

Model Independent Characterization of New Physics with Early Data

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work with Johan Alwall and Natalia Toro (arXiv:0810.3921)

Model-Independence?

For searches, model-independent means “recyclable”:

Results should allow multiple model comparisons to
broadly applicable exclusions

If a signal is observed, then what?

Characterizing New Physics

With a signal, the pretense behind “model-independence”
is absent

There’s only one model of nature -- we want to identify it!

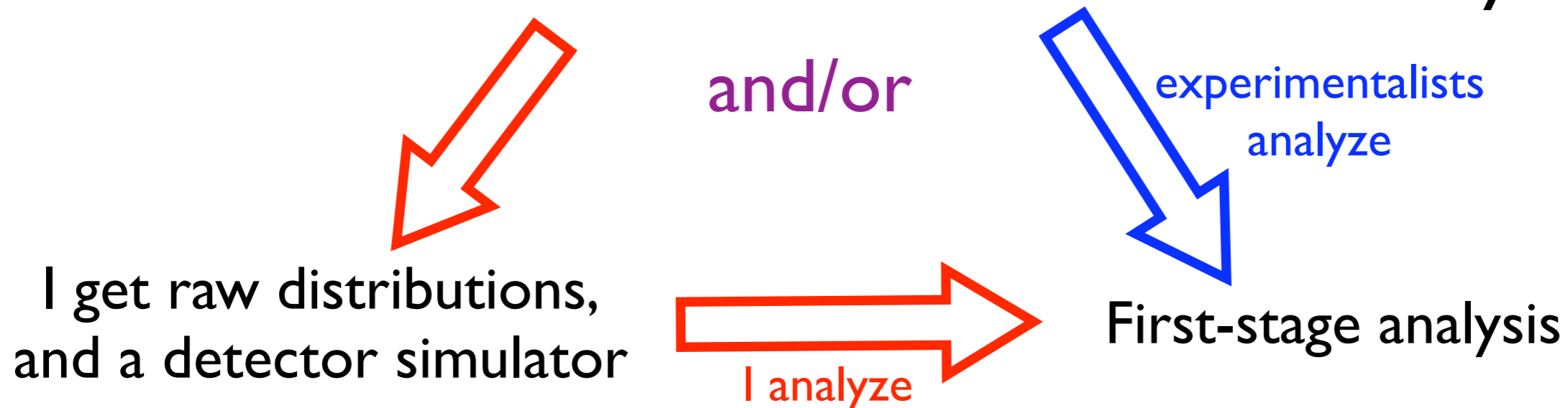
The point should be to describe the data, then draw
and test inferences

One Theorist's Perspective

To learn what model describes nature, I want to check consistency of the data with a wide variety of guesses

I'm not an experimentalist, not a detector expert, and not particularly experienced doing careful exp. analysis

Is there a form of the data that I can study?

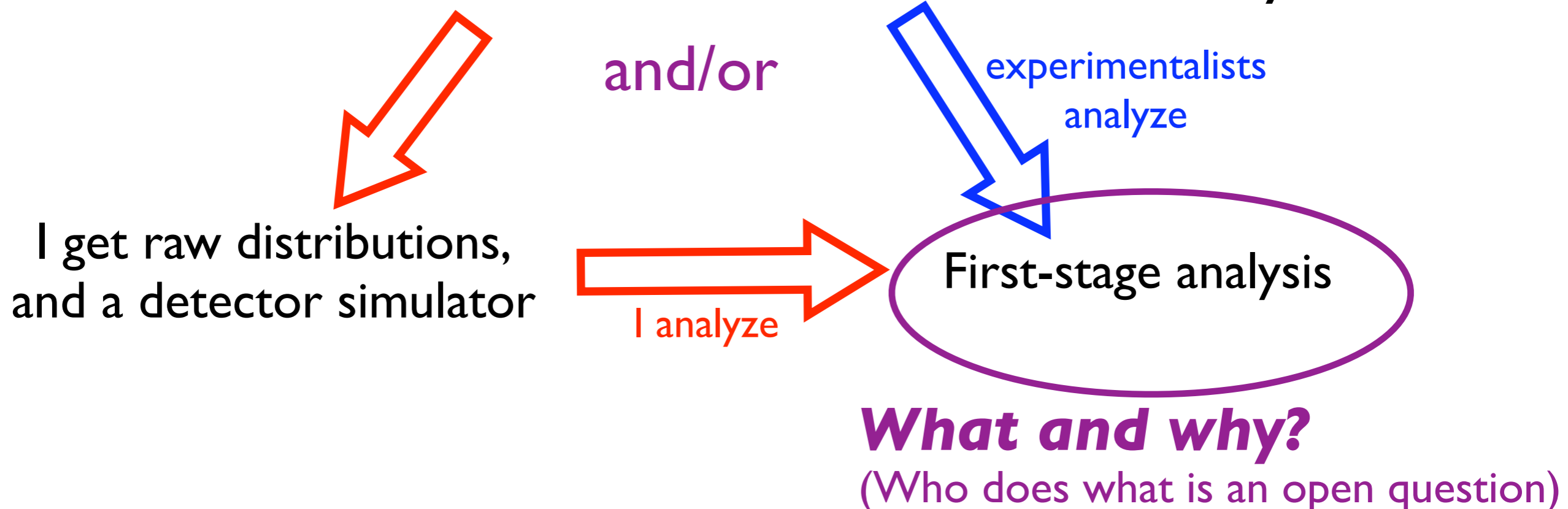


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Is there a form of the data that I can study?



Simplify, Simplify, Simplify...

Establish approximate **mass scale, quantum number,**
and **decay chain determined by the data...**

(This is what a **model-independent characterization** means)

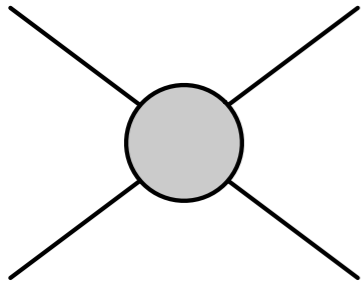
Simplify the **model space** to sift relevant from irrelevant and
resolvable from un-knowable details
(appropriate for early data, low statistics)

Disregard structure that's "hard" to measure

Simplify until description is typically over-constrained by data

How?

Production and Decay Approximation



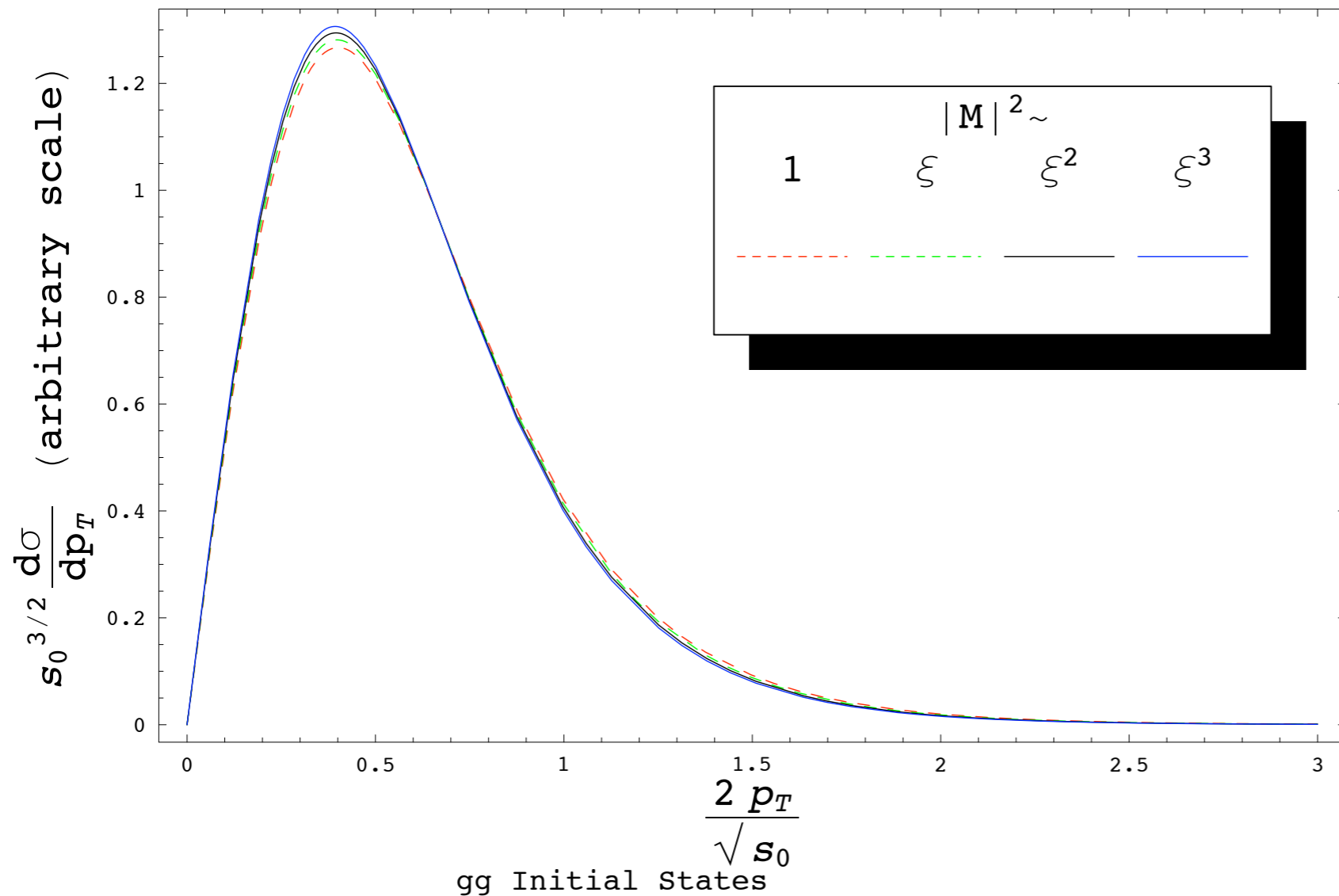
$$|\mathcal{M}|^2 = f(s, \xi) \quad \xi = \beta_{34} \cos \theta = \frac{\hat{t} - \hat{u}}{\hat{s}} = \frac{p_z}{\sqrt{s}}$$

$$|\mathcal{M}|^2 = \frac{\pi\alpha_s^2}{s^2} \left(\frac{4m_g^2 - t}{9} \frac{1}{s} + \frac{[(m_g^2 - t)s + 2m_g^2(m_q^2 - t)]}{(t - m_g^2)^2} + u + st + su + tu \text{ channels} \right)$$

$$\frac{d\sigma}{d\hat{t}} = \int \text{Parton Luminosity} \times \text{Phase Space (Threshold)} \times |\mathcal{M}|^2$$

Homogeneous function of energy \rightarrow uniform shape indep. of $|\mathcal{M}|^2$

Well Approximated by Constant!

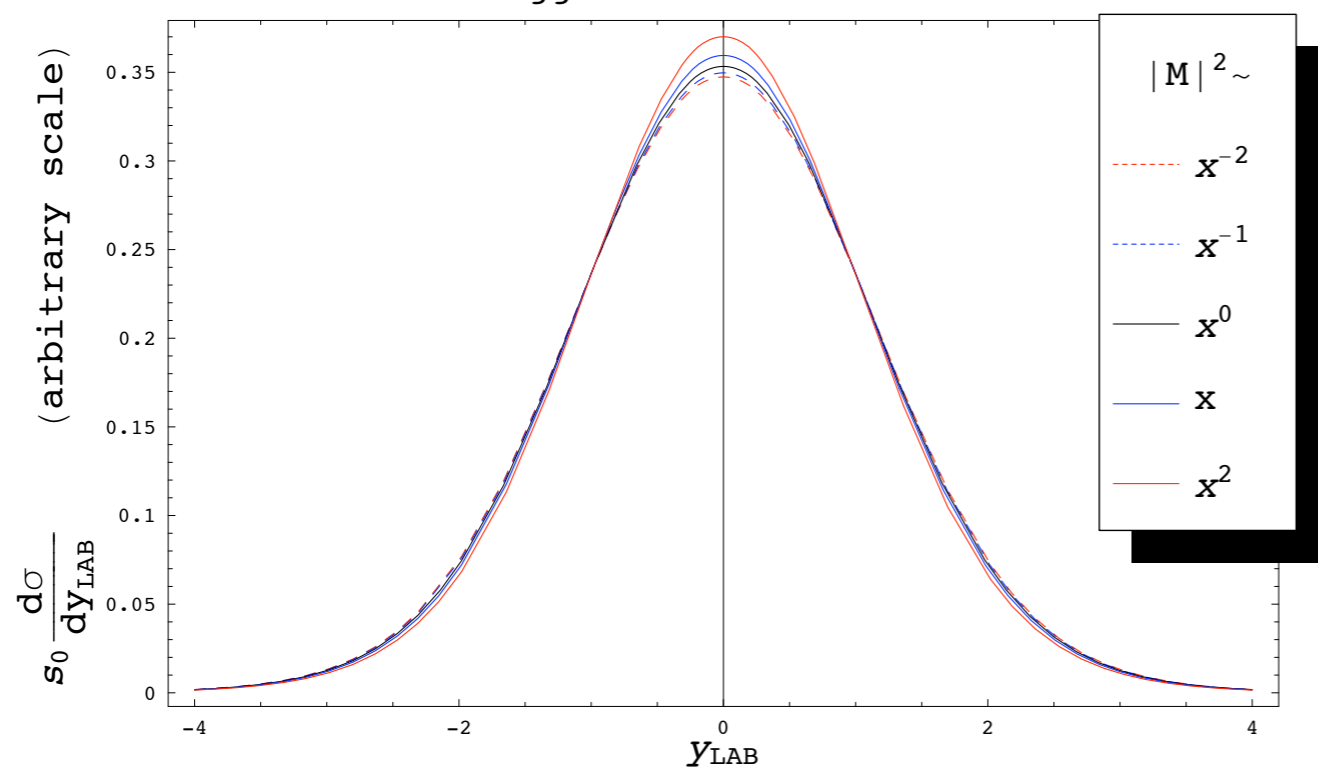


$$|\mathcal{M}|^2 \propto x^m \xi^n$$

implies

$$\frac{d\sigma}{dx_T} \propto x_T (1 + x_T)^{m+q}$$

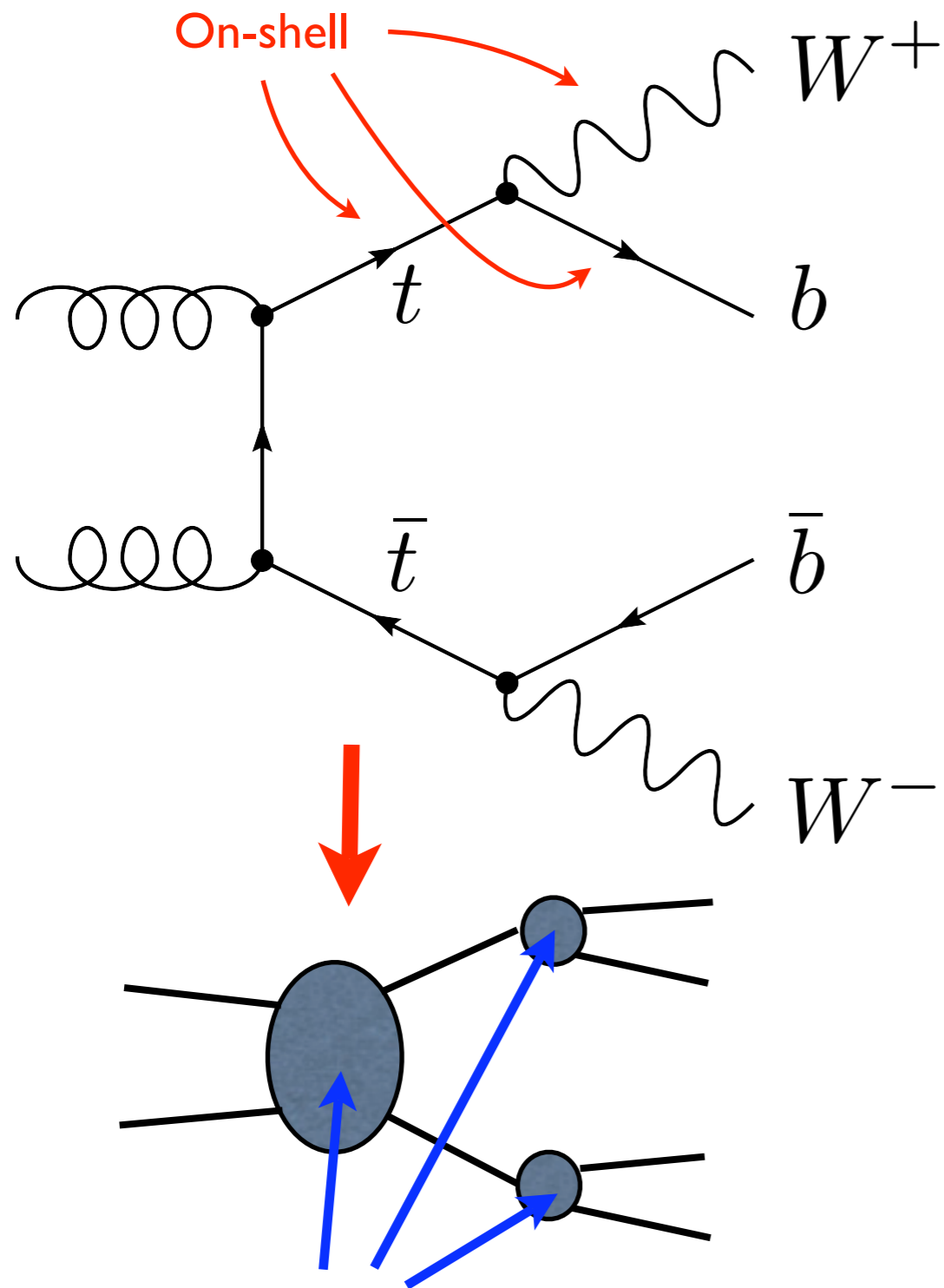
indep. of $n!$



Similarly, rapidity distribution is indep. of m

Information is lost at hadron colliders!

Going On-Shell...



