{N} \left(\begin{bmatrix} \mu \\ \mu_* \end{bmatrix}, \begin{bmatrix} K(X, X) + \sigma & K(X, X_*) \\ K(X_*, X) & K(X_*, X_*) \end{bmatrix} \right)$$

Target abscissae

Interpolated points

$$y_* | X, y, X_* \sim \mathcal{N}(\mu_*, \Sigma_*)$$

$$\mu_* = K(X_*, X)(K(X, X) + \sigma^2 I)^{-1} y$$

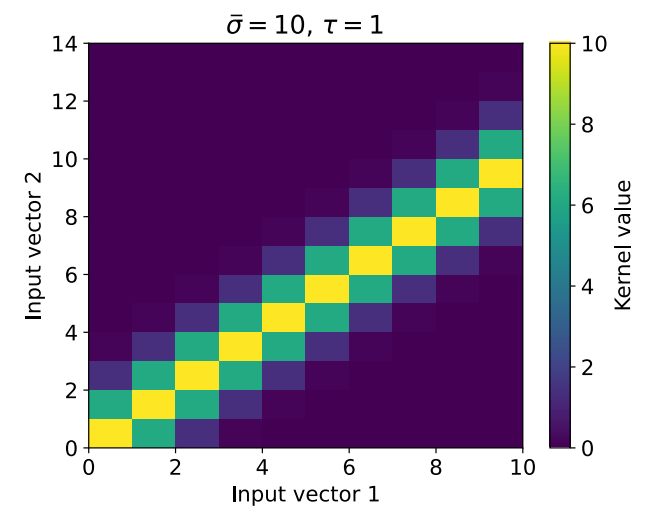
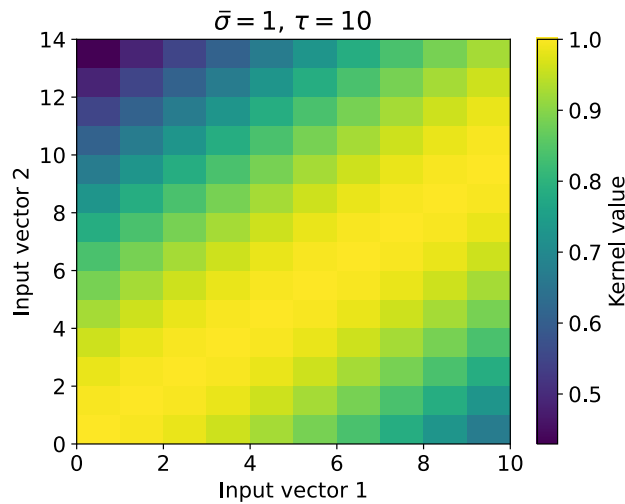
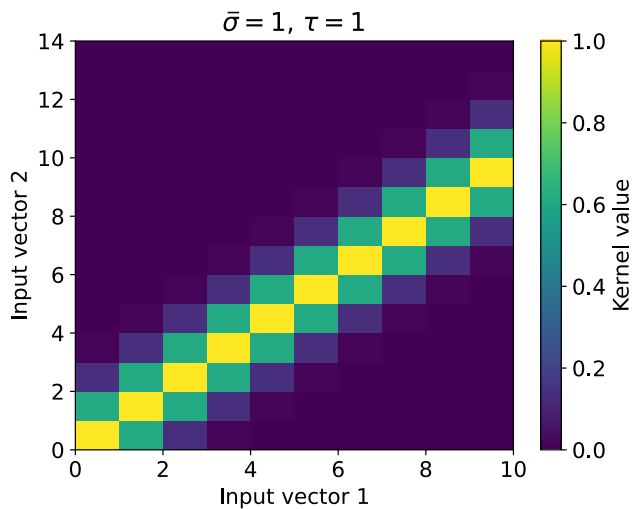
Kernel (“If I know $f(x_1)$, what do I know about $f(x_2)$?”)