Simple rules given for these parts

The Basic Idea: Example: Top Quark Masses, Rates, and Topology vs. Amplitudes

Dominant Top Properties:

$$\sigma(gg \rightarrow t\bar{t})$$

$$\text{Br}(t \rightarrow bW)$$

$$m_t, m_W, m_b$$

Detailed Top Properties:

$$d\sigma/d\hat{t}$$

W helicity

t charge

On-Shell-Effective-Theory

Production:

$2 \rightarrow 1$ Use Breit Wigner

$2 \rightarrow 2$ Usually dominates “Normal” Behavior

$$|\mathcal{M}|^2 = A + B \left(1 - \frac{s_{\text{thresh}}}{s} \right)$$

or

$$|\mathcal{M}|^2 = A + B \left(\frac{s}{s_{\text{thresh}}} - 1 \right)$$

“Contact” Operator Behavior

Dominant ξ correction
can be included
(not usually necessary)

$2 \rightarrow 3$ Use “standard” modes with OSET decay scheme

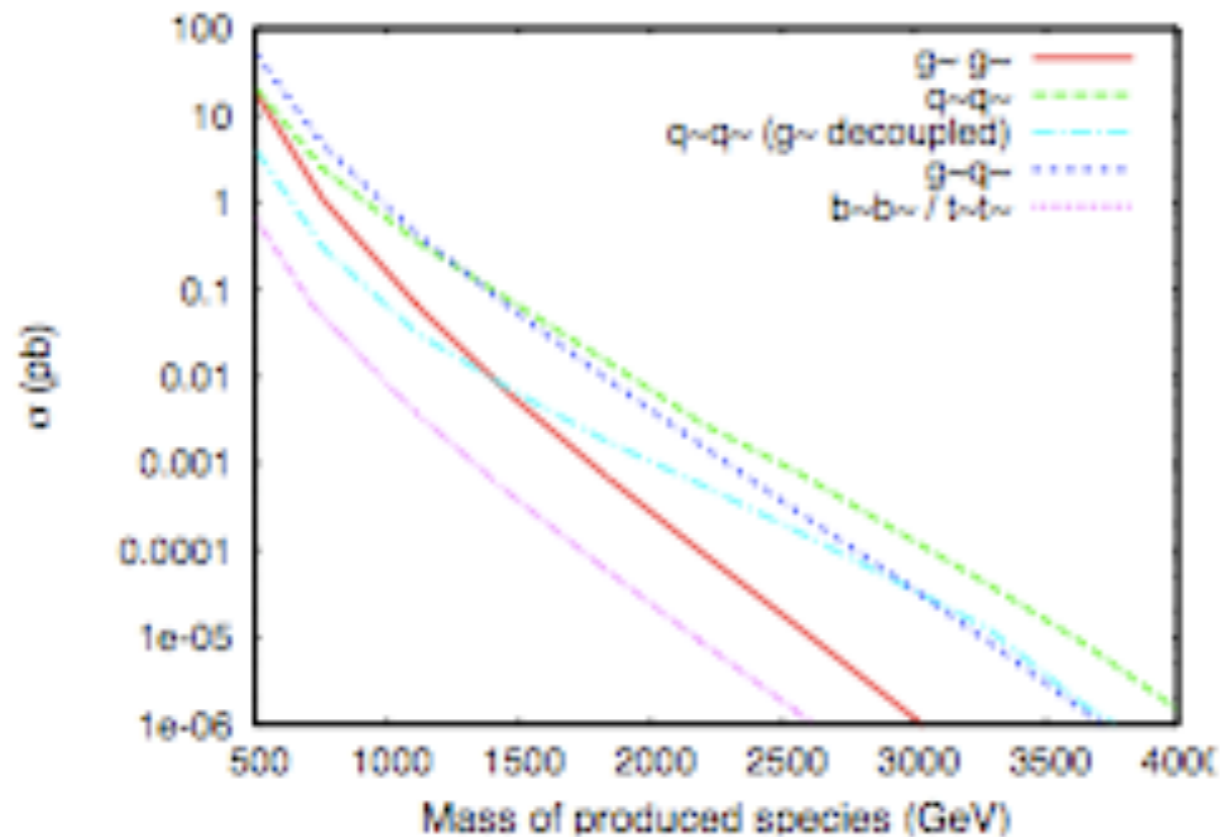
Decay:

- Polynomial in $\cos \theta$: rank determined by spins, coefficients by masses. Spin correlations can be included...use a more powerful tool (i.e. MadGraph for example)
- Single-object lab-frame distributions, and many correlations, well approximated by phase space decays.

See: [hep-ph/0703088](https://arxiv.org/abs/hep-ph/0703088) for detail...

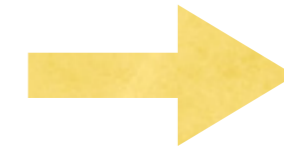
PDFs Simplify Further...

Good physics reasons for simplicity of description



Cross sections fall like

$$\sim \frac{1}{E^{5-6}}$$

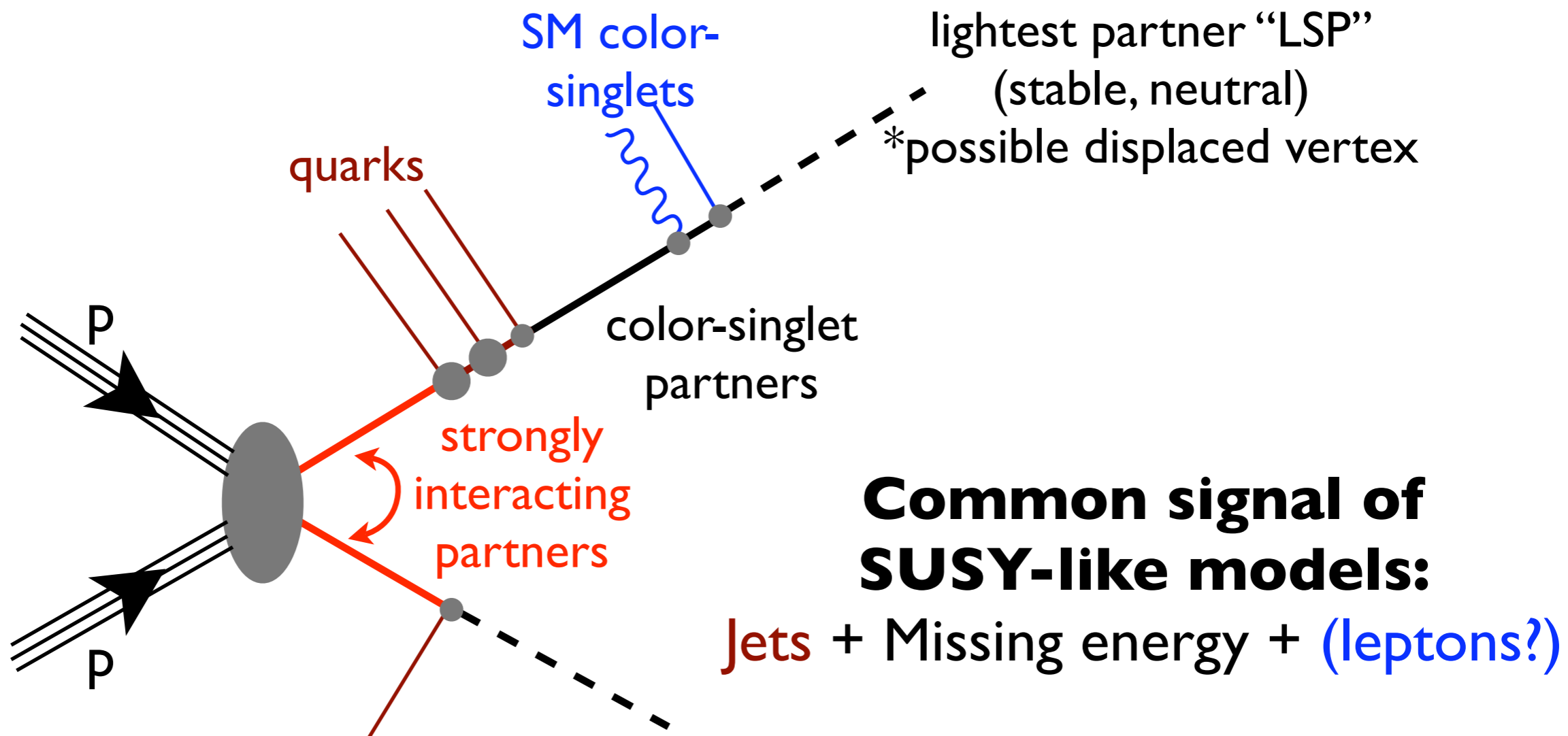


Lowest mass process heavily dominates!

Single production hypothesis not bad

For a given **model**, the observable OSET is much simpler than the complete one.

Simplifying SUSY-like Physics



If jets+MET+leptons excess(es) are seen, it's reasonable to assume SUSY-like physics interpretation!

The First Three Questions

Start building evidence for structure with questions that are (relatively) easy **and** of high theoretical interest.

- 1) Which colored particles dominate production?
- 2) What color-singlet decay channels are present, and in what fractions?
- 3) How b-rich are the events?

Easiest to frame quantitative questions in terms of sharply specified models – what models should we choose, to have a good chance of fitting any jets+MET+leptons signal from SUSY-like physics?

Four Simplified Models

1) Which colored particles dominate production?

Either **Gluon partner** or **Quark partner**
G **Q**

2) What color-singlet decay channels are present, and in what fractions?

Models with **one** produced species, **one**-stage cascade decay (produced species either **G** or **Q**).

3) How b-rich are the events?



G: Produce gluon partners that decay to $q\bar{q}$, $b\bar{b}$, or $t\bar{t}$ +LSP

Q: Pair-produce partners of $q_{1,2}$, b , and t

 Total of four models

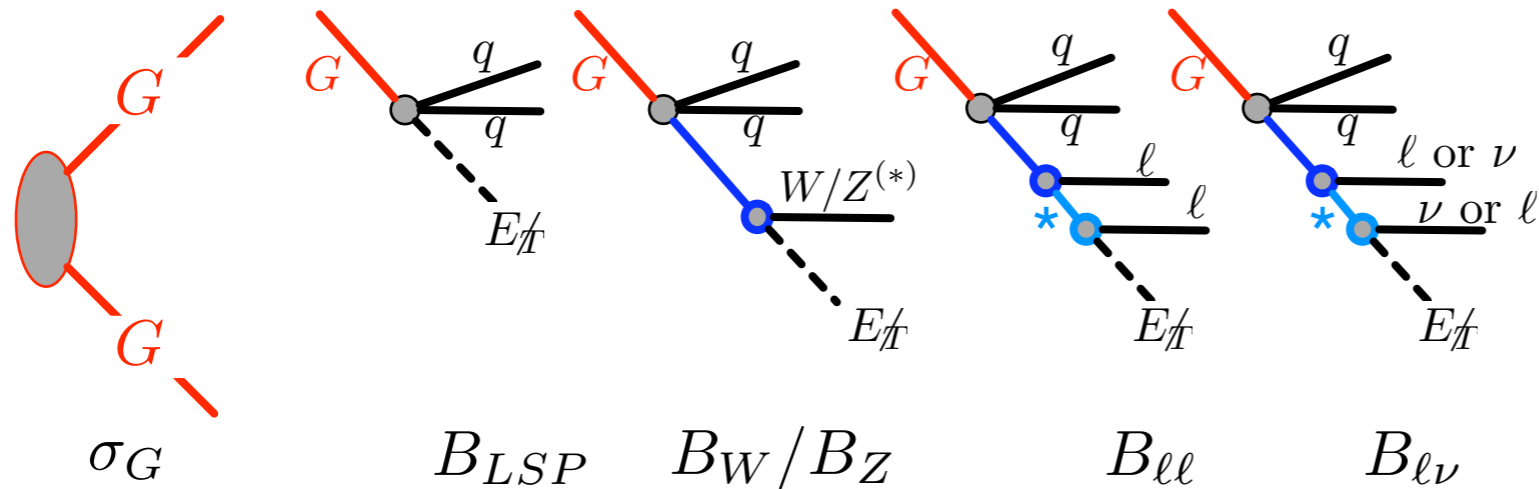
GOAL: As simple as possible to answer these three questions
+ fit ANY new physics in SUSY-like class well

study
each in a
separate
model



Simplified Models of Lepton Cascades

From gluon partner:



Masses

M_G

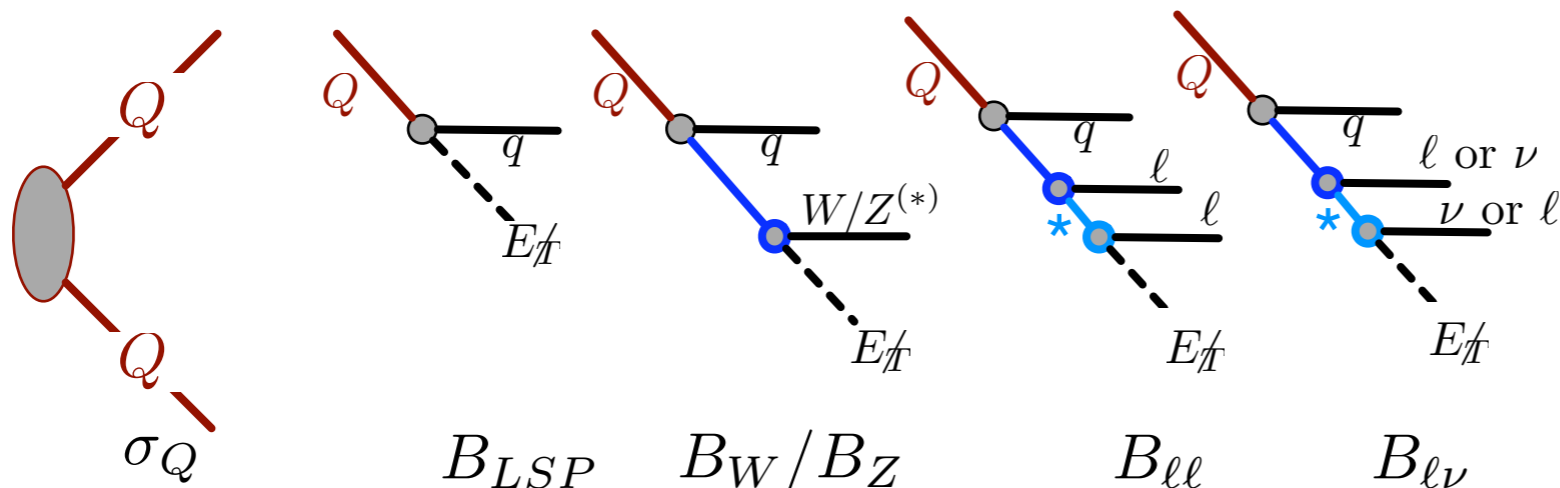
M_I

(M_L)

M_{LSP}

*on or off-shell

From quark partner:



Masses

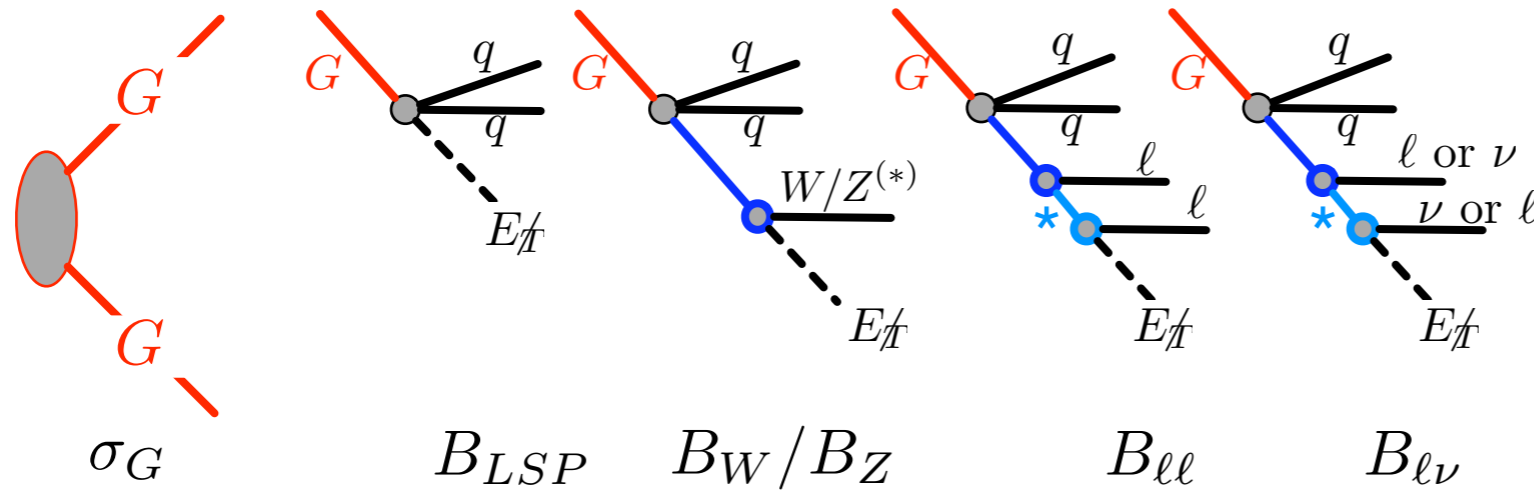
M_Q

M_I

(M_L)

M_{LSP}

Constraining Masses



Masses

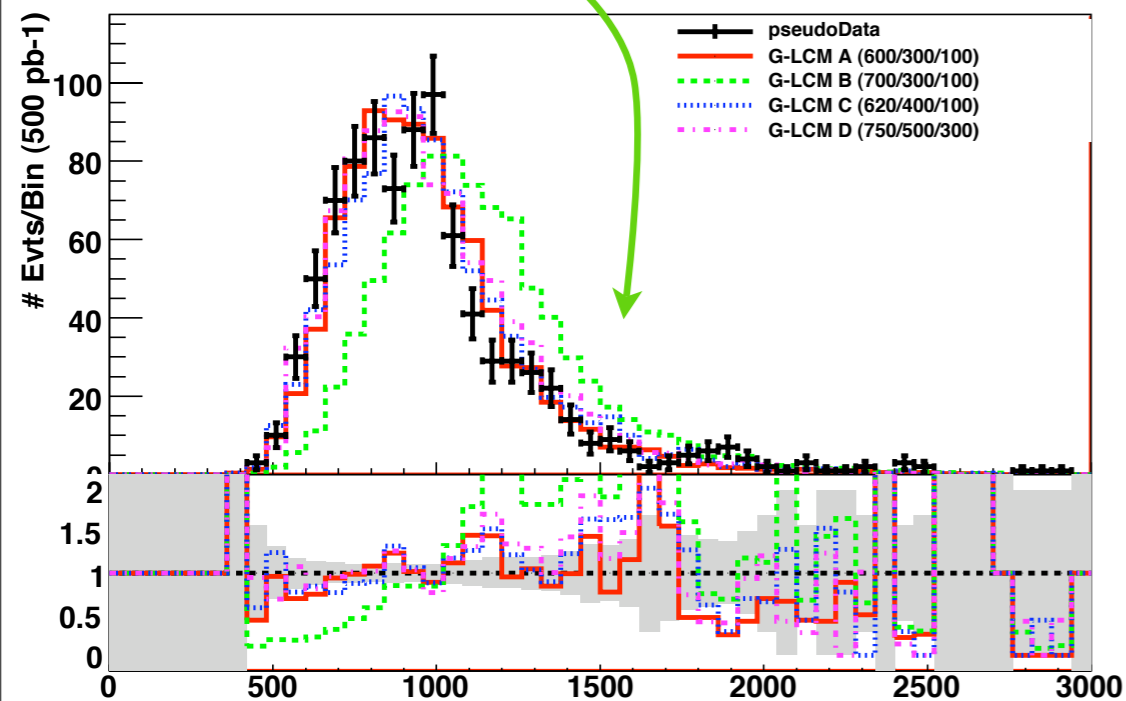
M_G

M_I

(M_L)