Kernel parameters

Kernel amplitude

Distant points are less related

- Consider a kernel $K(X_*, X) = \bar{\sigma} e^{-(X_* - X)^2 / (2\tau^2)}$



$$\mu_* = \underset{\uparrow}{K}(X_*, X)(K(X, X) + \sigma^2 I)^{-1} y$$

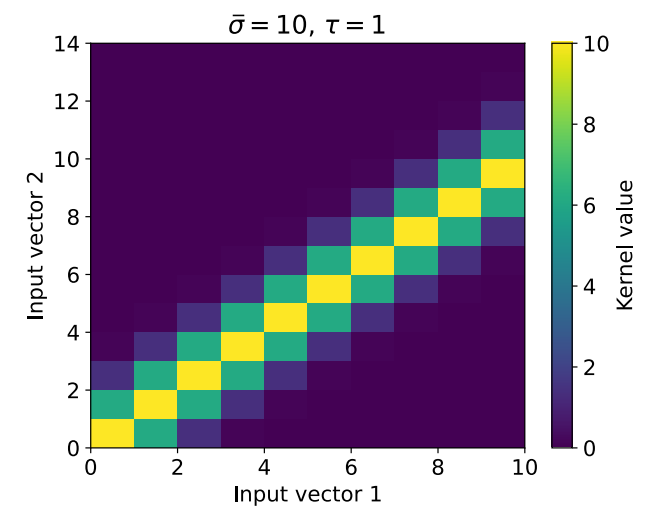
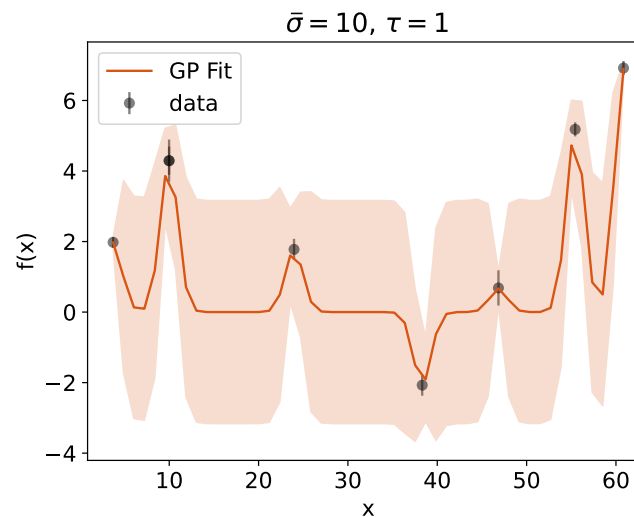
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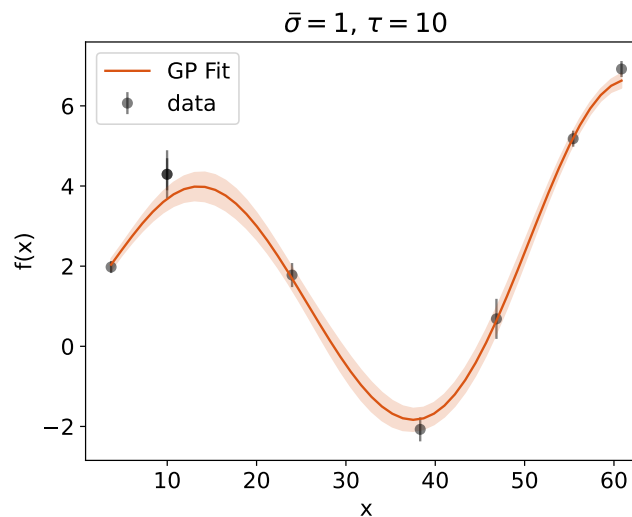
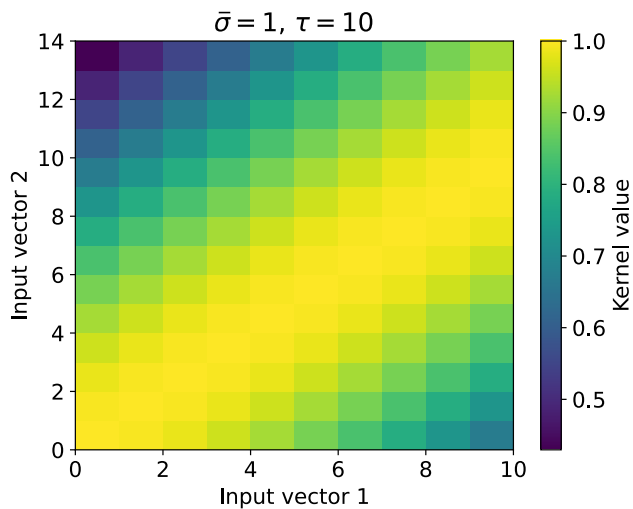
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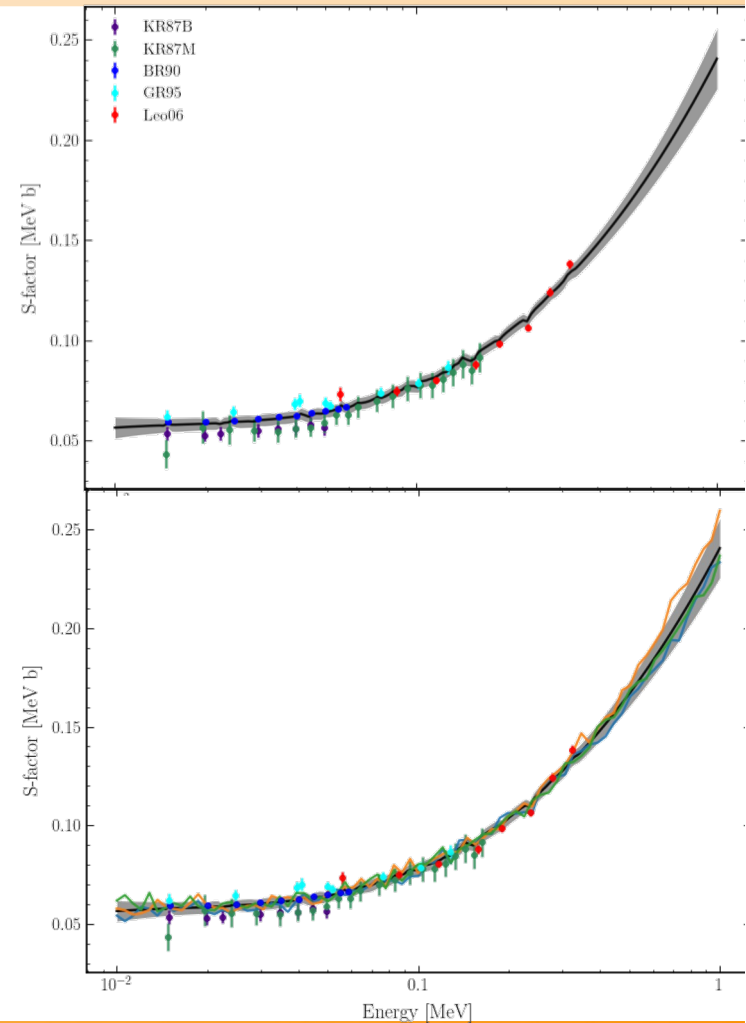


$$\mu_* = \underset{\uparrow}{K}(X_*, X)(K(X, X) + \sigma^2 I)^{-1} y$$

Kernel (“If I know $f(x_1)$, what do I know about $f(x_2)$?”)

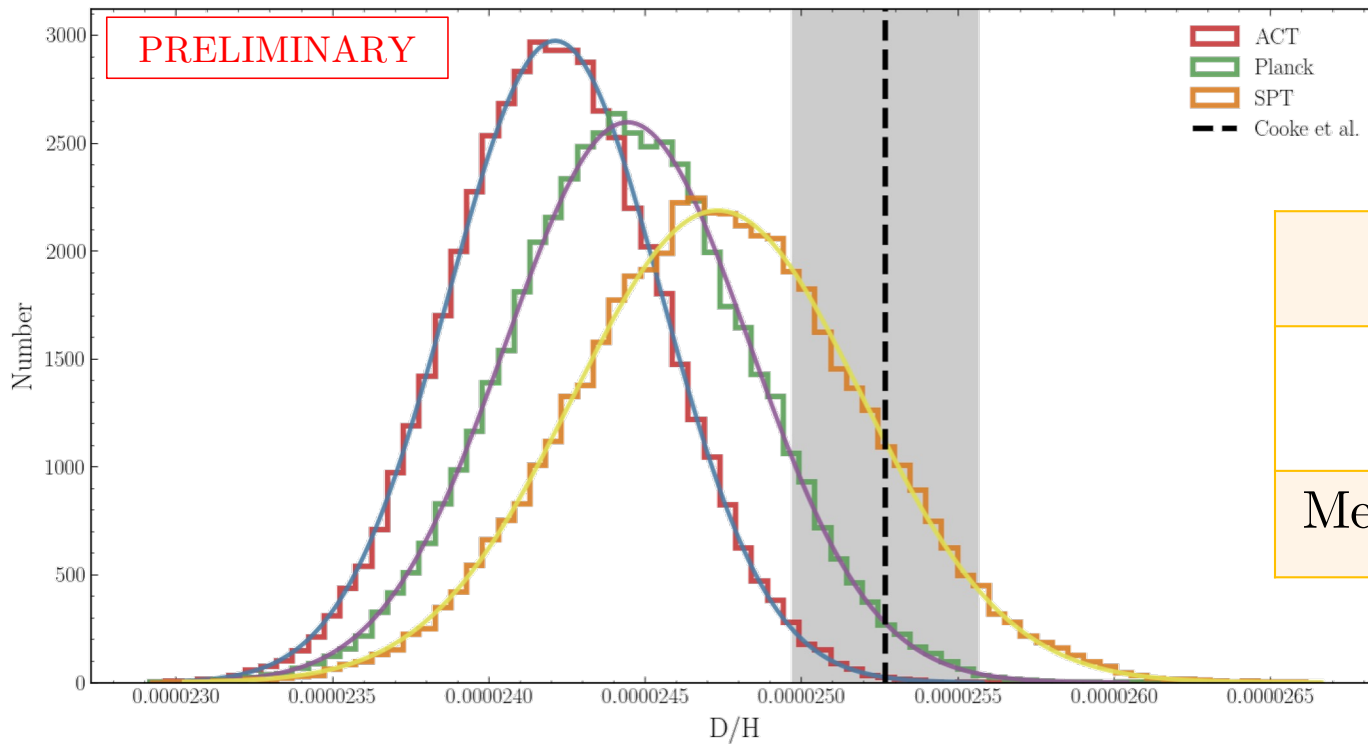
A deuterium prediction from a GP

- Fit a GP to key deuterium rates
 - $d(d,p)^3\text{H}$, $d(d,n)^3\text{He}$, and $d(p,\gamma)^3\text{He}$
- Sample rate uncertainties by sampling GP posterior
- Draw $\sim 10,000$ times to infer D/H



Results

Tim Launders,
BU



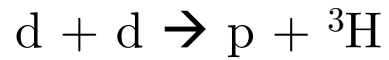
Planck TT,TE,EE+lowE+lensing
 $\Omega_b h^2 = 0.02237 \pm .00015$

	D/H x 10⁵
GP	2.45 ± 0.04
Measurement	2.53 ± 0.03 Cooke et al., 1710.11129

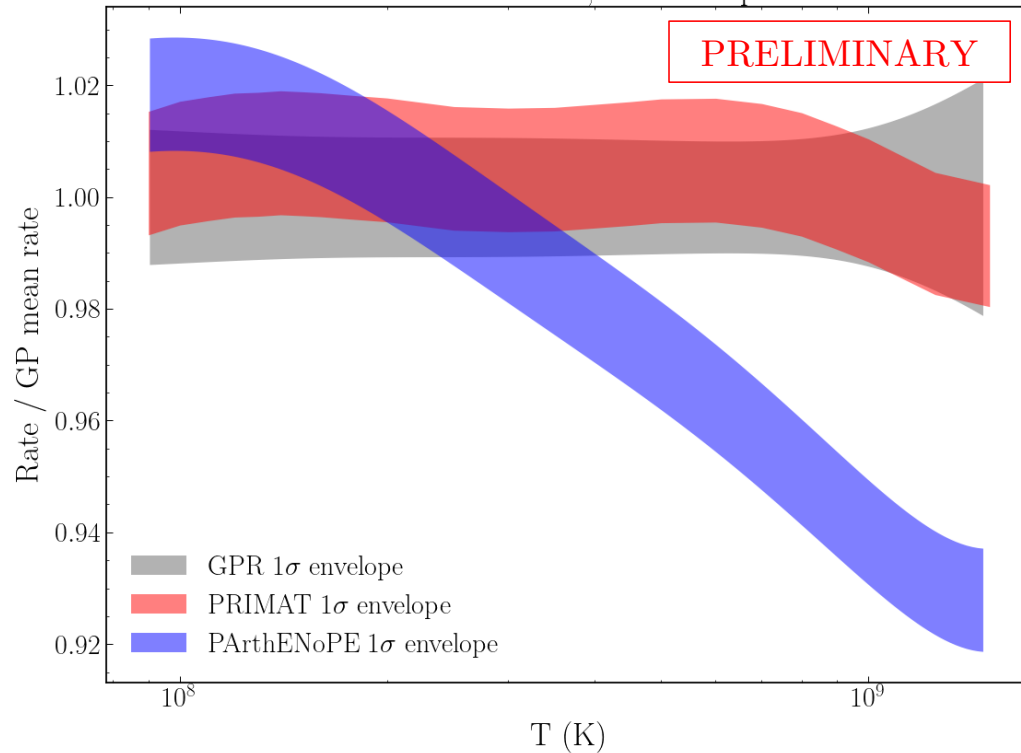
Tim Launders,
BU



Results



GP Rate Posterior, 10000 samples



Planck TT,TE,EE+lowE+lensing
 $\Omega_b h^2 = 0.02237 \pm .00015$

	D/H x 10⁵
PArthENoPE	2.51 ± 0.04
PRIMAT	2.44 ± 0.04
GP	2.45 ± 0.04
Measurement	2.53 ± 0.03 Cooke et al., 1710.11129

Gaussian Process result agrees with less-flexible, theory-informed fit.

	D/H x 10 ⁵
PArthENoPE	2.54 ± 0.04
PRIMAT	2.44 ± 0.04
GP	2.45 ± 0.04 PRELIMINARY
Measurement	2.53 ± 0.03

Why?

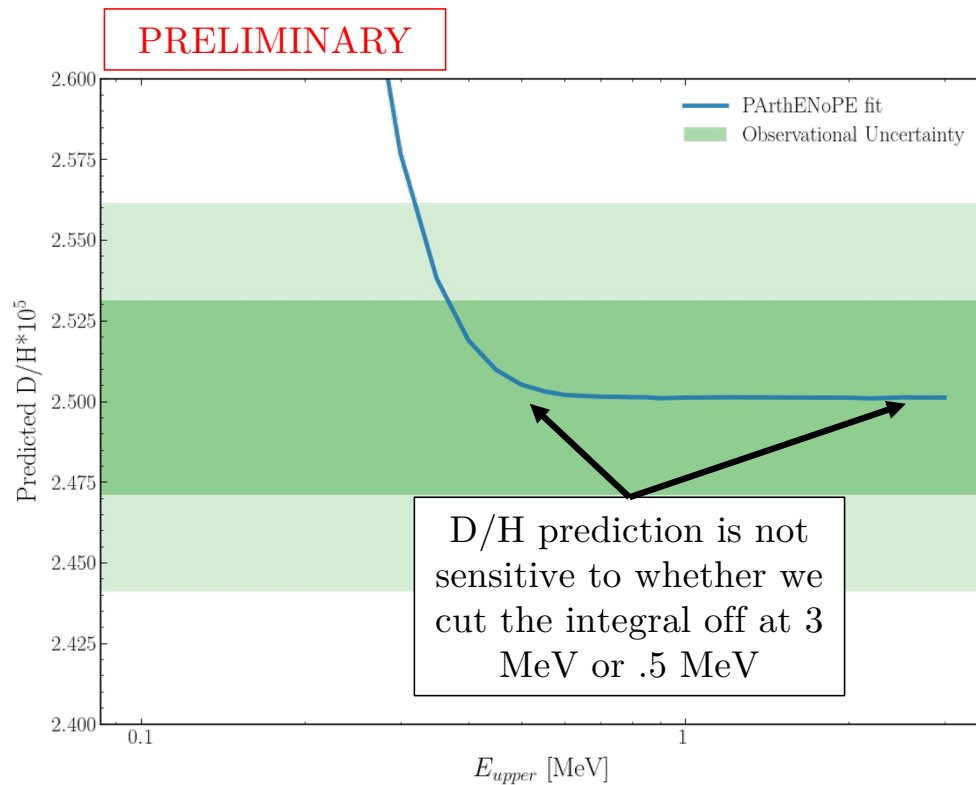
Problems with a low-degree polynomial

- High-energy systematics
- Shape is just not flexible enough
- Frequentist analysis: care needed to define penalized likelihood