M_{LSP}

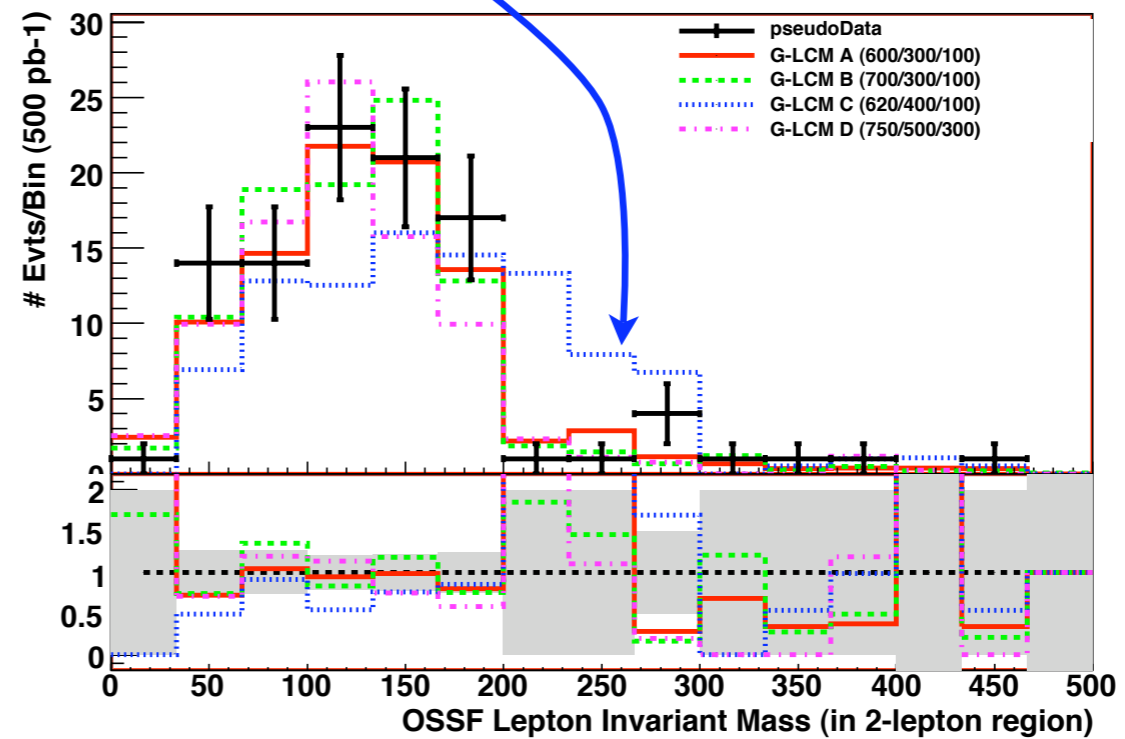
$M_G - M_{LSP}$:



$$H_T = \sum p_T \quad (\text{GeV})$$

(sum over up to 4 jets + leptons
+ missing ET)

$M_I - M_{LSP}$:

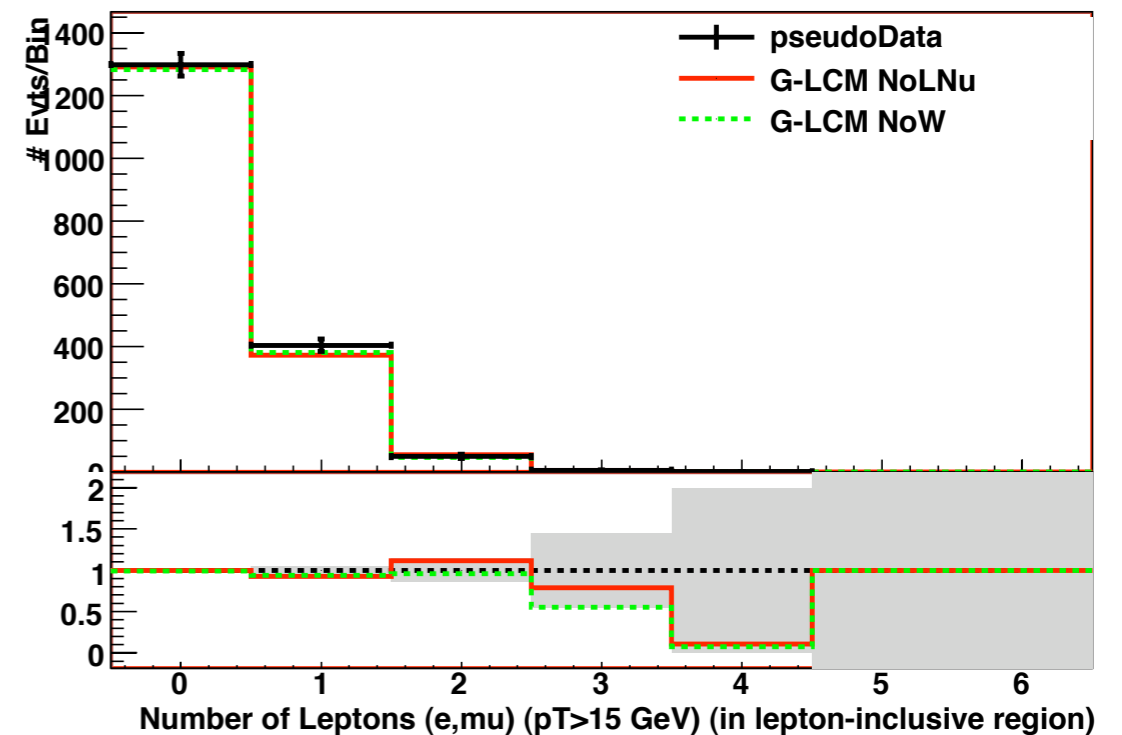
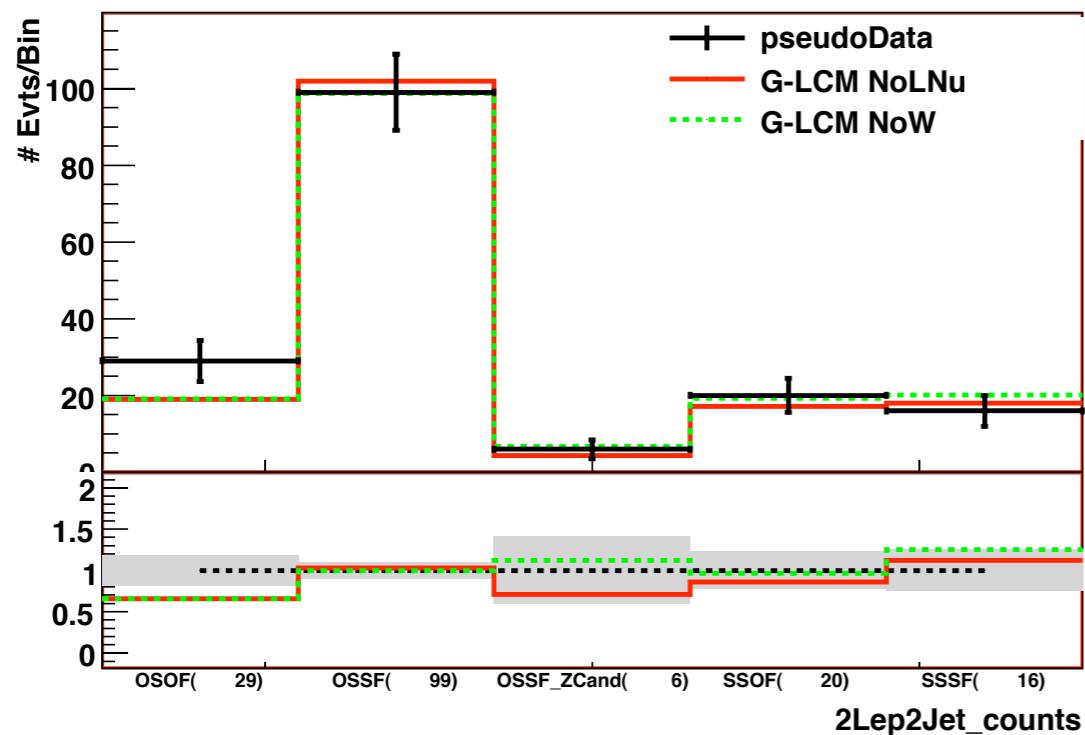


OSSF (e^+e^- and $\mu^+\mu^-$) events:
di-lepton invariant mass

Plots from PGS study:

- data=SUSY model
- 500 pb-1
- details in 0810.3921

Constraining σ and BR's



Branching ratios are a **detector-independent translation** of the lepton counts!

	σ (pb)	B_{LSP}	B_{W}	B_Z	B_{II}	B_{IV}
Red	11.3	0.0	0.914	0.02	0.063	—
Green	13.1	0.613	—	0.03	0.052	0.30
\pm (**)	0.1	0.04	0.05	0.02	0.005	0.01

Plots from PGS study
 - data=SUSY model
 - 500 pb-1
 - details in 0810.3921

Claim:

For a wide variety of signatures, and MSSM parameter regions, these simplified models work remarkably well!

Suggests that applicability will extend beyond the MSSM.

Designed for answering early new-physics questions and establishing the correct range of topologies and rates.

see: [arXiv:0810.3921](https://arxiv.org/abs/0810.3921)

Building Models from Simplified Models

Experimental comparison:

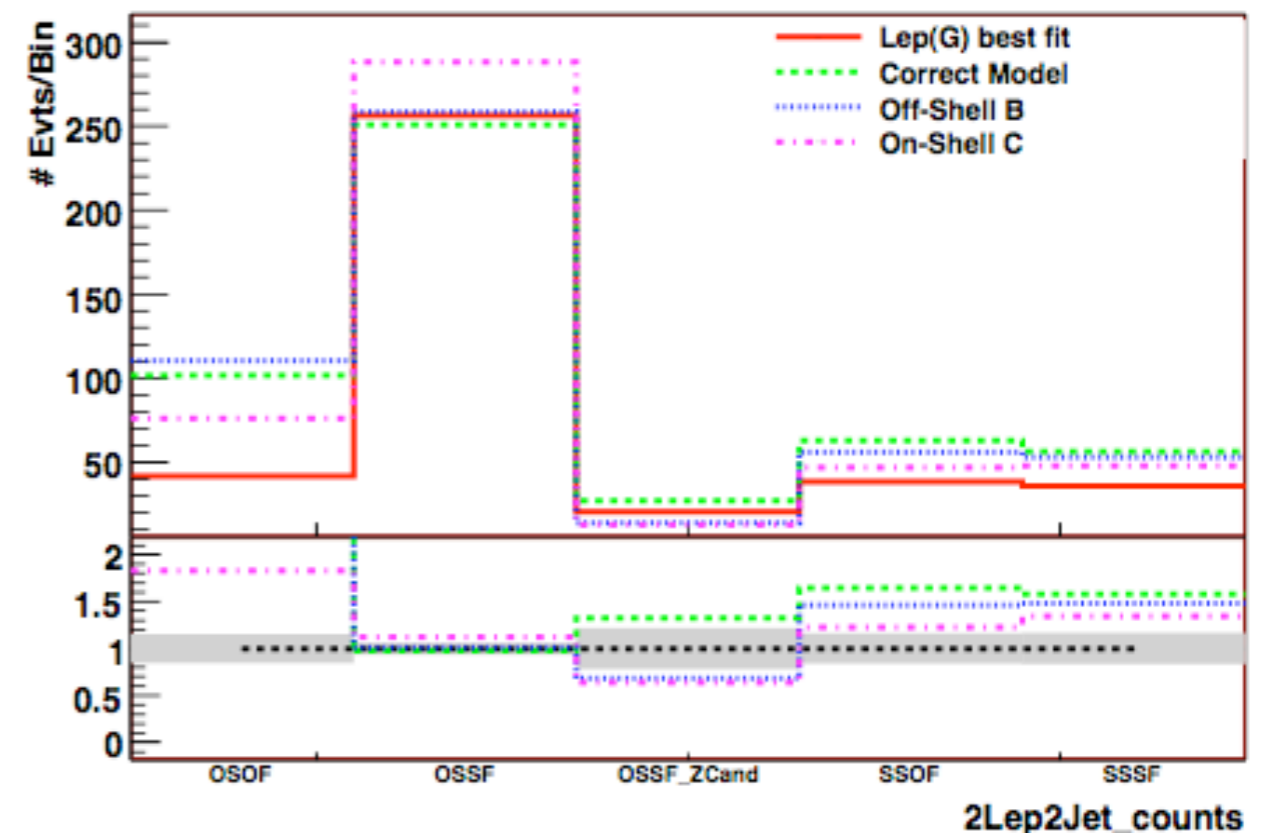
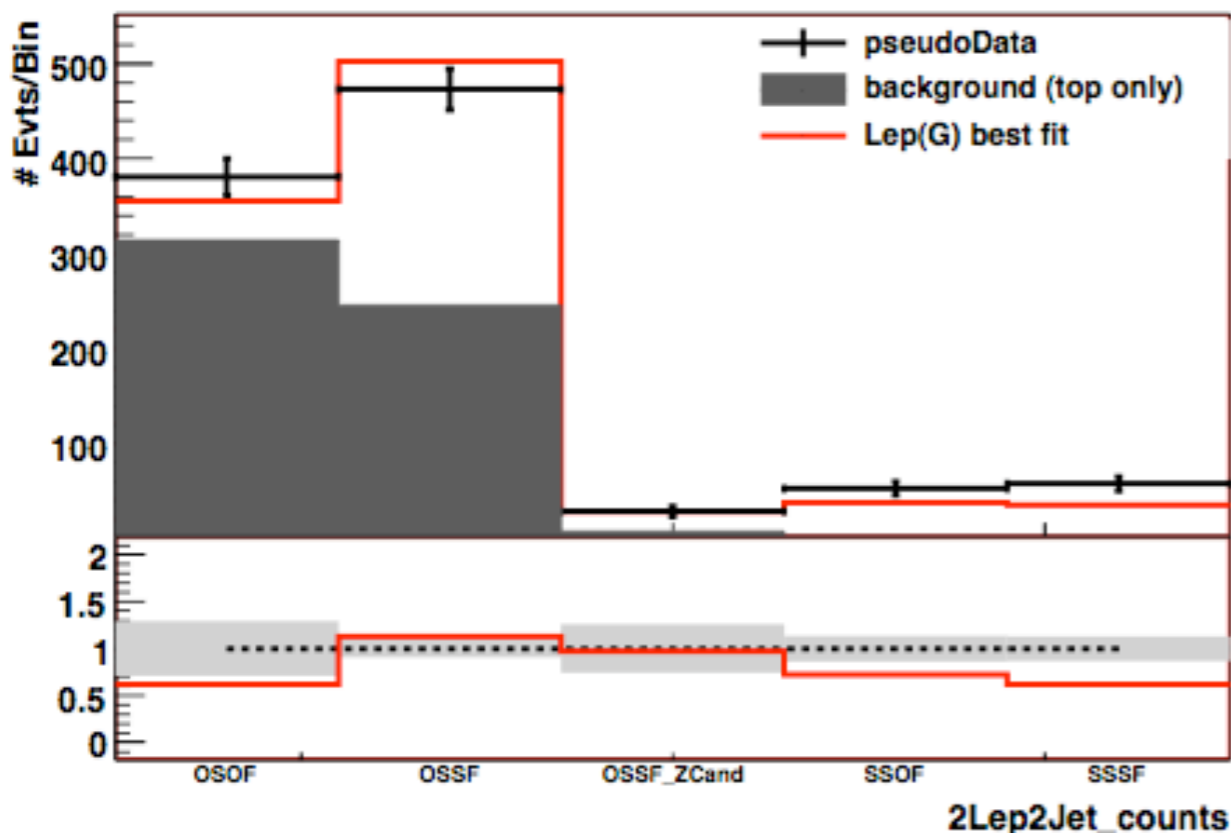
Simplified Model (Leptons)
vs. Data

(shown over ttbar background)

Theorist's comparison

Simplified Model (PGS)
vs. 3 SUSY models (PGS)

(**not** PGS vs. CMS/ATLAS!)



Many systematic errors factor out for a PGS vs. PGS comparison...

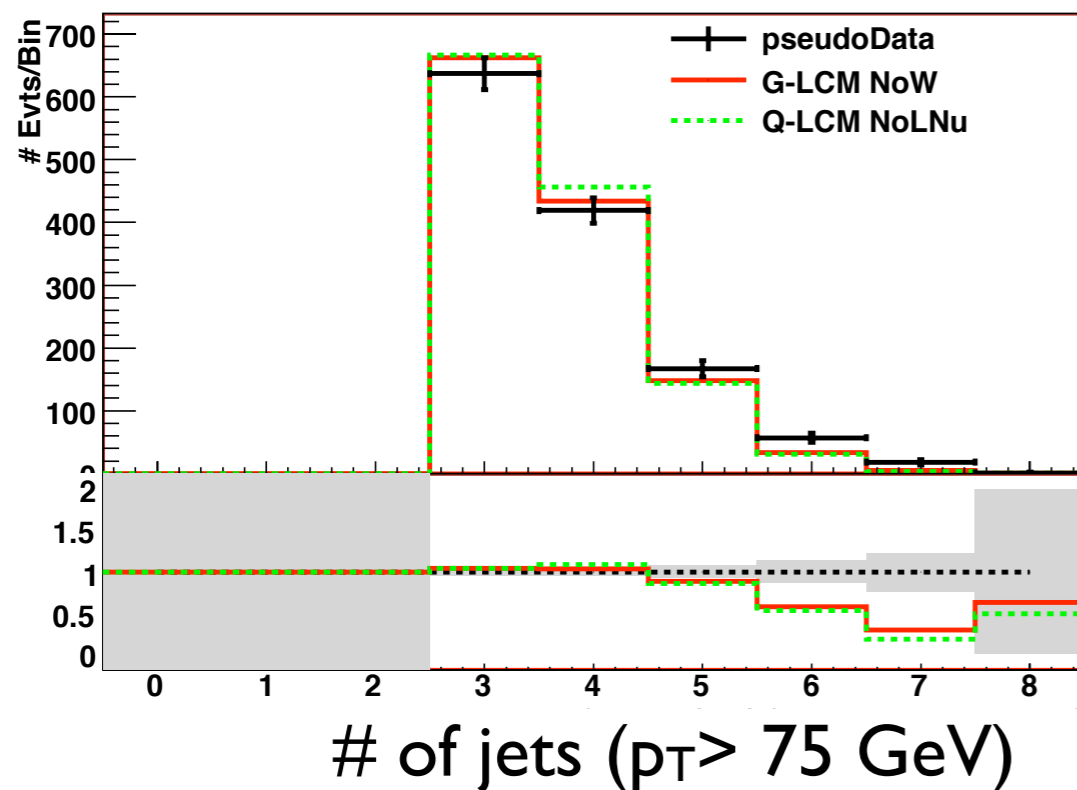
Comparing Gluon and Squark Partners

Two ways to get jet & lepton counts in simplified models:

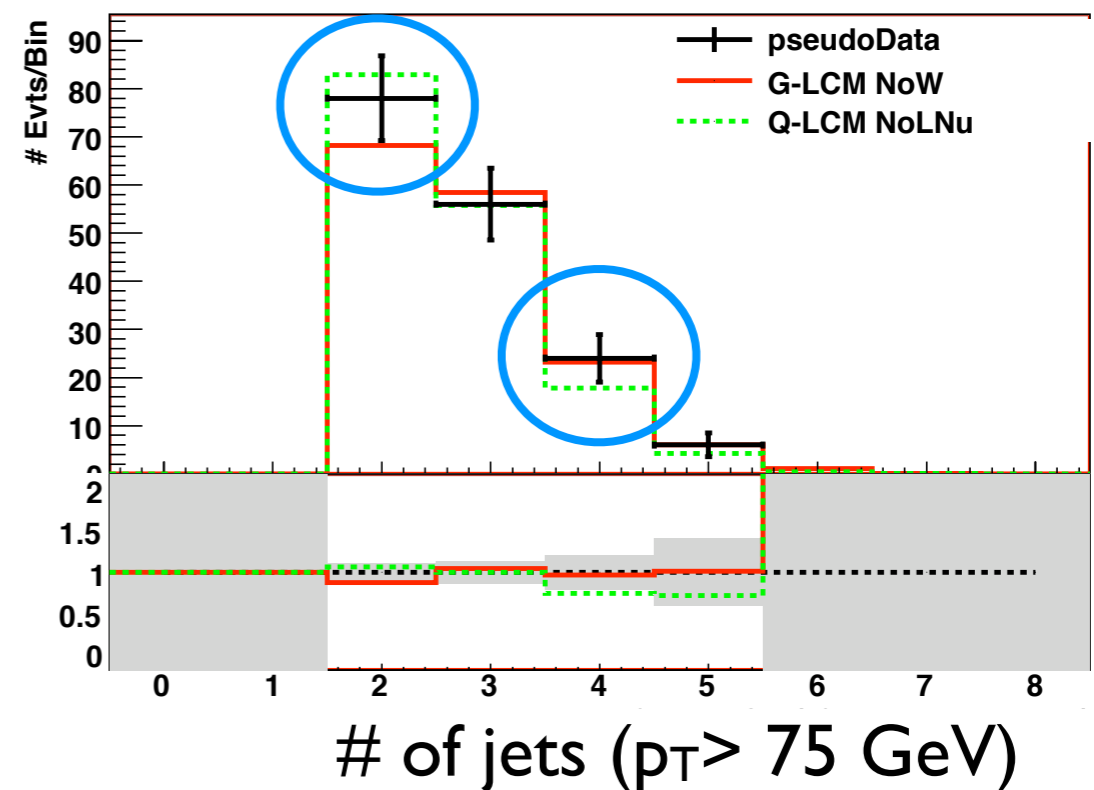
- quark partner decays to 1 jet with W's in cascades
- gluon partner decays to 2 jets with no hadronic W/Z in cascades

Real physics can interpolate between the two!