Systematics

- $S(E)$ is not a rate. The rate is $N_A \langle \sigma v \rangle = N_A \int_0^\infty \sigma(v) \phi_{\text{MB}}(v) v dv$
- Involves a thermal average
- On paper, that thermal average should extend up to infinity

Systematics



$$N_A \langle \sigma v \rangle = N_A \int_0^{\infty} \sigma(v) \phi_{\text{MB}}(v) v dv$$

$$\stackrel{\text{empirically}}{=} N_A \int_0^{E = 0.5 \text{ MeV}} \sigma(v) \phi_{\text{MB}}(v) v dv$$

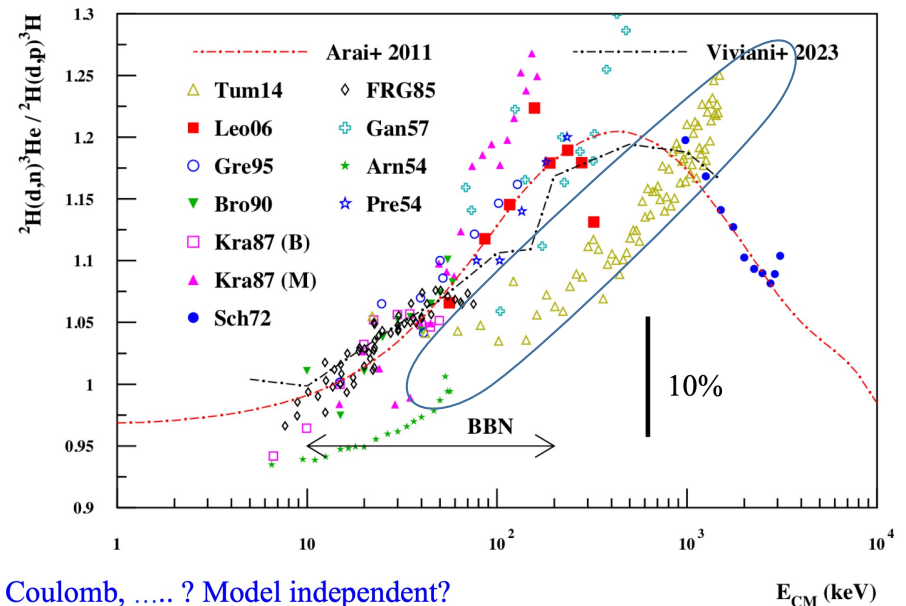
There is simply **no need for data above 0.5 MeV!**

The danger of high-energy data

Selection of experimental data sets : $D(d,n)^3\text{He}$ and $D(d,p)^3\text{H}$

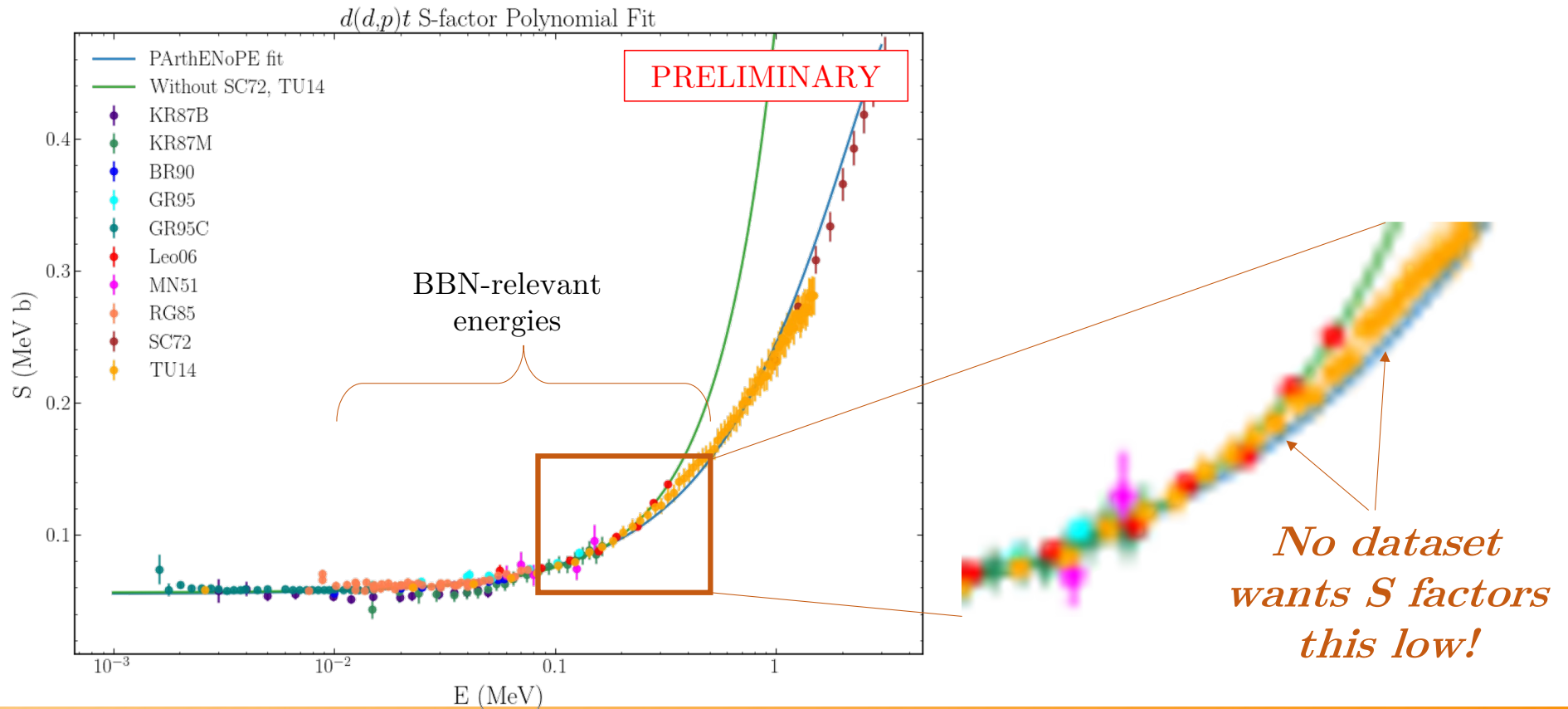
Ref.	Gómez Iñesta+2017	PRIMAT	Yeh+	Pisanti+
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<i>Leonard+ 2006</i>	2%	✓	✓	✓
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<i>Greife+ 1995</i>	3.3%	✓	✓	✓
<i>Brown+ 1990</i>	1.3%	✓	✓	✓
<i>Krauss+ 1987</i>	6.4-8.2%	✓	✓	✓
<i>FRG 1985</i>	??			✓
<i>Schulte+ 1972</i>	High Energy		✓	✓
<i>Ganeev+ 1957</i>	(≠Theory)		✓	
<i>Arnold+ 1954</i>	(≠Theory)			
<i>Preston+ 1954</i>	Normalisation			
<i>McNeill+ 1951</i>	Syst. >20%			✓

Ratio partially eliminates experimental and theoretical normalization concern



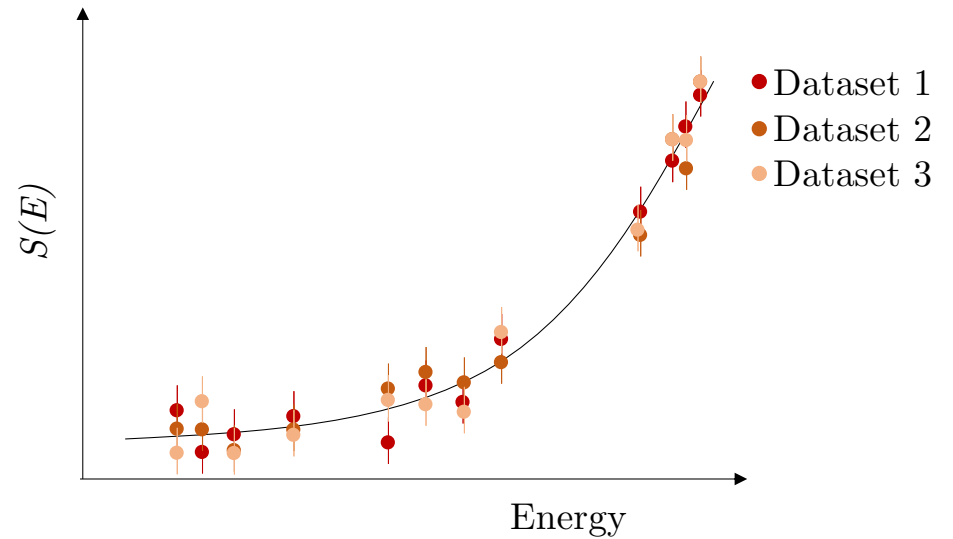
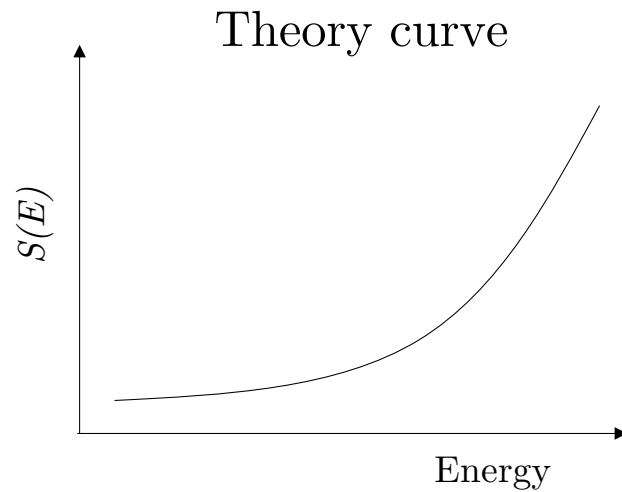
Alain Coc, *The BBN nuclear reaction network (D and ${}^7\text{Li}$)*. News, Opportunities and Challenges in Big Bang Nucleosynthesis (EuCAPT Workshop), 2025. See also 1511.03843

Exclude high-energy data...



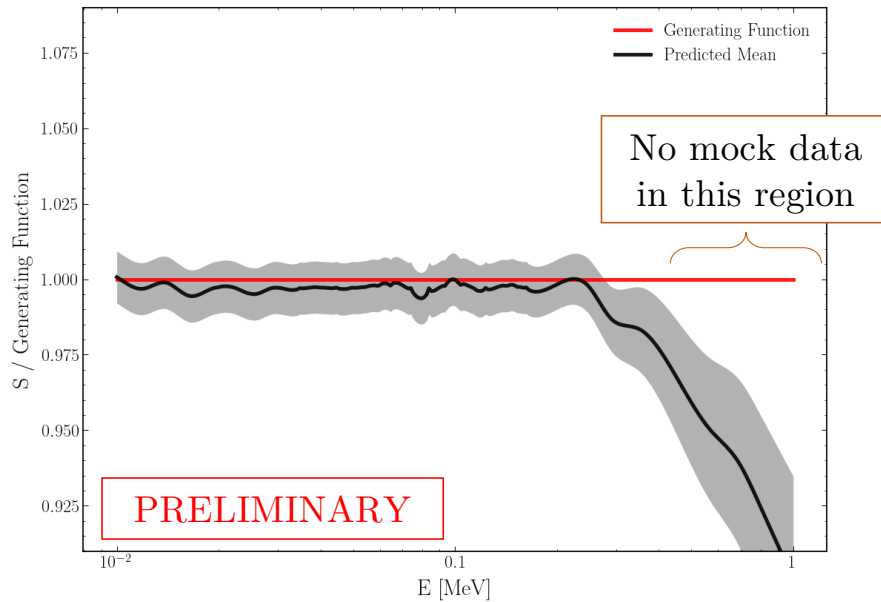
Low-degree polynomials not flexible

Arai et al.
2011

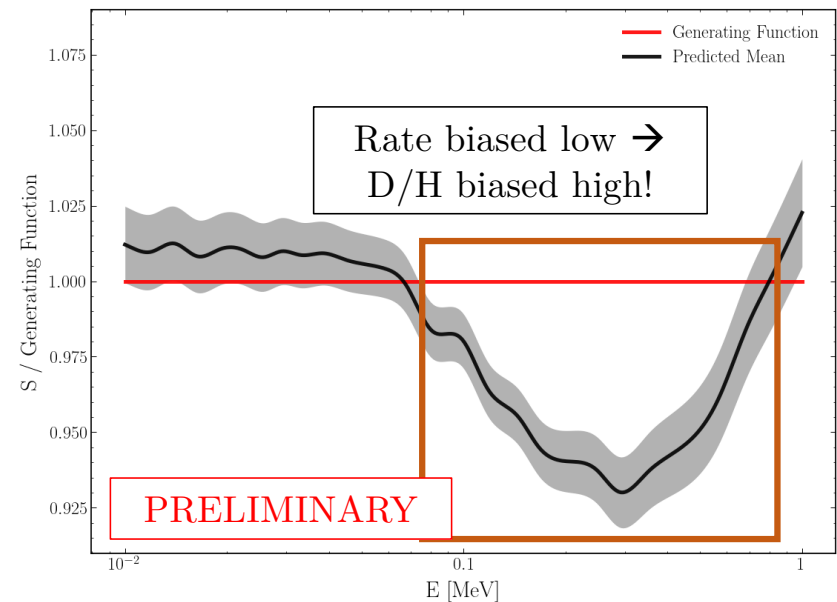


Low-degree polynomials not flexible

Gaussian Process, $d(d,p)t$



Degree-2 polynomial, $d(d,p)t$



Arai et al. 2011 generating function

Is there a tension?