Lepton-veto region



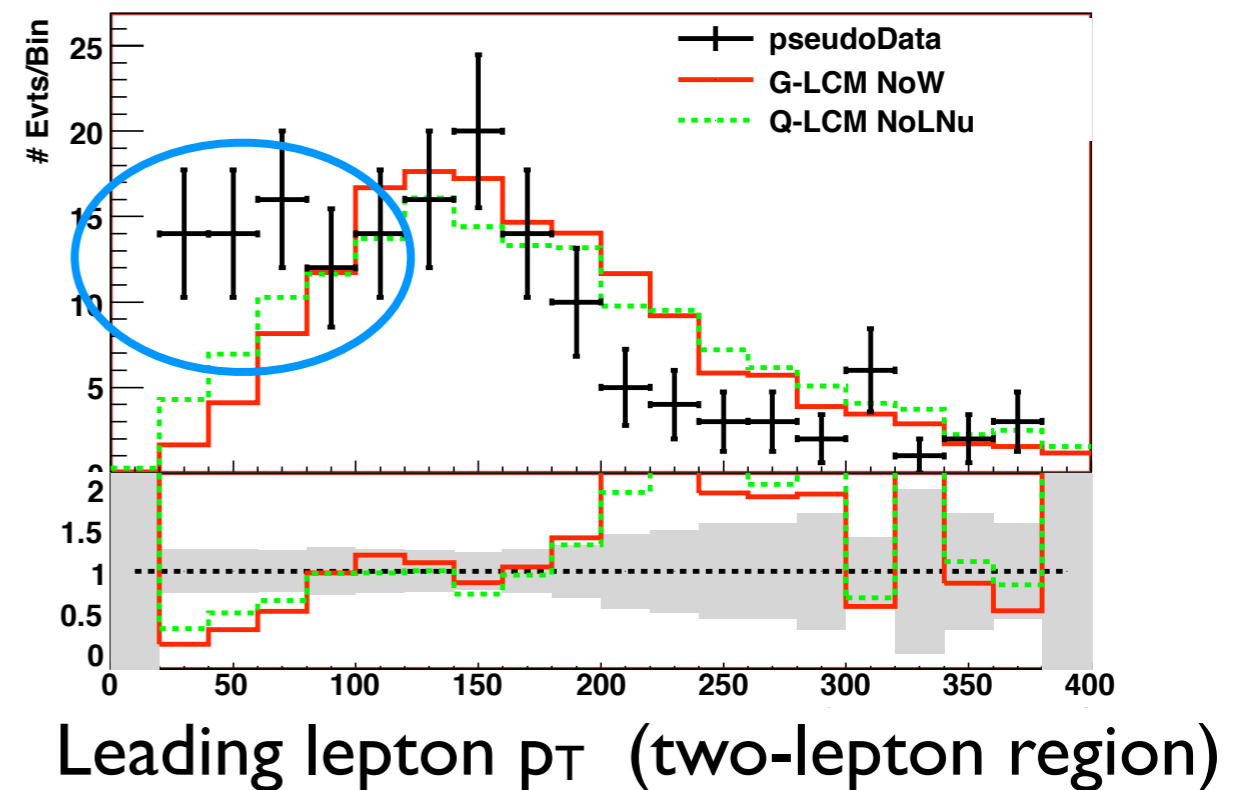
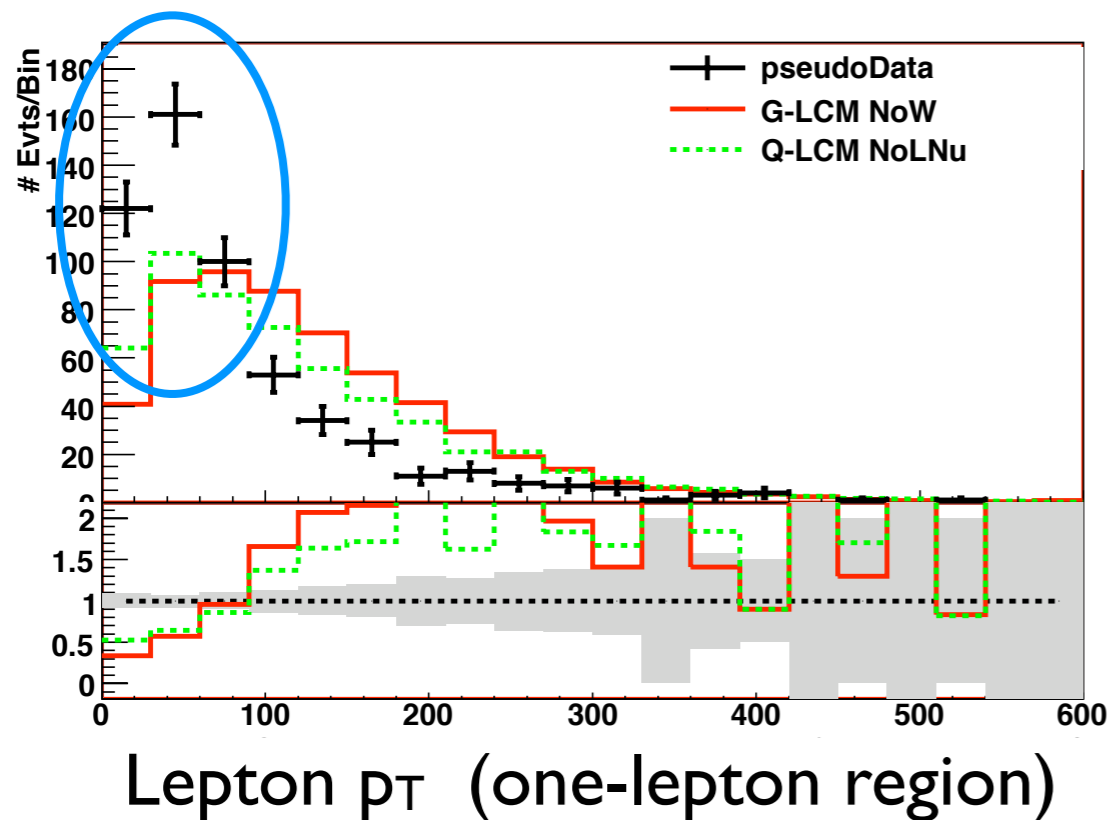
2-Lepton region (different cuts)



Models look different, but only distinguishable with more statistics!
Can't even distinguish 100% gluino from 100% squark, let alone mixture

Over-constrained Models are Useful

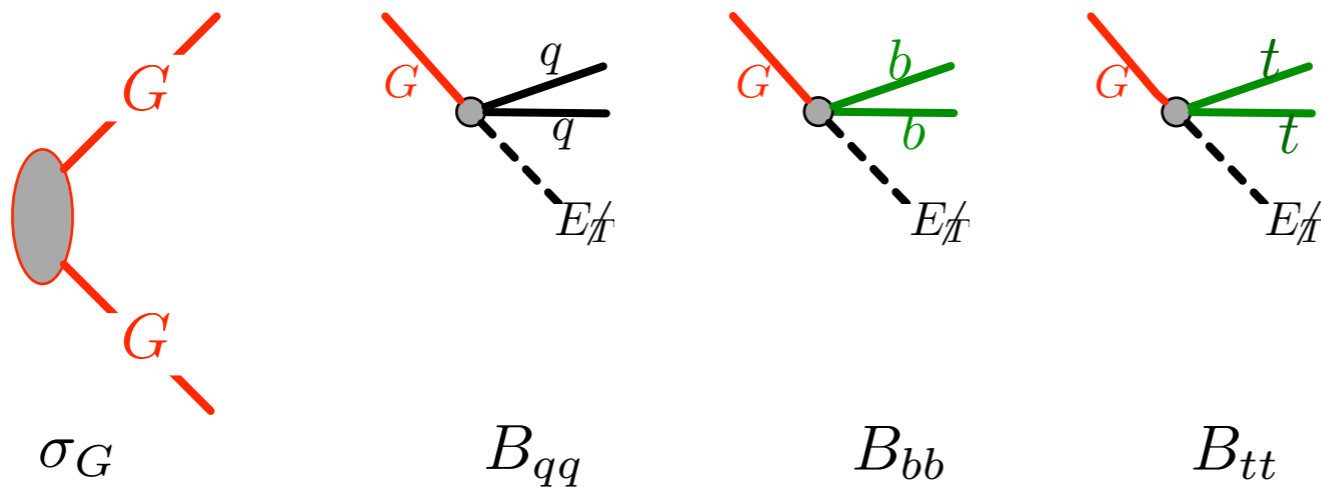
Identify Distributions that cannot be explained without adding structure beyond simplified models



Softer lepton source in signal than simplified models: can't match while keeping invariant mass distribution agreement – indicative of e.g. multiple cascades, but refined two-cascade model would be under-constrained

(Study heavy flavor separately from leptons)

From gluon partner:

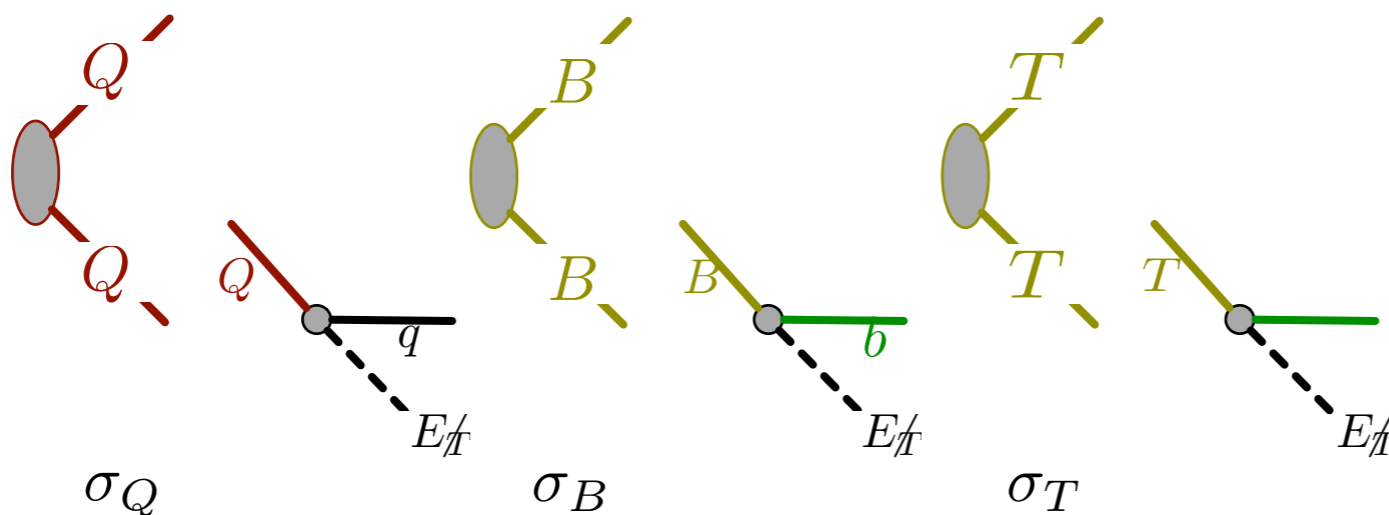


Masses

M_G

M_{LSP}

From quark partner:



Masses
 $M_{Q/T/B}$

M_{LSP}

Different structures / different patterns of b-tag multiplicity

Using Simplified Model Fits

Important to see several kinds of results

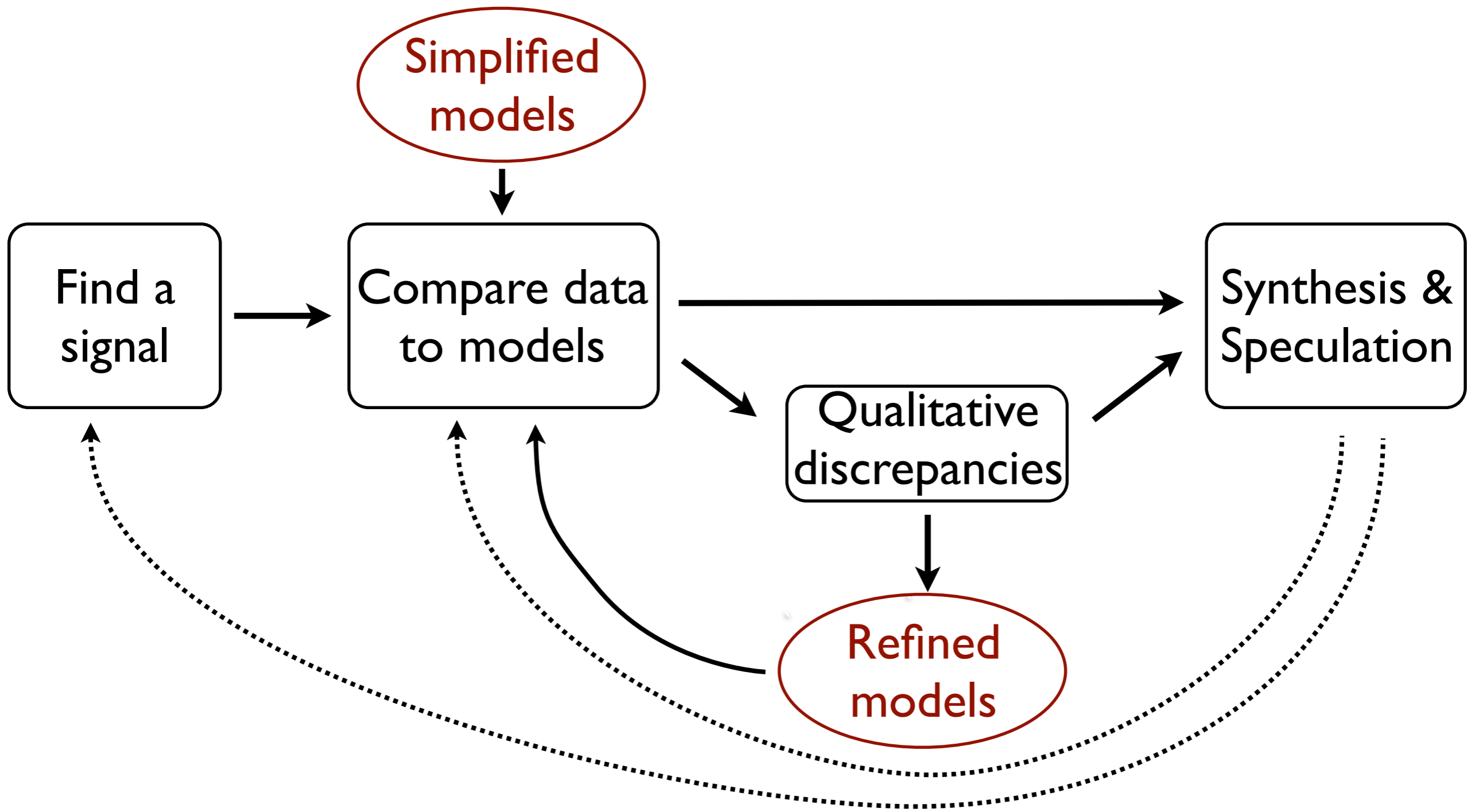
- Simplified model best fits
- Parameter uncertainties, particularly careful treatment of weakly constrained parameters
- Comparisons of the data to expectations for best-fit simplified model — both for distributions used in the fit and for diagnostics

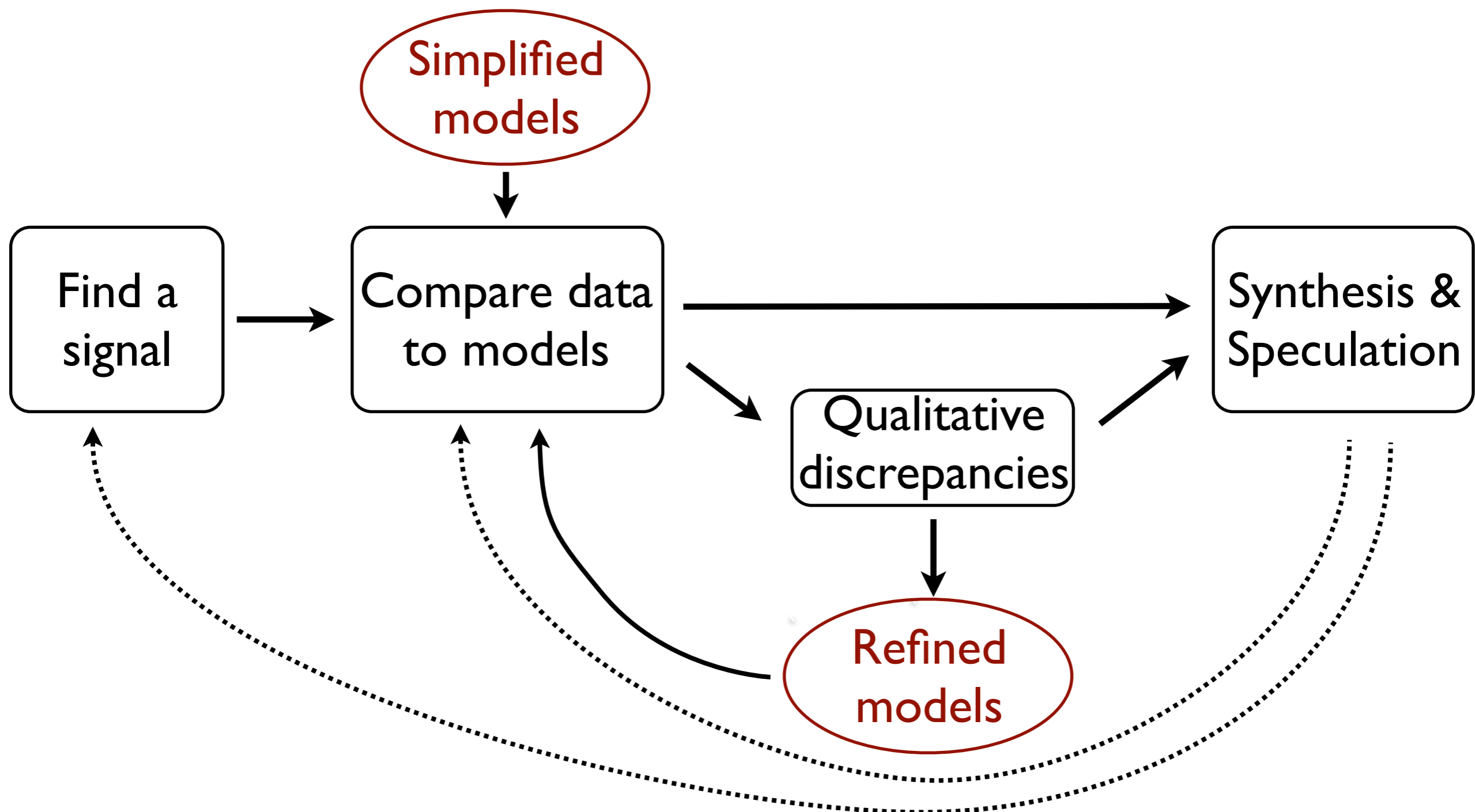
Back-of-the-envelope analysis

- “Good fit” suggests what regions of parameter space to study in model-building
- “Bad fit” suggestive of additional structure (multiple species production, multiple cascades in decays, etc...)