- Systematics and inflexible model *preliminarily* seem to explain why PArthENoPE disagrees with PRIMAT
- Gaussian Process was **not susceptible to these issues** because of increased fit flexibility
- All signs point to a $\sim 2\sigma$ tension in deuterium

Should I care?

- Only two abundances are reliably measured (and one upper bound)
- D/H measurement is **statistics limited**
 - Plans to use 30m telescopes to find more systems and push error bars down
Cooke and Pettini, “Precision Cosmology with the Lightest Elements”, Gruber Cosmology Prize Symposium, 2025
- Nuclear physics experiment side: **need to make the case for new experiments**

Outline

- BBN Overview
- Previous determinations of the primordial deuterium abundance
- A new method
- New physics perspective

Particle interactions

- Nuclear physics—no new particles involved?
- Late-time photo/hadrodissociation of ${}^3\text{He}/{}^4\text{He}$ e.g. Bianco et al.,
2505.01492
- Photo/hadrodissociation of ${}^4\text{He}$ during BBN Escudero Abenza,
Garcia-Perez,
Ovchinnikov,
2511.00157

Thermodynamics

- Increase N_{eff}
 - BBN ends sooner \rightarrow no time for deuterium to be burned
- Increase neutrino temperature relative to photons
 - Increases N_{eff}
- Decrease baryon-to-photon ratio during BBN
 - BBN starts later, is shorter \rightarrow less time for deuterium burning

Outlook

- **All signs point to a 2σ deuterium tension hint**
- New deuterium measurements, or even ${}^3\text{He}$ measurements, on the horizon, **could provide a clearer picture**
- **Exciting BSM solutions**—neutrino portals, decaying axions, etc. e.g. C.G., M. Schmaltz, N. Weiner, 2402.10264

Backup Slides

Gaussian Processes: The Weeds

$$\begin{bmatrix} y \\ y_* \end{bmatrix} \sim \mathcal{N} \left(\begin{bmatrix} \mu \\ \mu_* \end{bmatrix}, \begin{bmatrix} K(X, X) + \sigma^2 I & K(X, X_*) \\ K(X_*, X) & K(X_*, X_*) \end{bmatrix} \right)$$

$$\rightarrow y_* | X, y, X_* \sim \mathcal{N}(\mu_*, \Sigma_*)$$

Interpolated points

$$\mu_* = K(X_*, X)(K(X, X) + \sigma^2 I)^{-1} y$$

Kernel (“If I know $f(x_1)$, what do I know about $f(x_2)$?”)

$$\Sigma_* = K(X_*, X_*) - K(X_*, X)(K(X, X) + \sigma^2 I)^{-1} K(X, X_*)$$

Highly Correlated Gaussian Processes

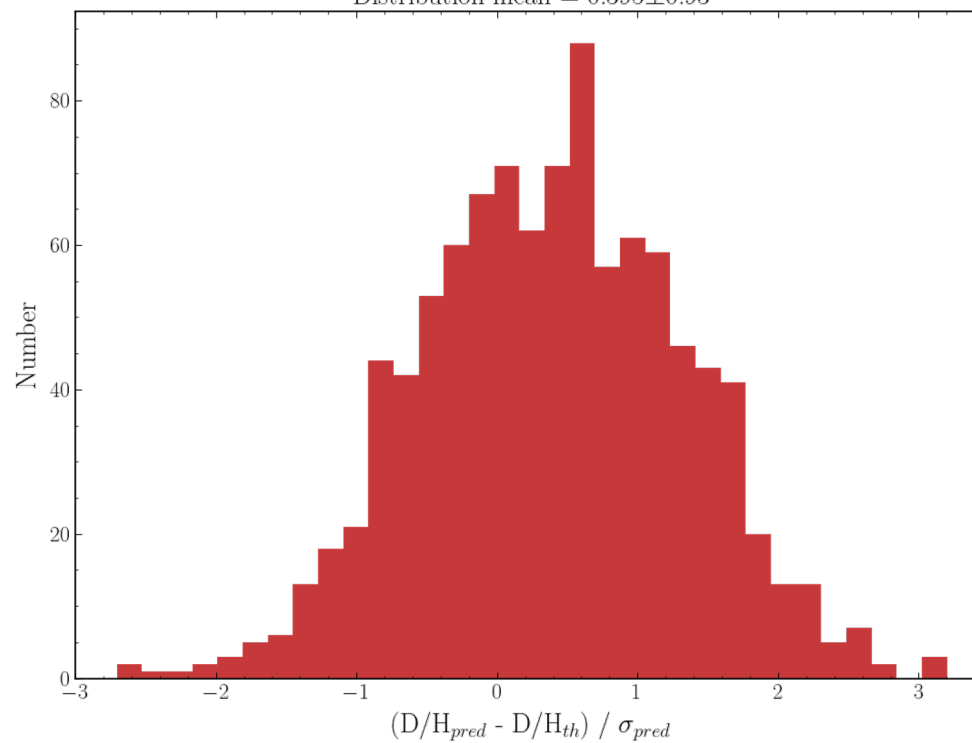
Block covariance matrix
including systematic and
statistical uncertainties

$$\begin{bmatrix} y \\ y_* \end{bmatrix} \sim \mathcal{N} \left(\begin{bmatrix} \mu \\ \mu_* \end{bmatrix}, \begin{bmatrix} K(X, X) + \mathbf{C}_{\text{full}} & K(X, X_*) \\ K(X_*, X) & K(X_*, X_*) \end{bmatrix} \right)$$