Quantitative comparison

- Can compare predictions of any model to simplified model predictions (e.g. in PGS) to gauge consistency with data.





Experiment

Theory

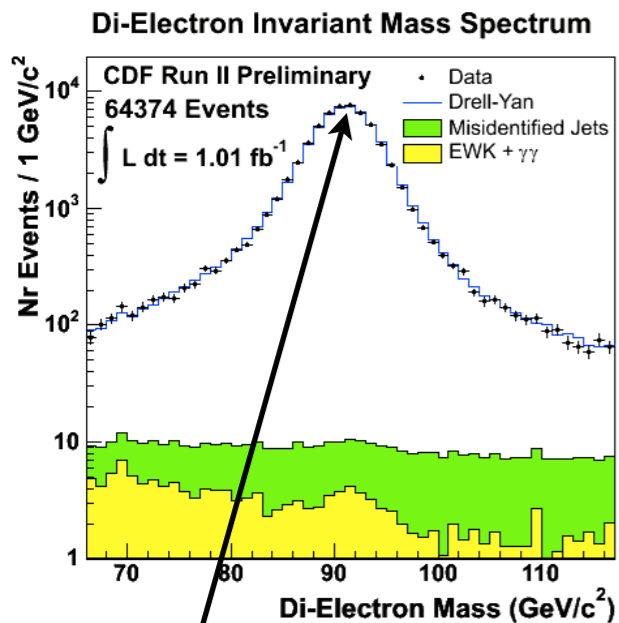
Discussion...

Backup

Preliminary Interpretation

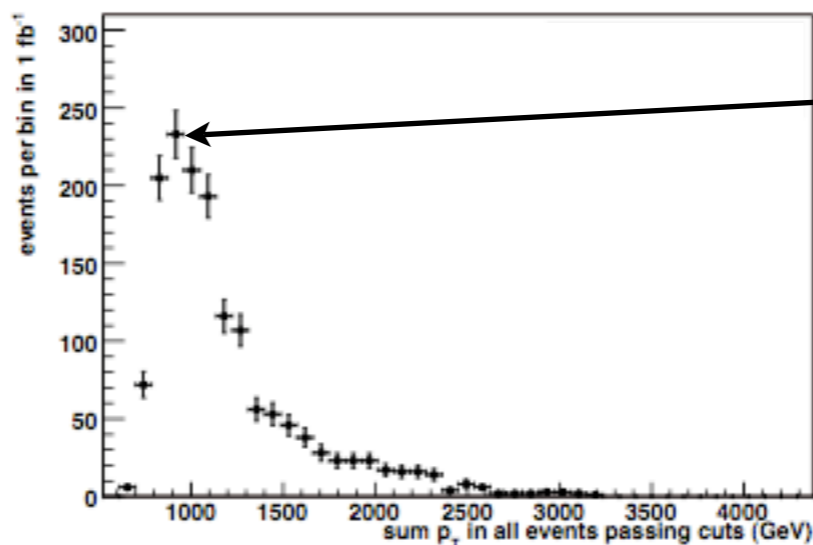
When we do get distributions, there will be a lot we can do

Easy Cases:

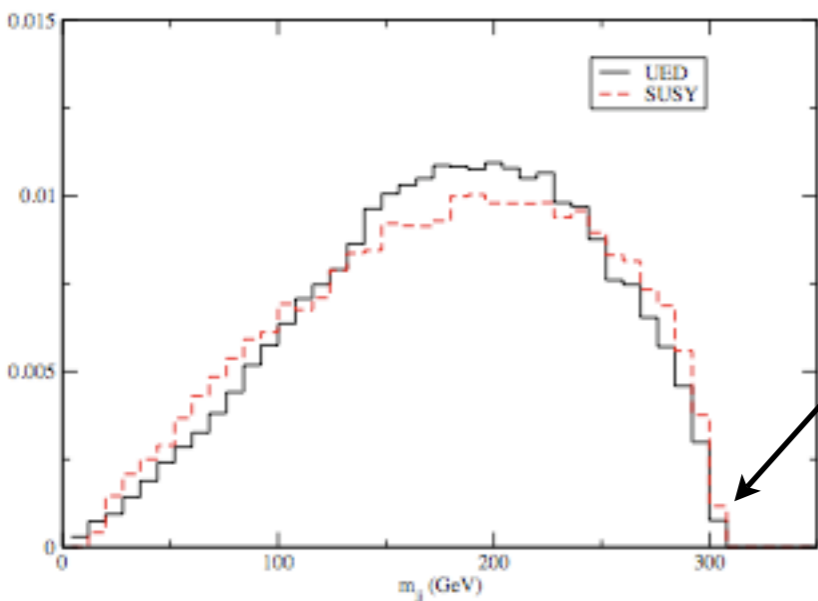


Self-calibrating signal, like a mass peak

HT observable

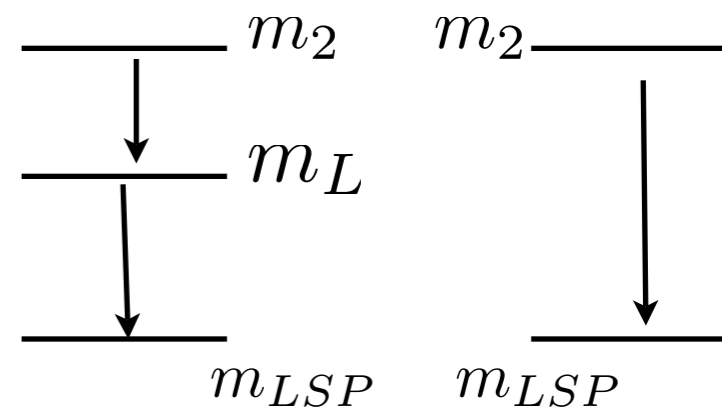


peak $\sim 1.7 \times$ Mass difference
(depending on decay chain)
is roughly encoded



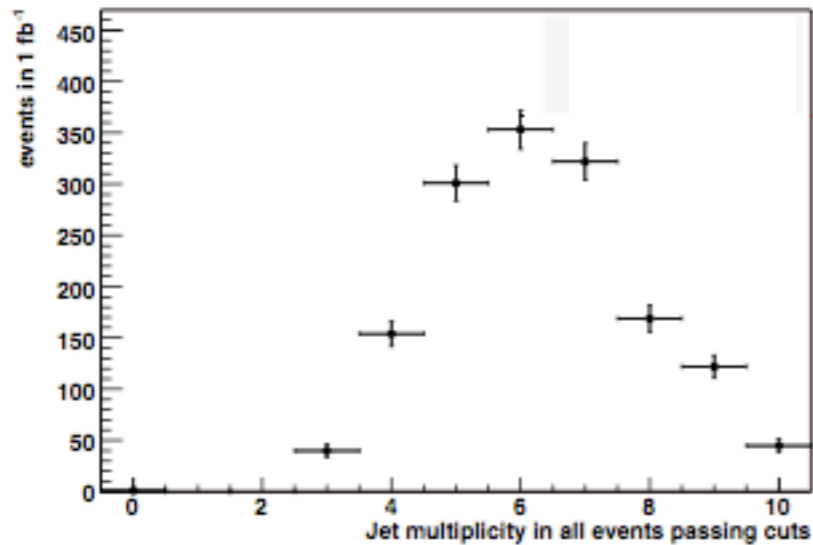
di-object mass can have distinctive phase space cutoff, giving a constraint on decay chain mass difference

$$m_{edge} = \frac{\sqrt{(m_2^2 - m_L^2)(m_L^2 - m_{LSP}^2)}}{m_L}, \quad \text{OR } m_{end} = m_2 - m_{LSP}.$$

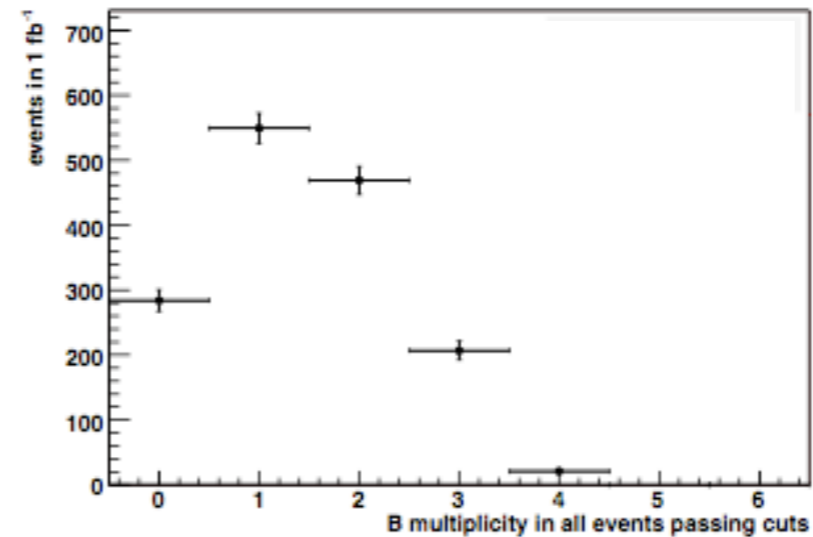


Preliminary Interpretation

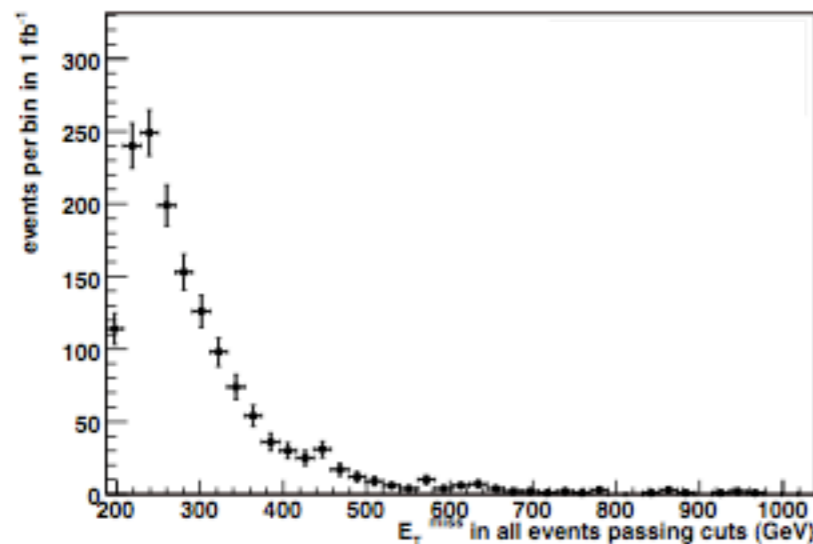
What about less kinematically sharp distributions?



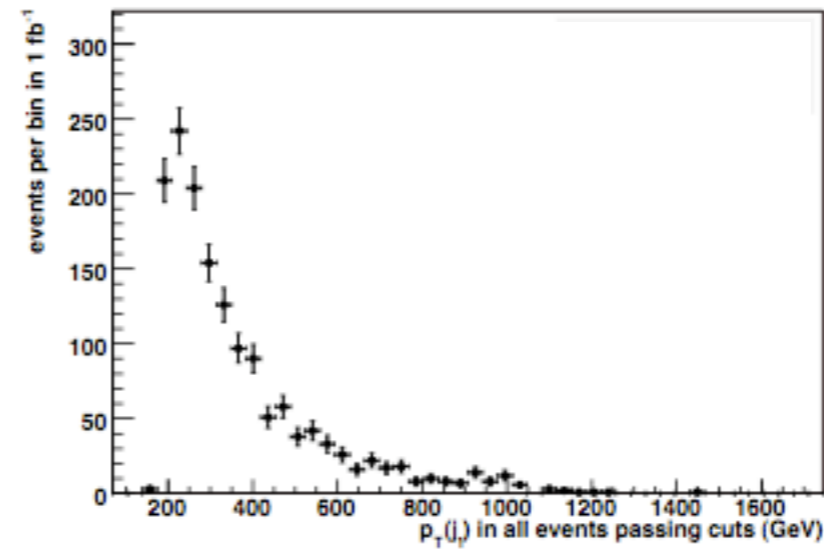
Jet Count



B Count



Jet ET



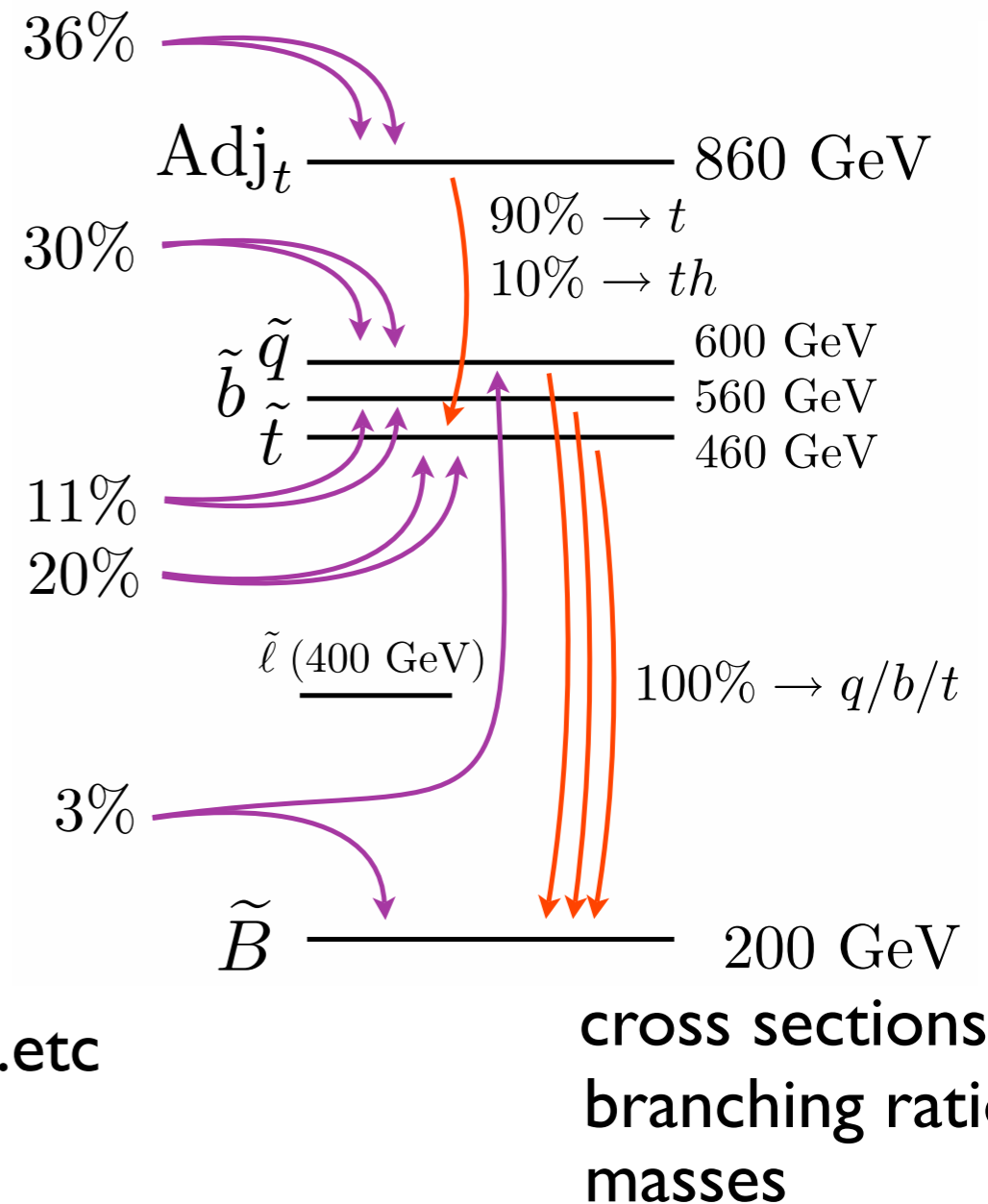
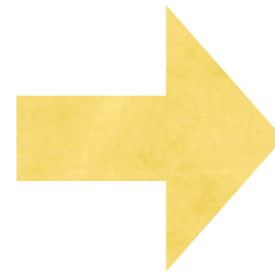
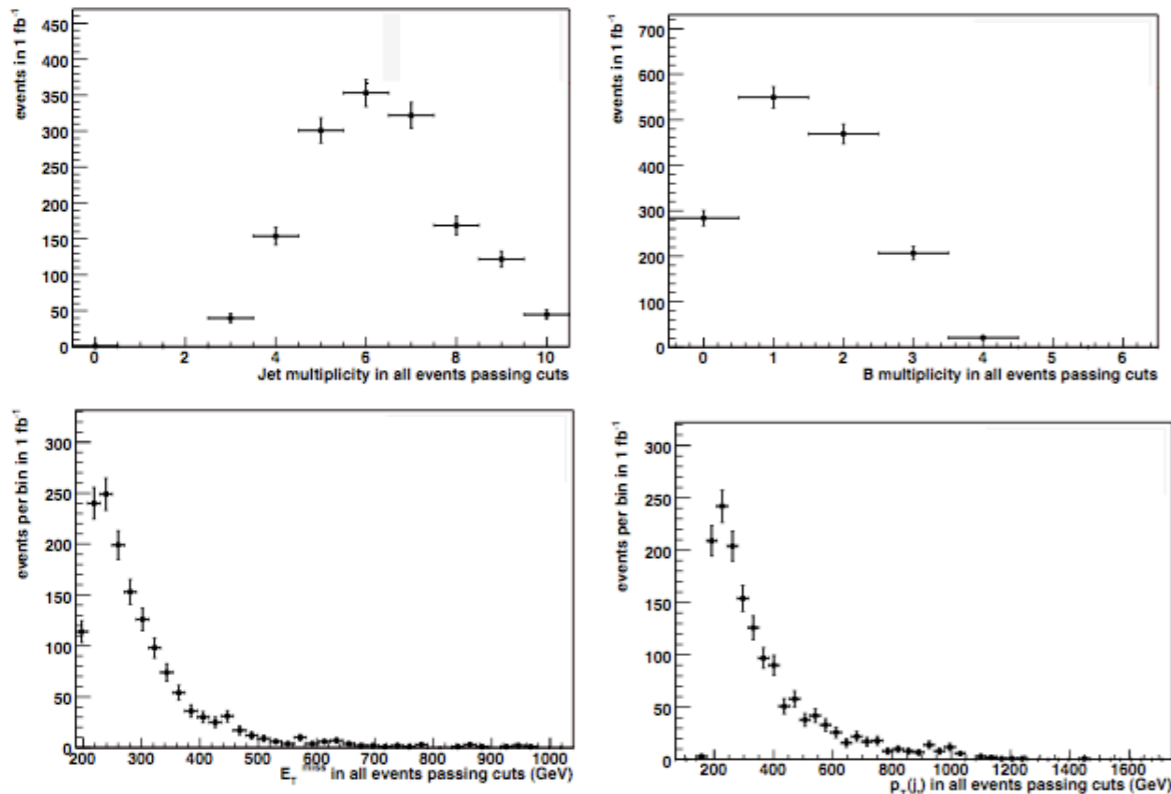
Lepton ET

even in principle, distributions not narrow

further smeared by detector

Easy to compare to well-simulated guesses...much harder to turn out physical quantities (masses, branching ratios, cross sections ...or even “detector-corrected” distributions)