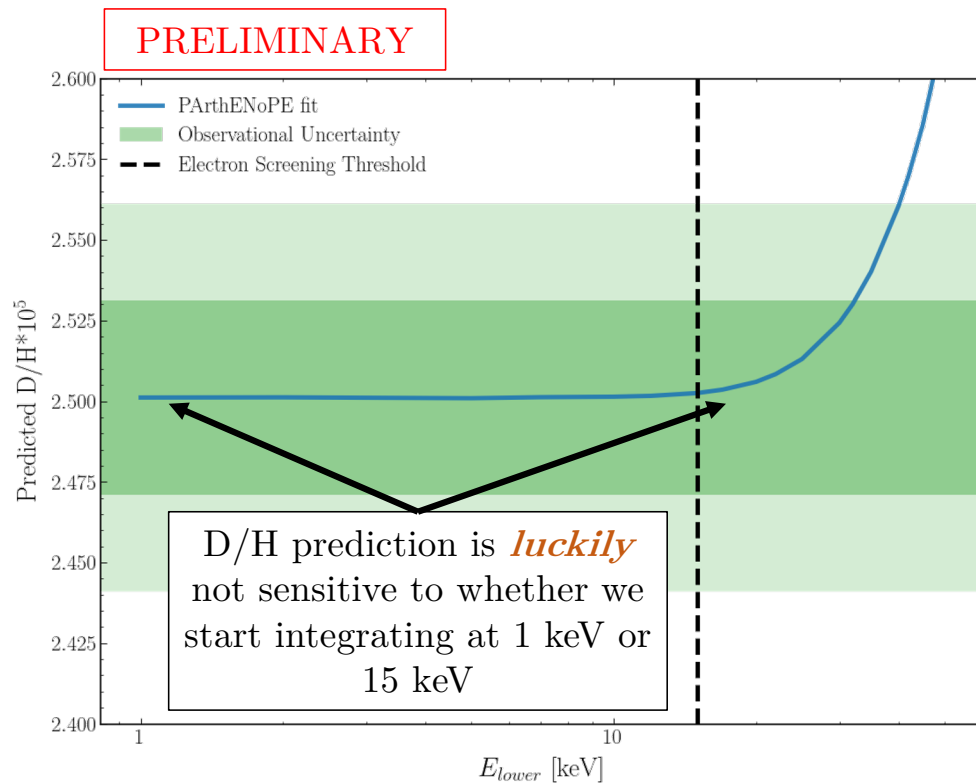
Kernel: Squared Exponential + Matérn for globally smooth function with small-scale fluctuations

Low-bias estimator

D/H from mock $d(d,n)^3\text{He}$ data, LDO GP, theory generating function
1000 samples, 665 containing true value within 1σ
Distribution mean = 0.395 ± 0.93



Screening and systematics



$$N_A \langle \sigma v \rangle = N_A \int_0^\infty \sigma(v) \phi_{\text{MB}}(v) v dv$$

$$\stackrel{\text{empirically}}{=} N_A \int_{E=15 \text{ keV}}^{E=0.5 \text{ MeV}} \sigma(v) \phi_{\text{MB}}(v) v dv$$

There is fortunately
**no need for data
below 15 keV!**

See also Greife et al
1995, PRC

PARthENoPE Likelihood

- PARthENoPE analysis includes normalization errors as a penalty term in their parameter estimation

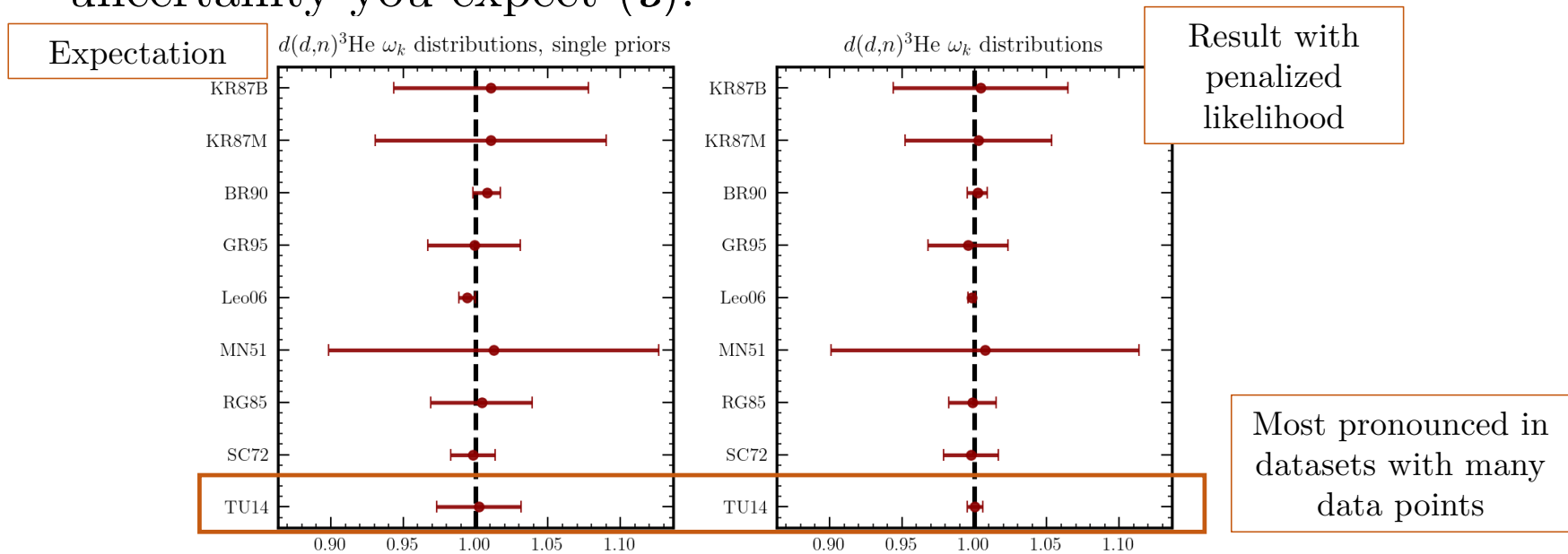
$$\begin{aligned}
 -2 \log f(\mathbf{S}; a_0, \omega) - 2 \log p(\omega) &= \sum_i \frac{(S_i - a_0/\omega)^2}{\sigma^2} + \frac{(\omega - 1)^2}{\alpha \epsilon^2} \\
 \text{Likelihood} & \quad \text{Penalty} & \quad \text{Measured } S \text{ factor} & \quad \text{Normalization parameter} \\
 & \quad \text{Statistical uncertainty} & \quad \text{Systematic/normalization} & \quad \text{uncertainty}
 \end{aligned}$$

- This procedure estimates $\sigma_w^2 = \left(1 + \frac{N}{\sigma^2} \langle \mu \rangle^2 + \frac{1}{\alpha \epsilon^2}\right)^{-1}$ (N the number of data points)

- When penalty ($\alpha \epsilon^2$) is large, $\sigma_w \rightarrow \epsilon/N \ll \epsilon$ ($\alpha = 1/N$)

PARthENoPE Likelihood

- Normalization uncertainty you infer (ε/N) \ll normalization uncertainty you expect (ε).



- May lead to underestimation of S -factor error bars

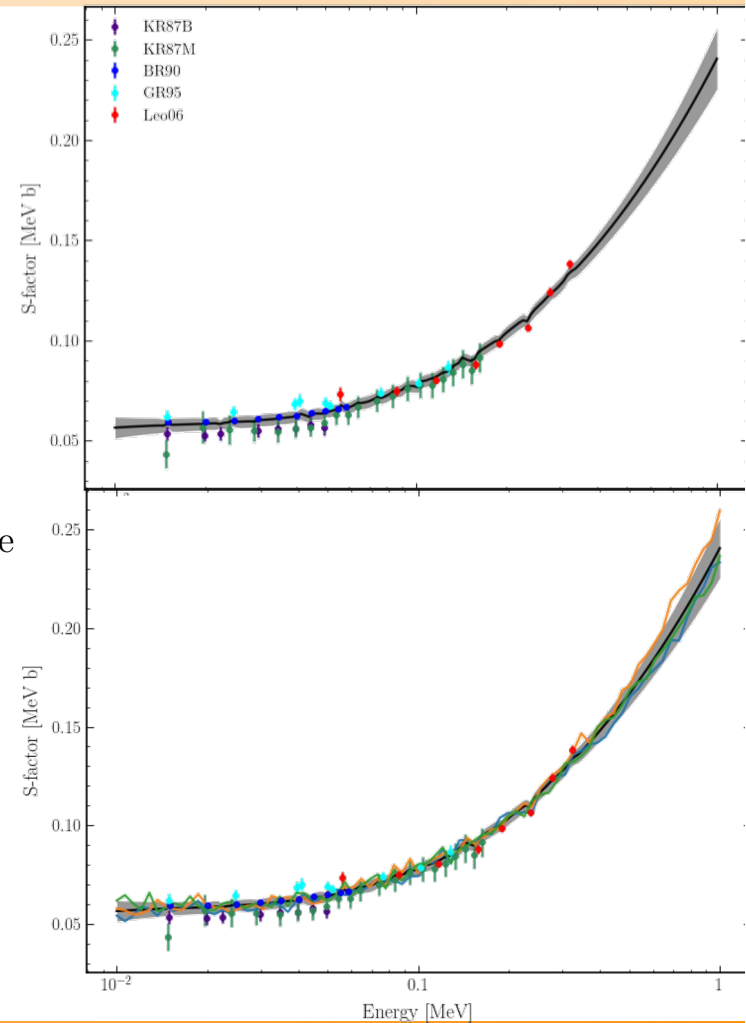
A deuterium prediction from a GP

- Fit a GP to key deuterium rates
 - $d(d,p)^3\text{H}$, $d(d,n)^3\text{He}$, and $d(p,\gamma)^3\text{He}$

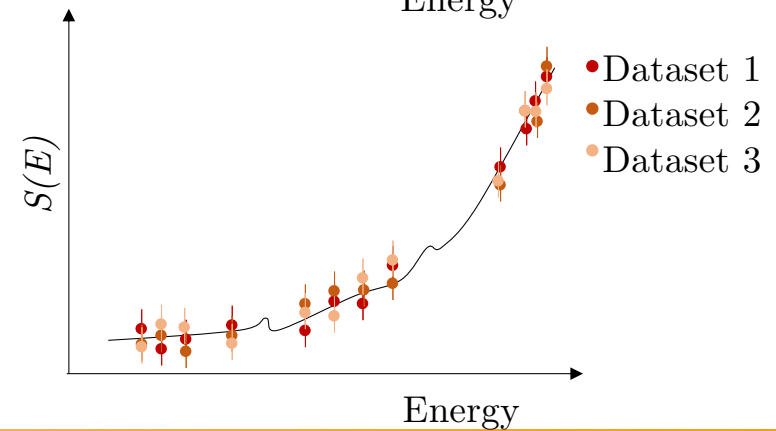
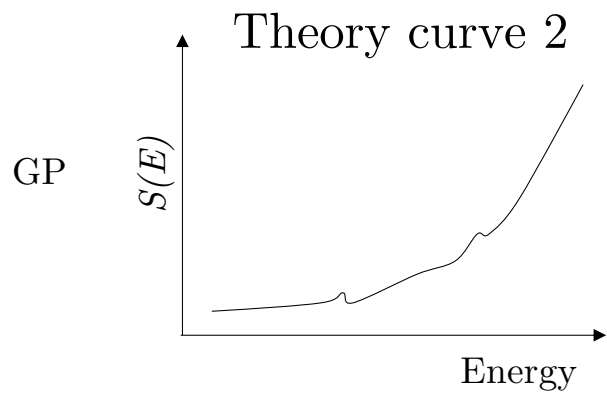
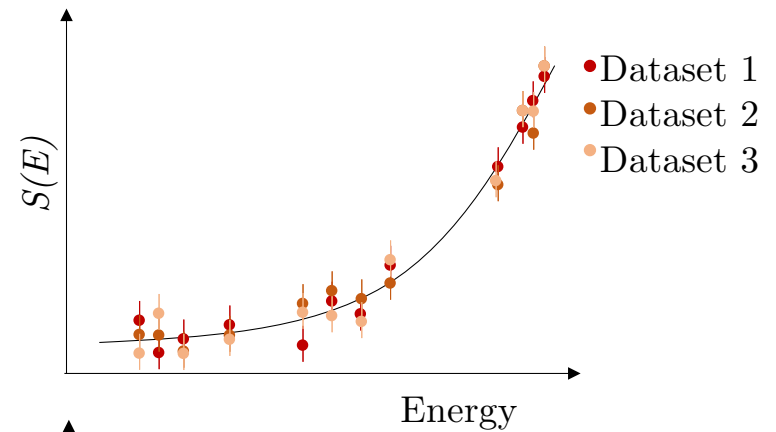
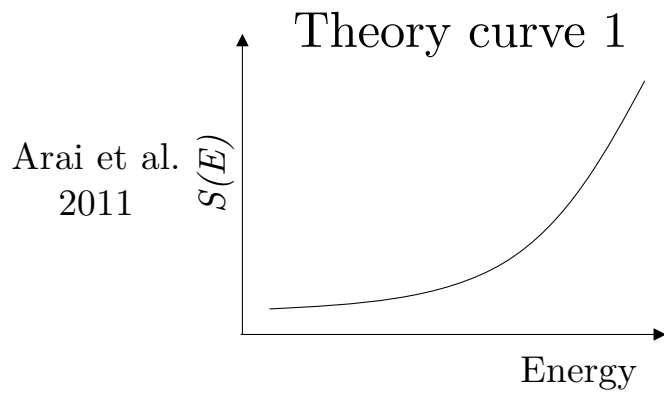
- Replace $\log \lambda(T) = \log \bar{\lambda}(T) + q\sigma(T)$ with GP draws

Rate in BBN code
Unit Gaussian variable
Mean
Uncertainty

- Draw $\sim 10,000$ times to infer D/H



Low-degree polynomials not flexible



Insensitivity to kernel choice