Goals for Early Characterization



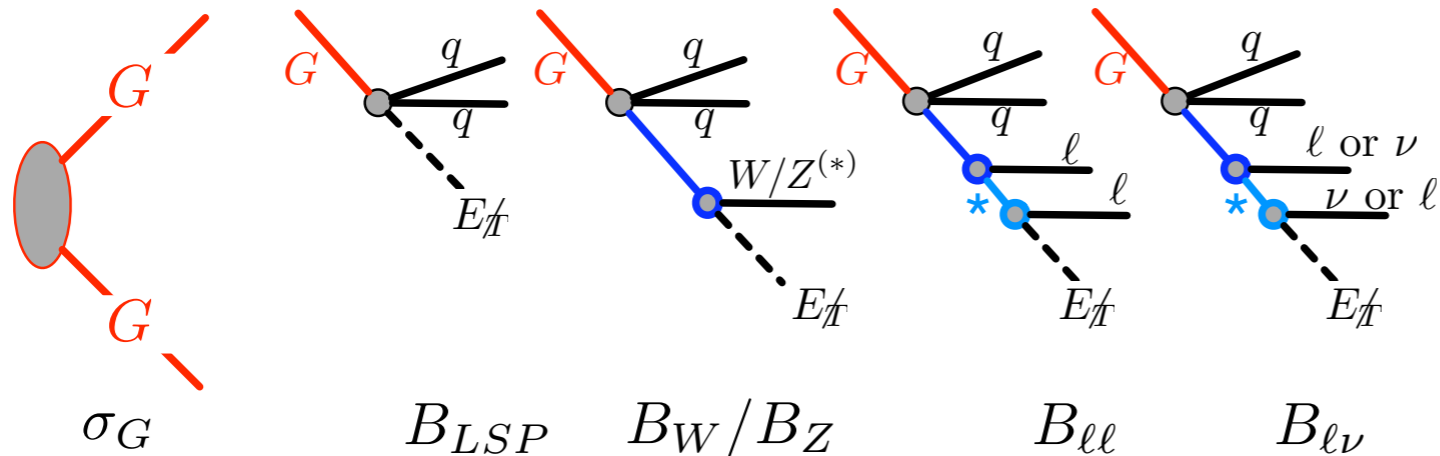
We want to find consistent & predictive explanations of all the data

...then discriminate options, measure parameters...etc

Obstacles:

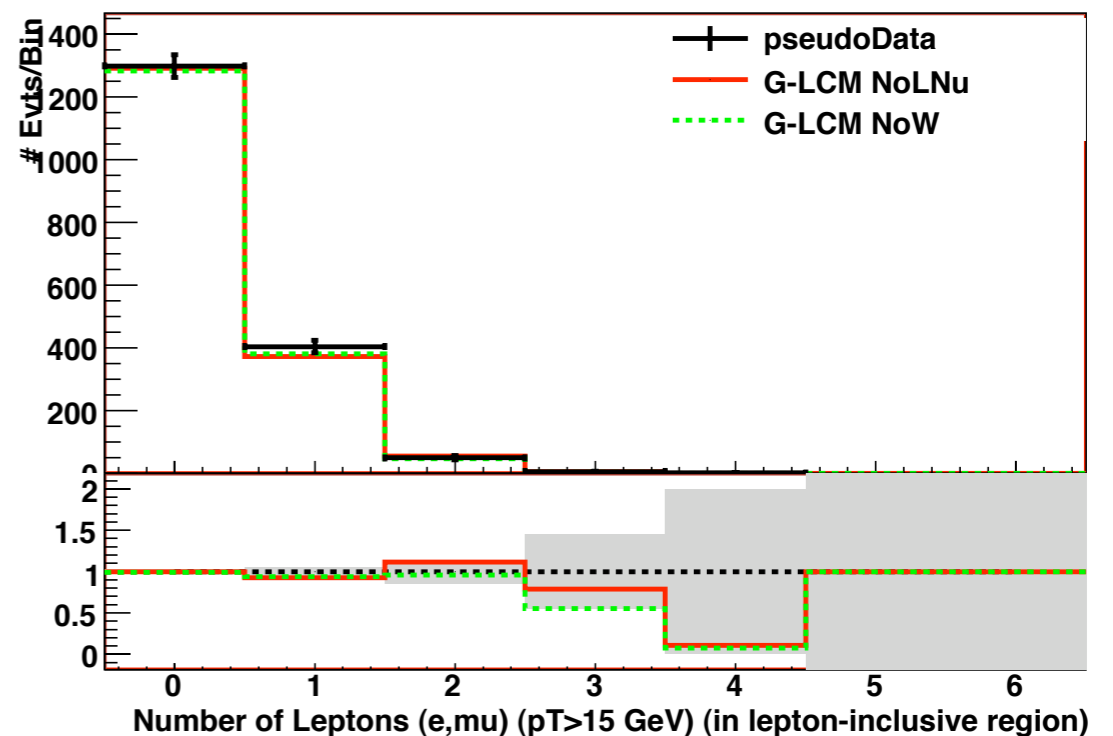
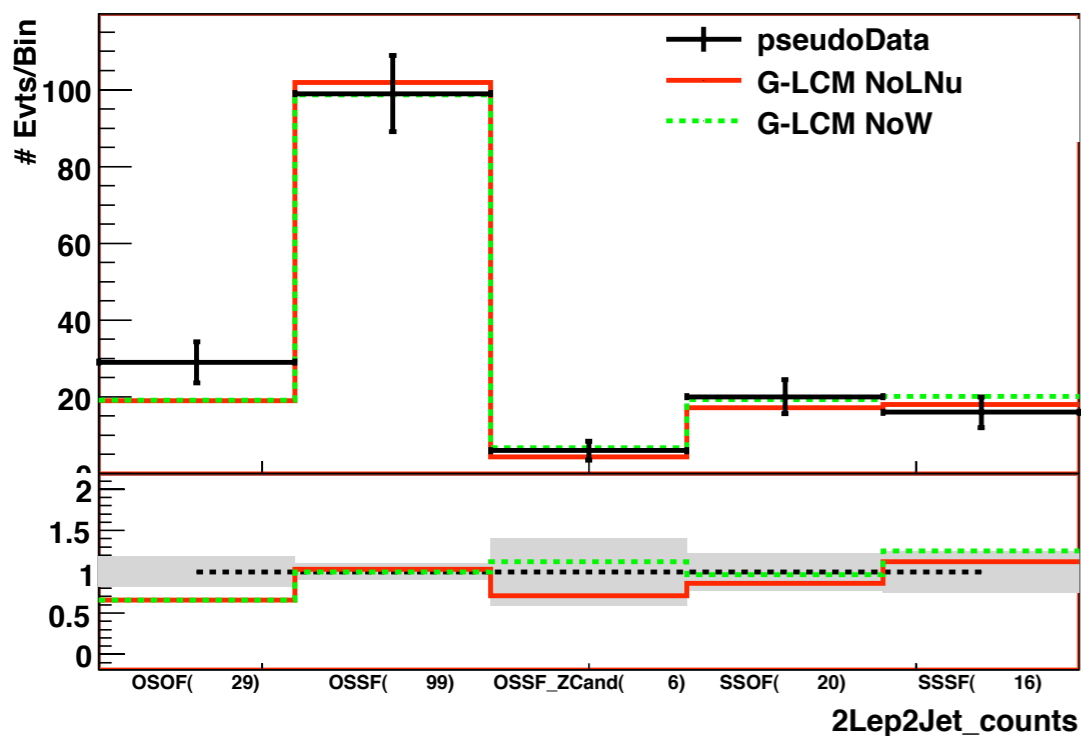
- distributions with no sharp features do not map clearly onto a set of particles, masses and decays
- many regions of parameter space to consider in each model

Constraining σ and BR's



Signatures quite distinctive (dilepton pairs on Z peak, opposite-flavor leptons, ...) *except* B_W looks like $B_{IV} \times 0.32 + B_{LSP} \times 0.68$.

Study extreme limits, e.g. $B_W=0$, or $B_{IV}=0$



Additional constraints

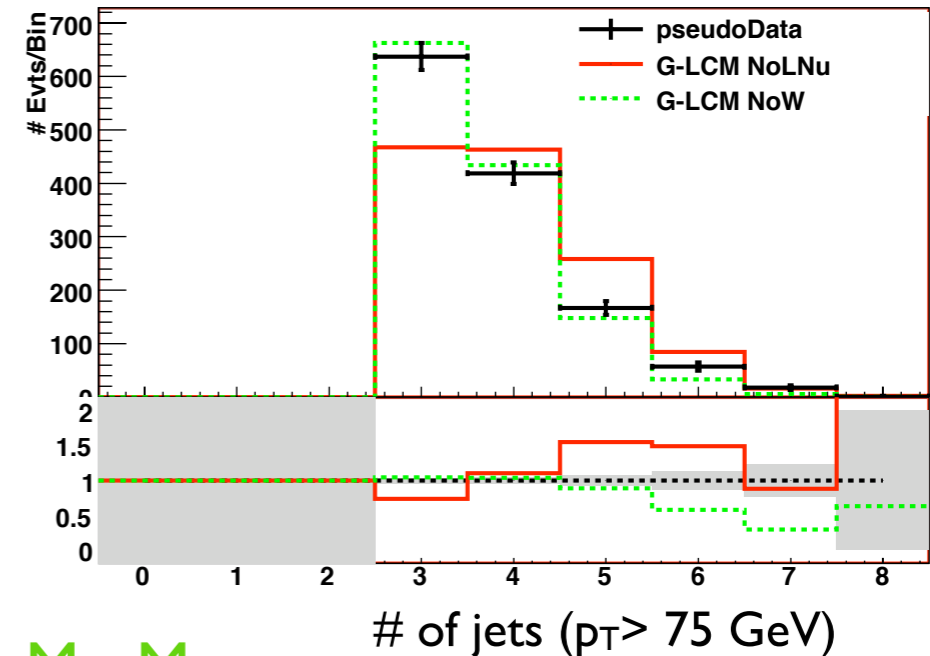
Exchanging $W \leftrightarrow (l\nu + \text{direct})$

changes **jet multiplicities**, and **correlation with lepton counts**.

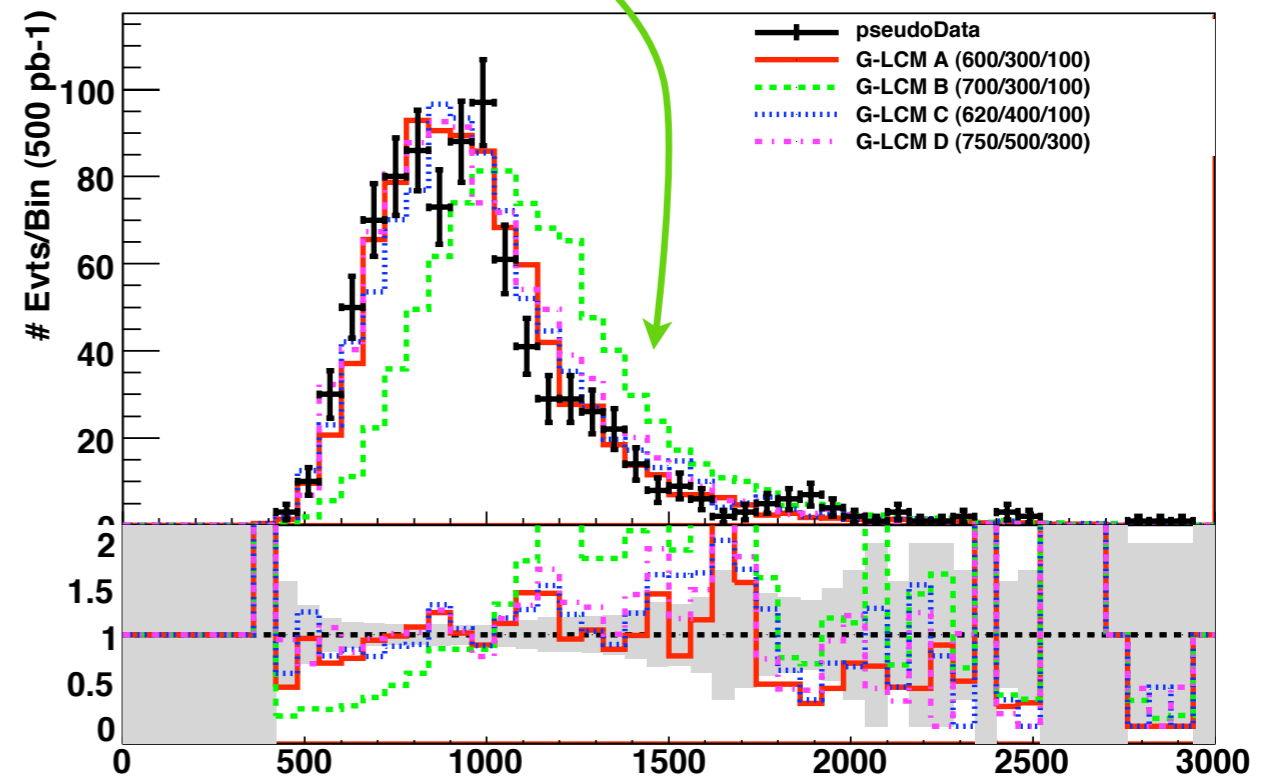
Choosing gluon/squark partner also changes jet multiplicities.

Varying particle masses changes kinematic distributions

Lepton-veto region



$M_G - M_{LSP}$:



$$H_T = \sum p_T \text{ (GeV)}$$

(sum over up to 4 jets + leptons + missing ET)

Building Models from Simplified Models

Experimental comparison:

Simplified Model (Leptons)

vs. Data

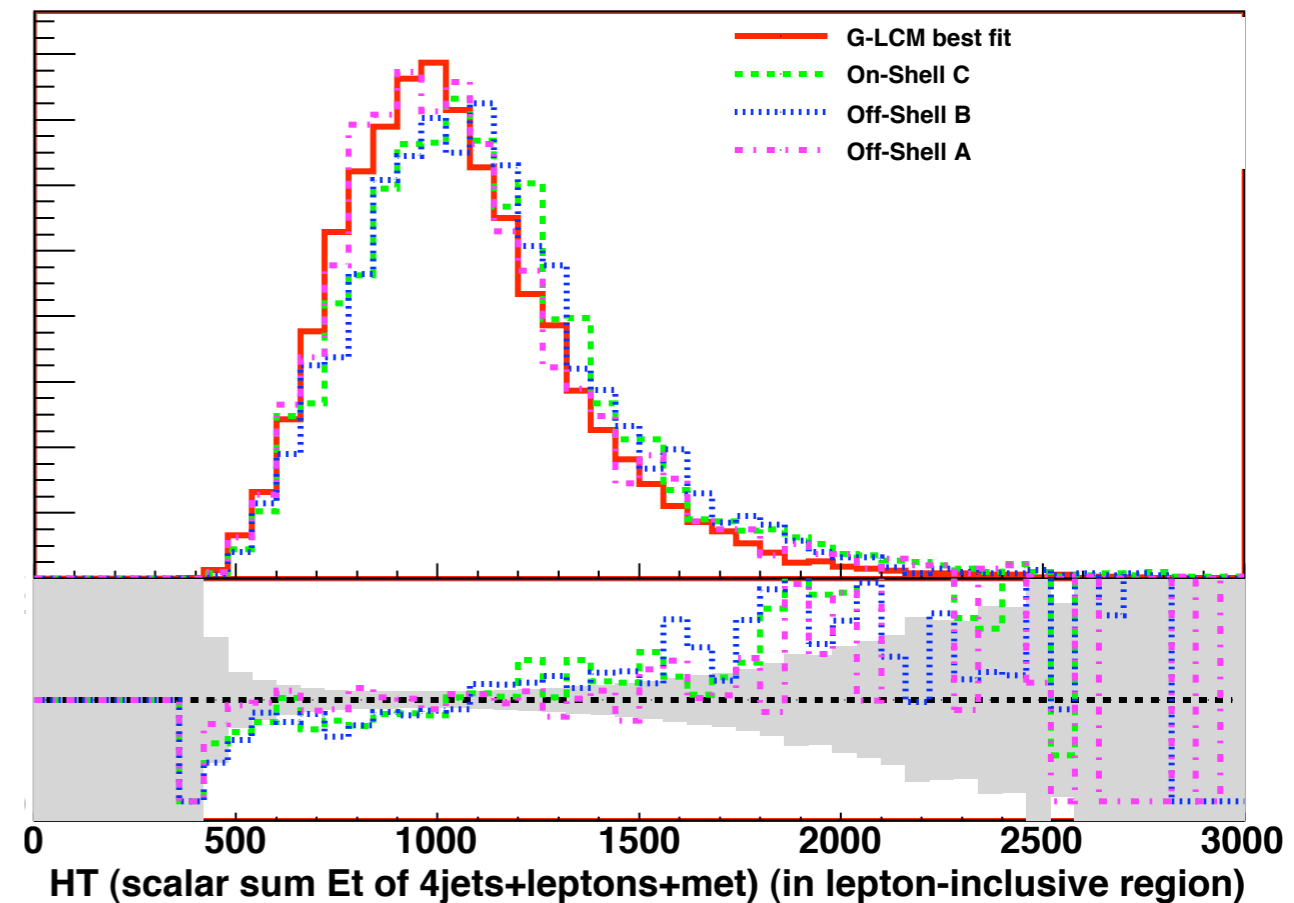
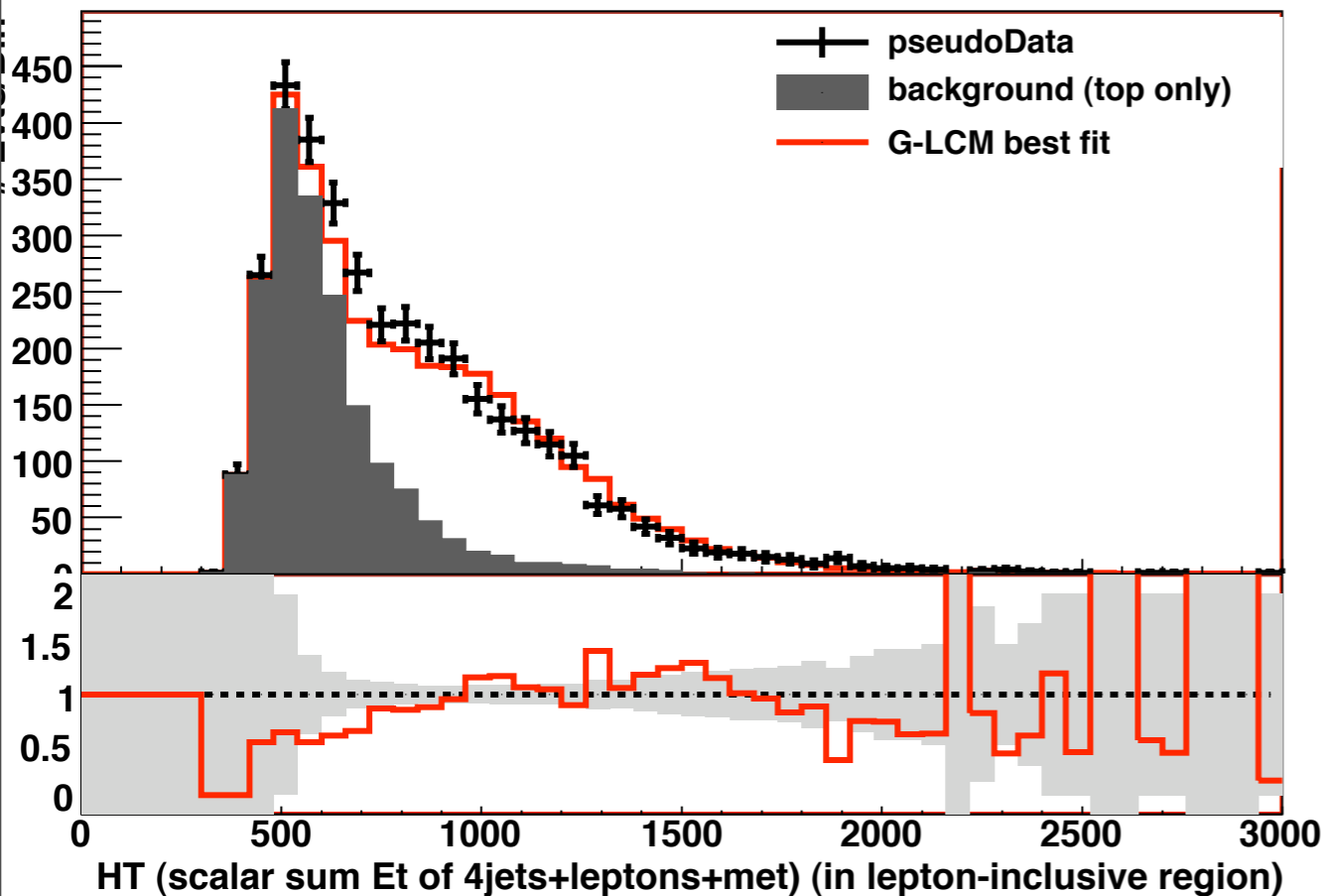
(shown over $t\bar{t}$ background)

Theorist's comparison

Simplified Model (PGS)

vs. 3 SUSY models (PGS)

(**not** PGS vs. CMS/ATLAS!)



Building Models from Simplified Models

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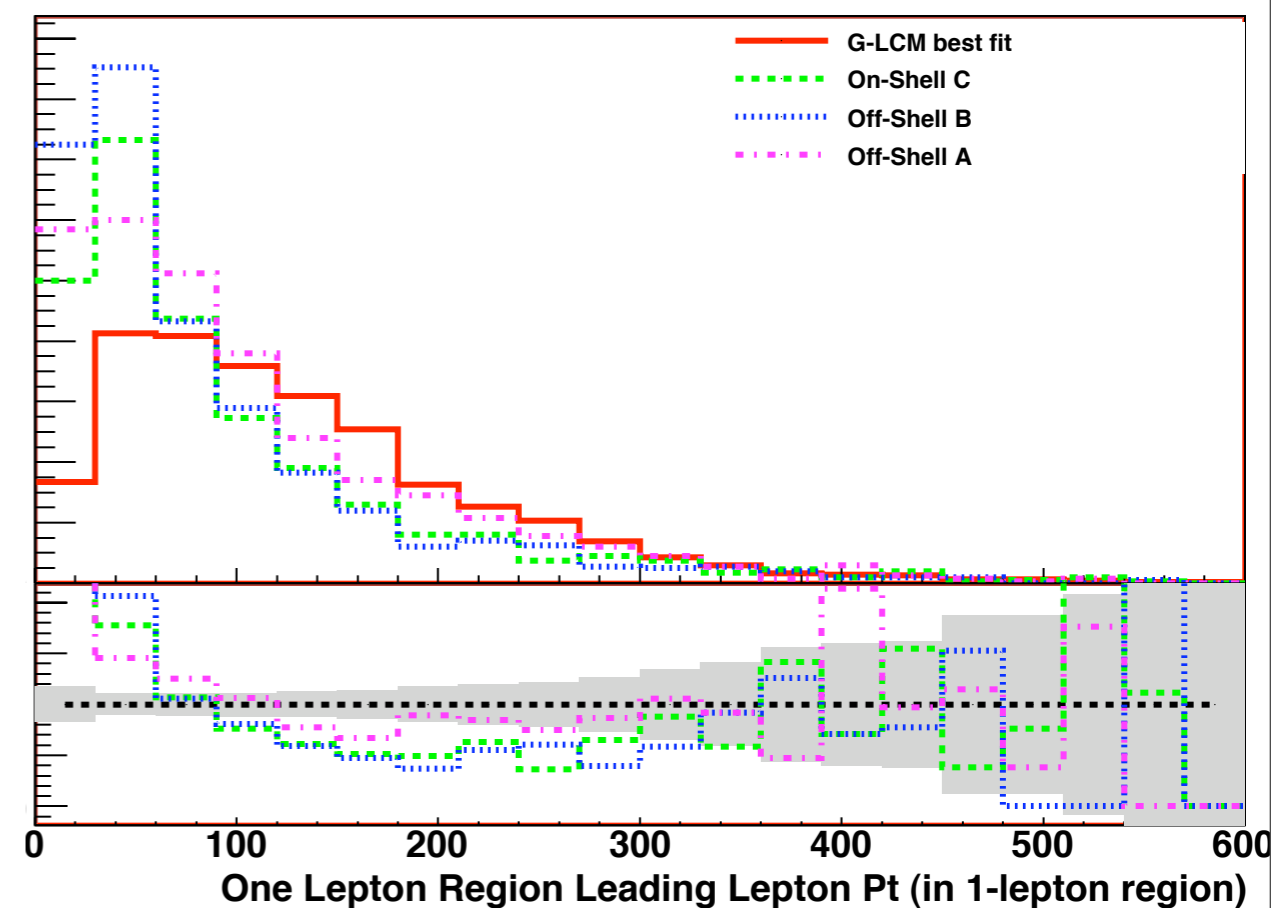
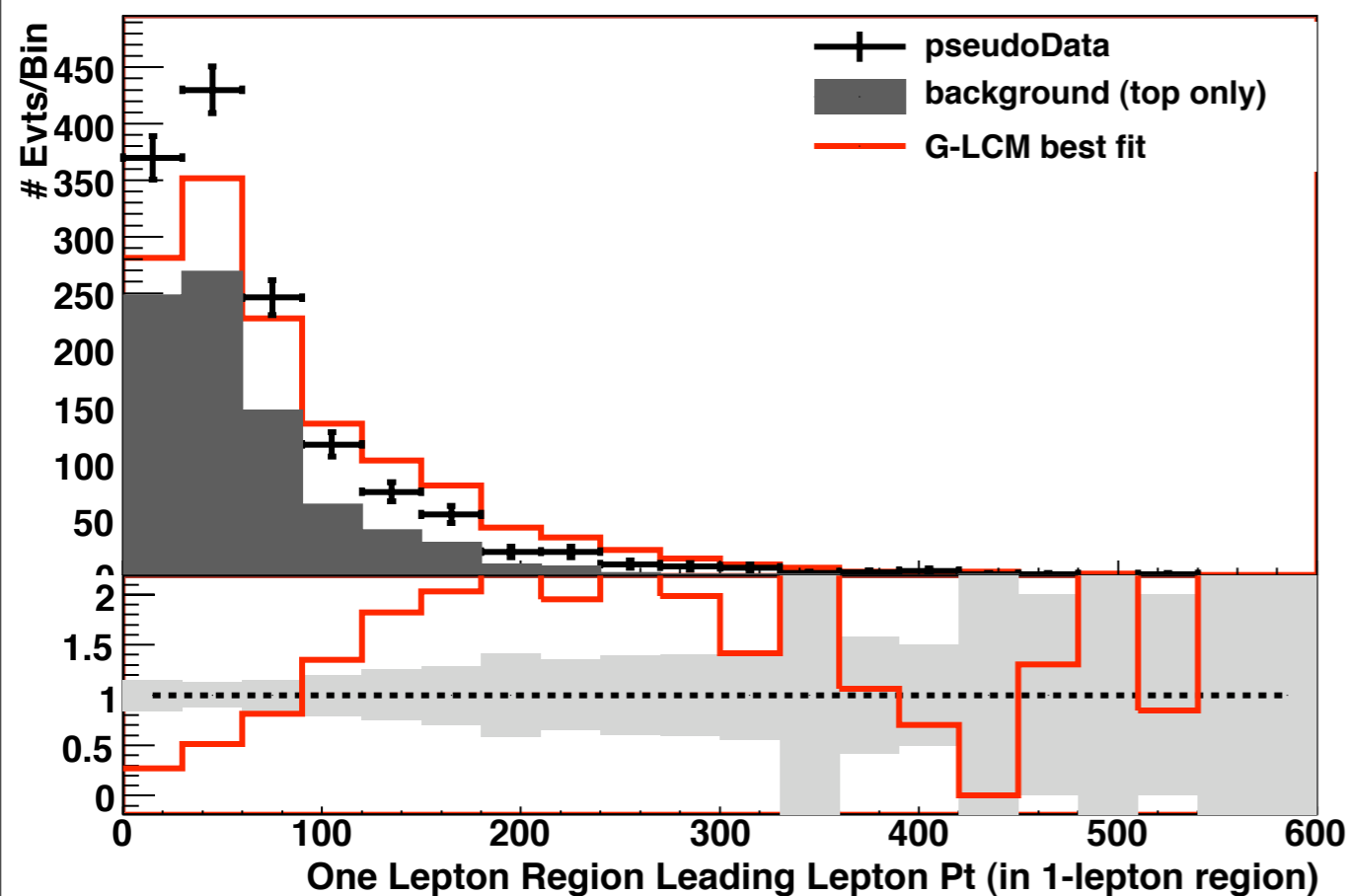
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Theorist's comparison

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Building Models from Simplified Models

Experimental comparison:

Simplified Model (Leptons)

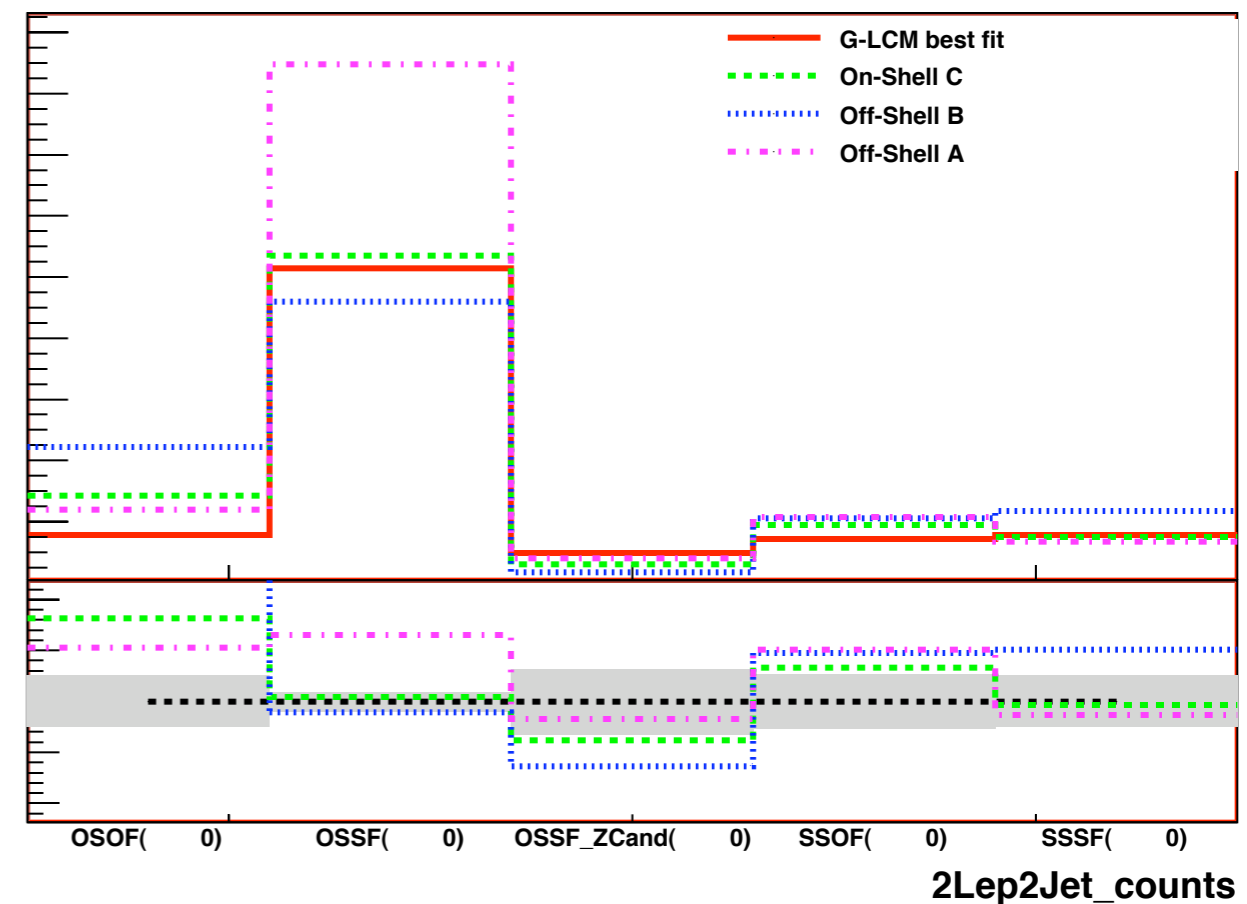
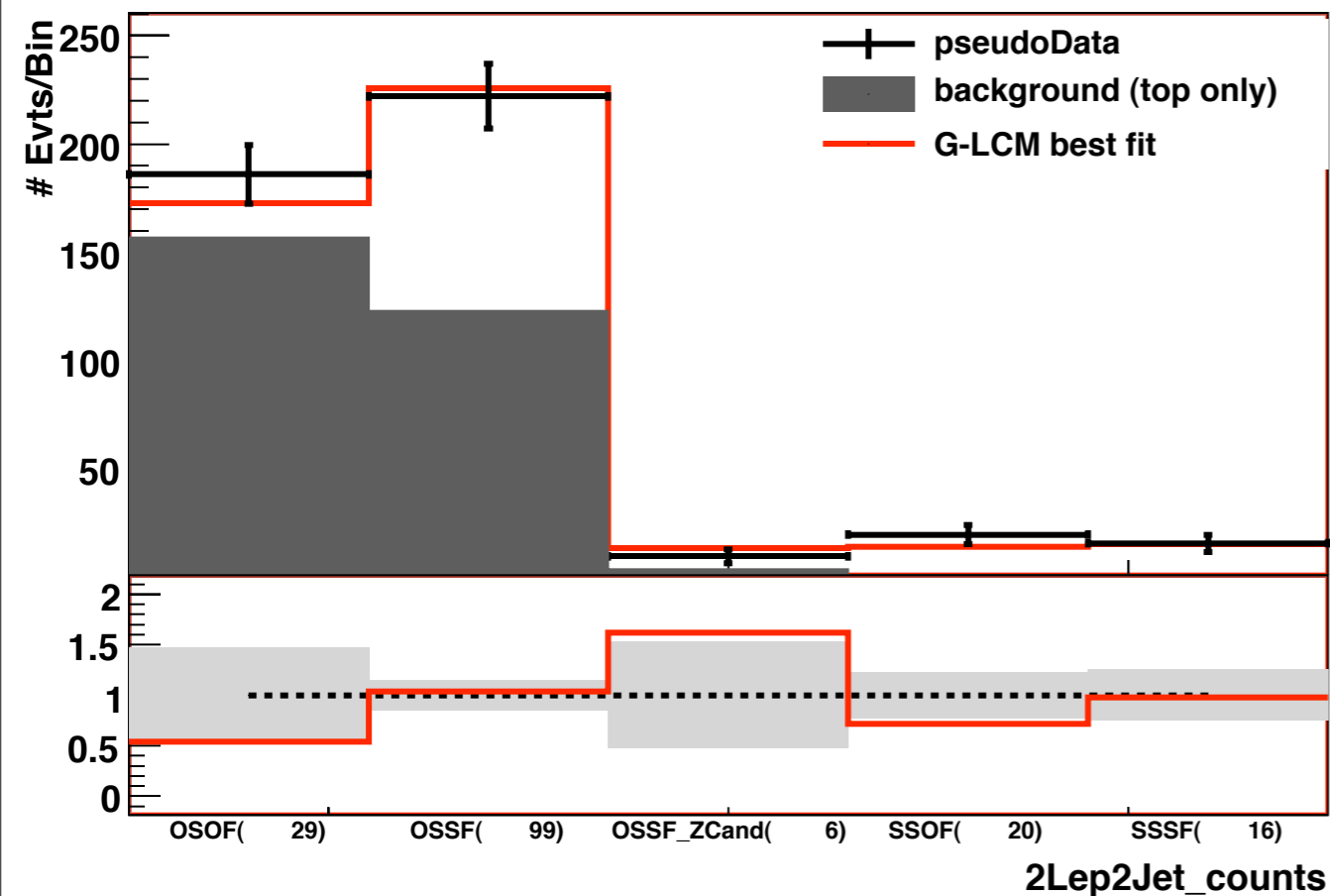
vs. Data

(shown over ttbar background)

Theorist's comparison

Simplified Model

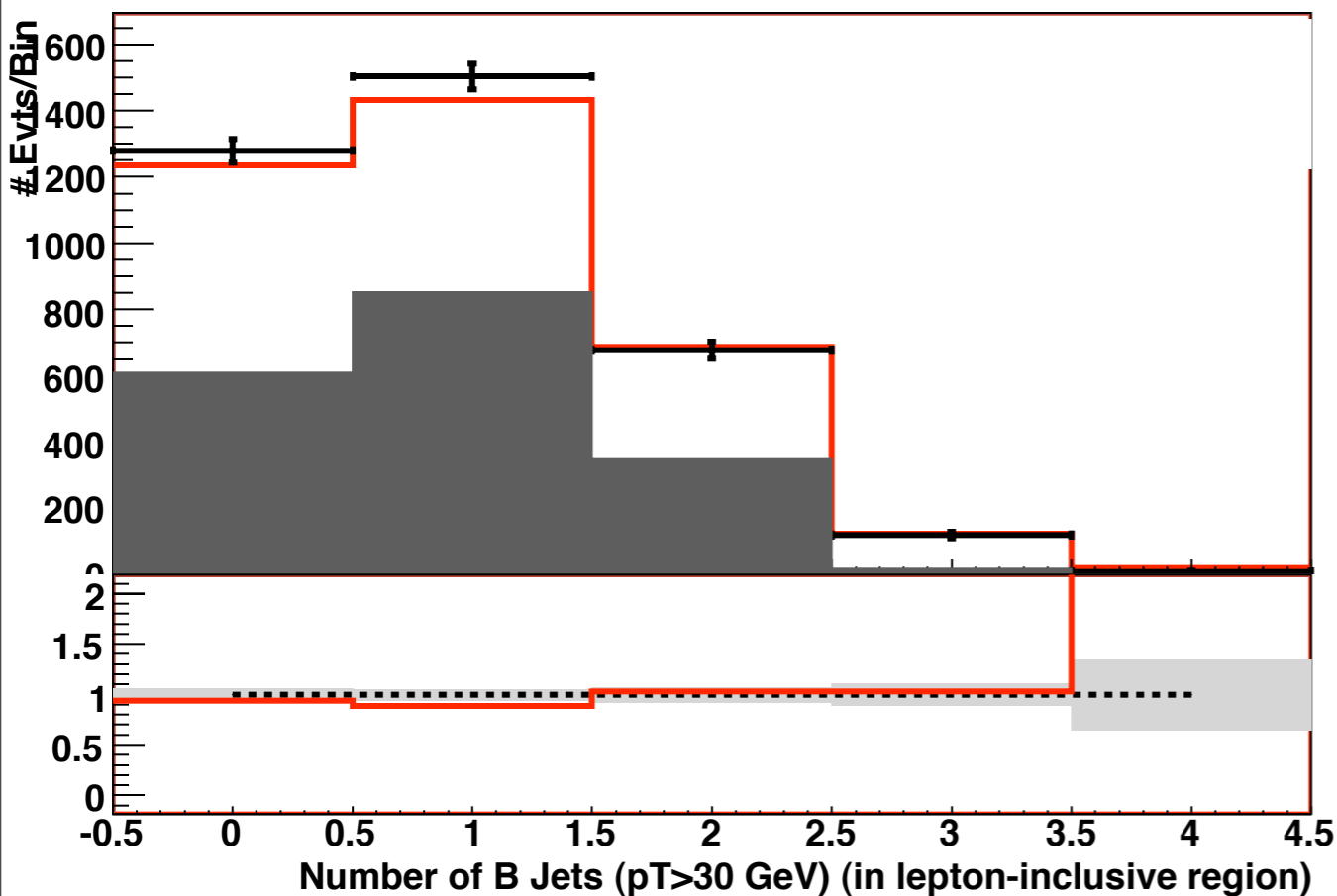
vs. 3 SUSY models



Building Models from Simplified Models

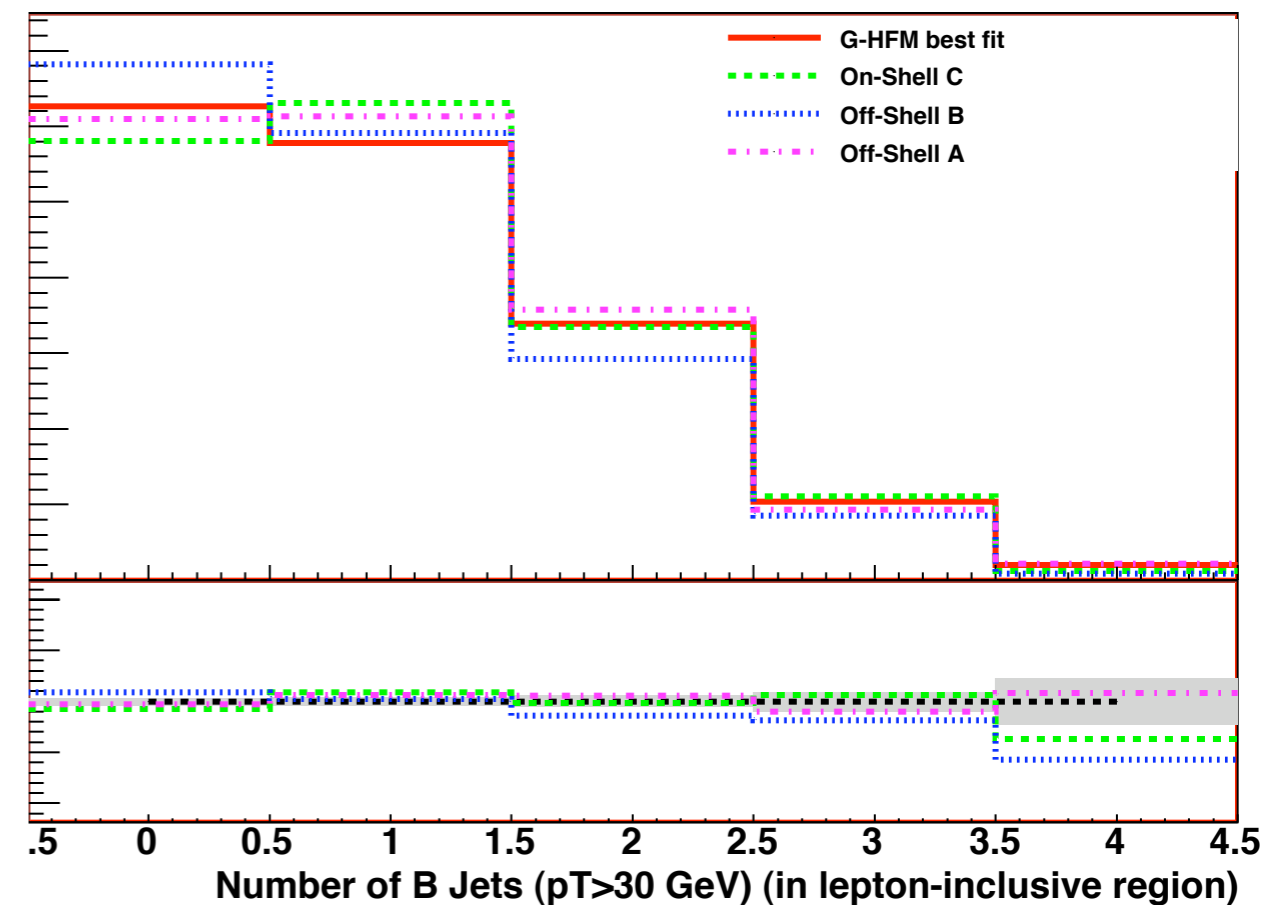
Experimental comparison:

Simplified Model (Heavy flavor)
vs. Data
(shown over $t\bar{t}b$ background)



Theorist's comparison

Simplified Model
vs. 3 SUSY models



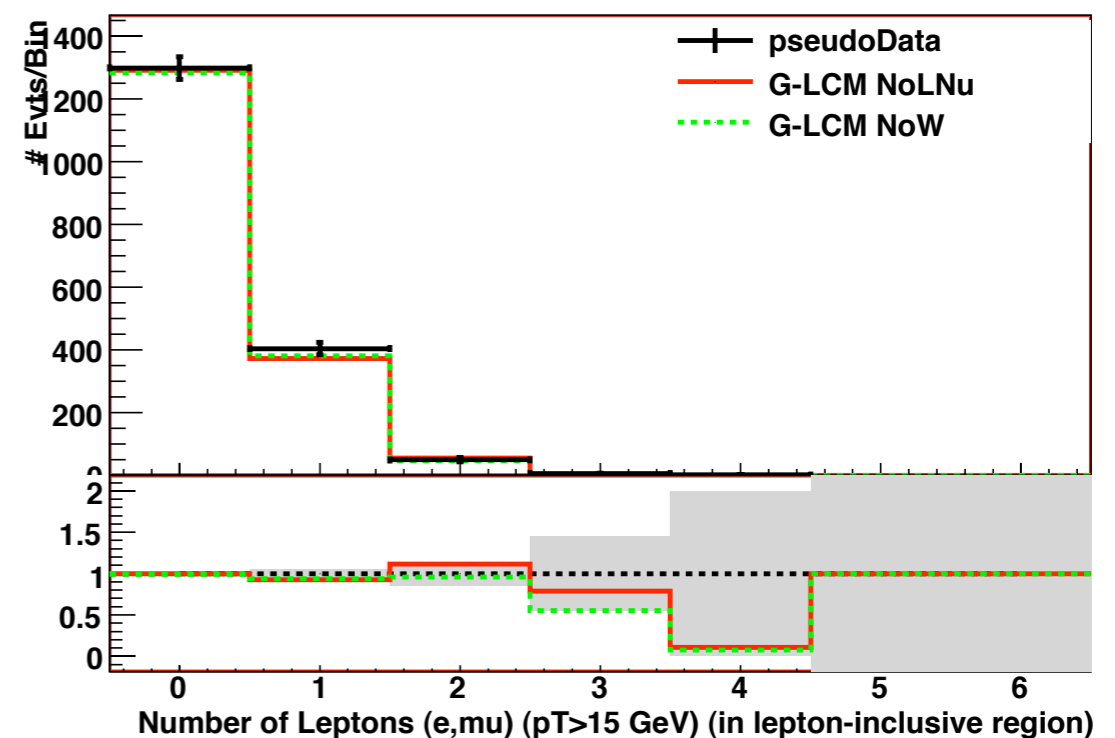
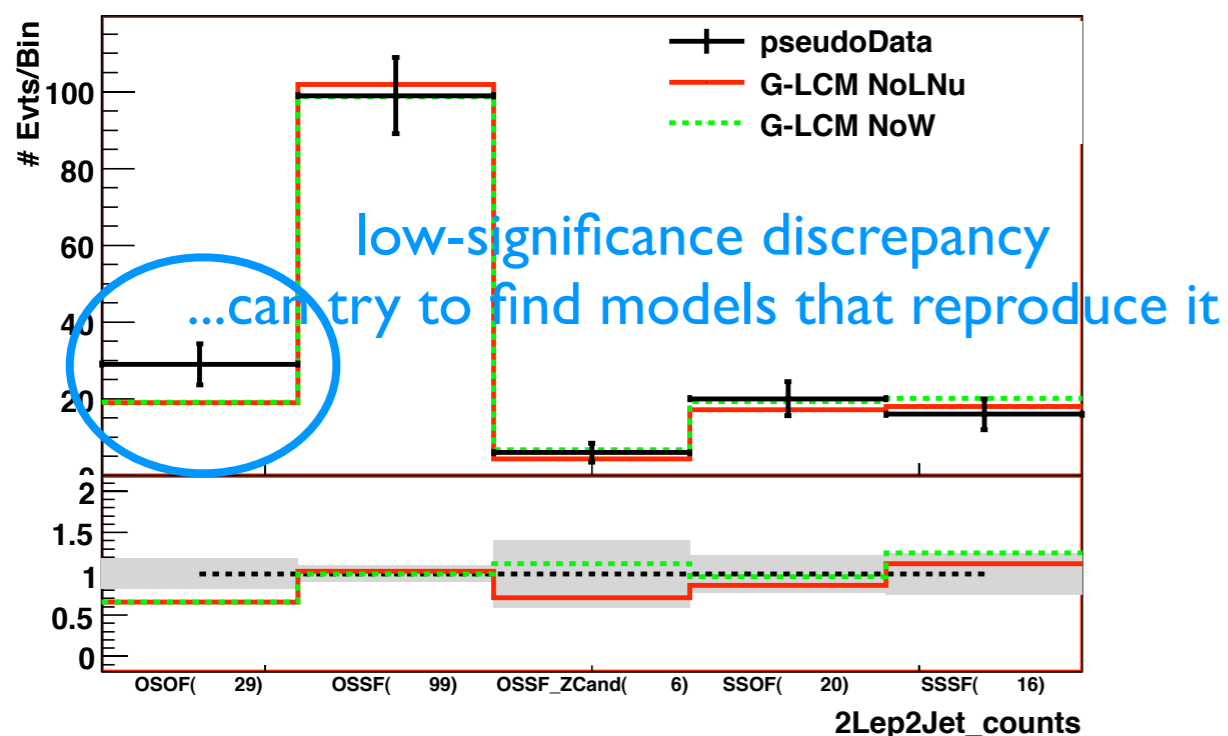
Constraining σ and BR's

Branching ratios well constrained by these counts (aside from the W/Lnu ambiguity):

	σ (pb)	B_{LSP}	B_W	B_Z	B_{II}	B_{IV}
Red	11.3	0.0	0.914	0.02	0.063	—
Green	13.1	0.613	—	0.03	0.052	0.30
\pm (**)	0.1	0.04	0.05	0.02	0.005	0.01

Masses:
Best fit to
kinematics, with LSP
fixed at 100 GeV

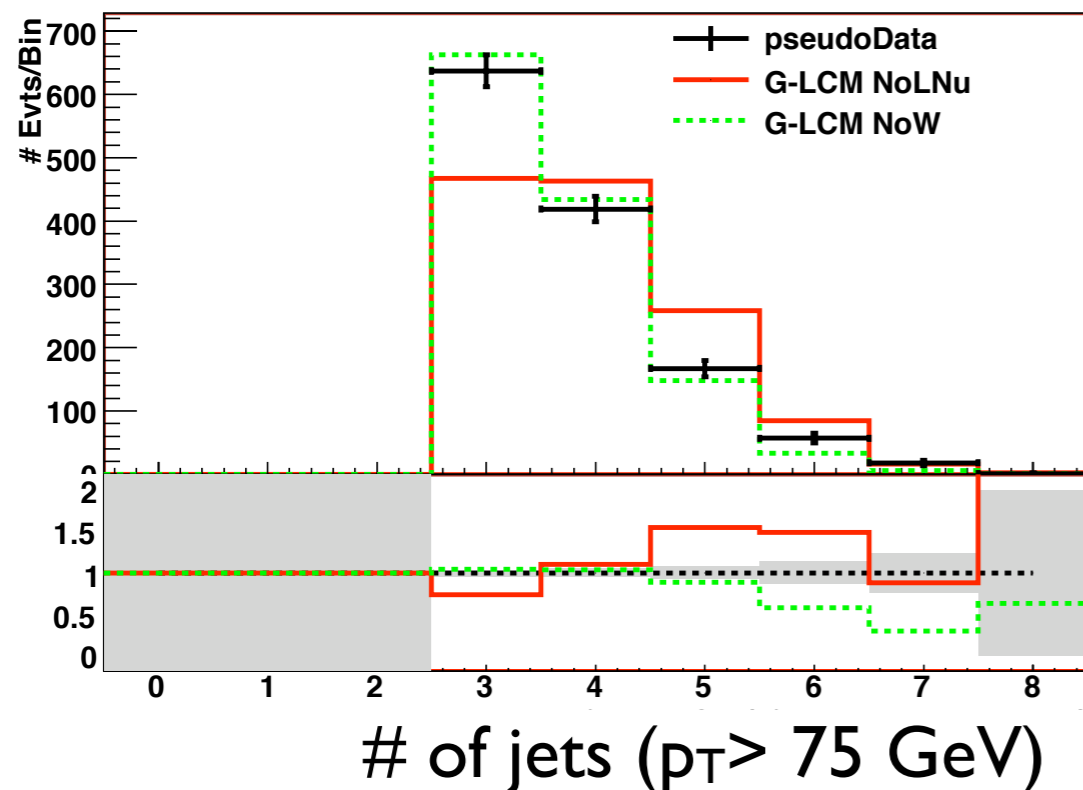
** Don't take these errors too seriously!! No backgrounds, etc.



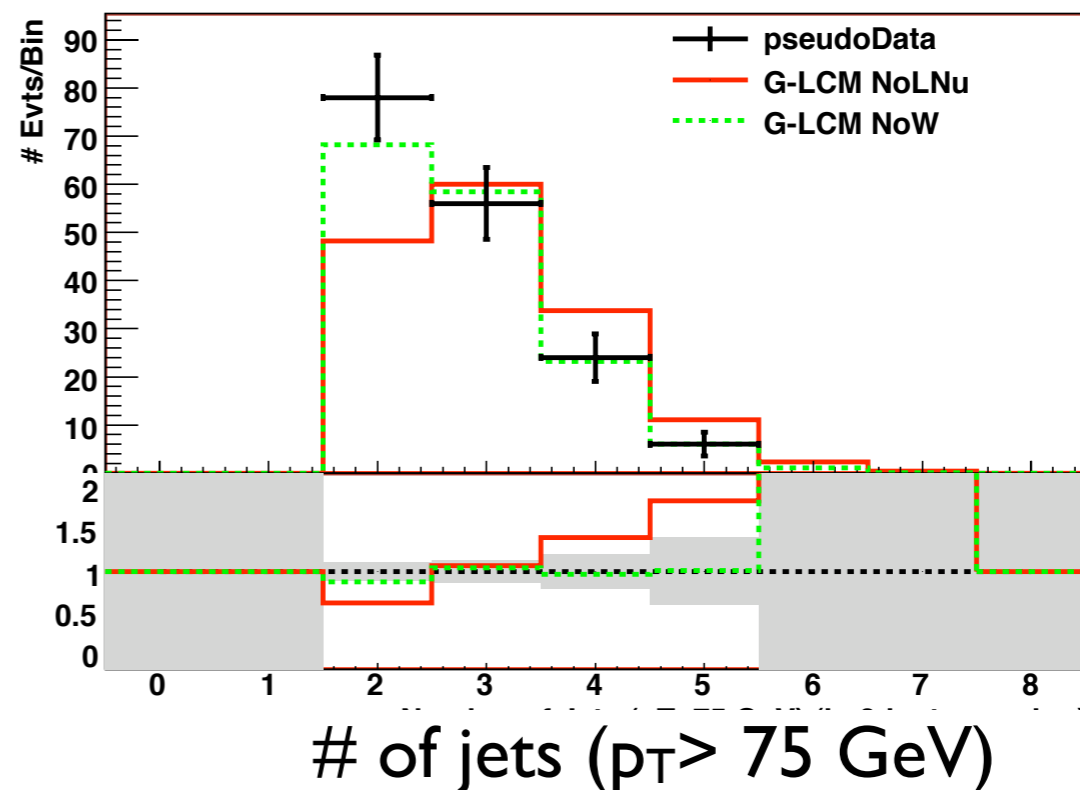
W vs Inu Modes

Within each of the two models (quark-partner or gluon-partner initiated), $W \leftrightarrow (l\nu + \text{direct})$ changes **jet multiplicities**, and **correlation with lepton counts**.

Lepton-veto region



2-Lepton region (different cuts)



(in some cases, lepton kinematics also constrains these fractions)

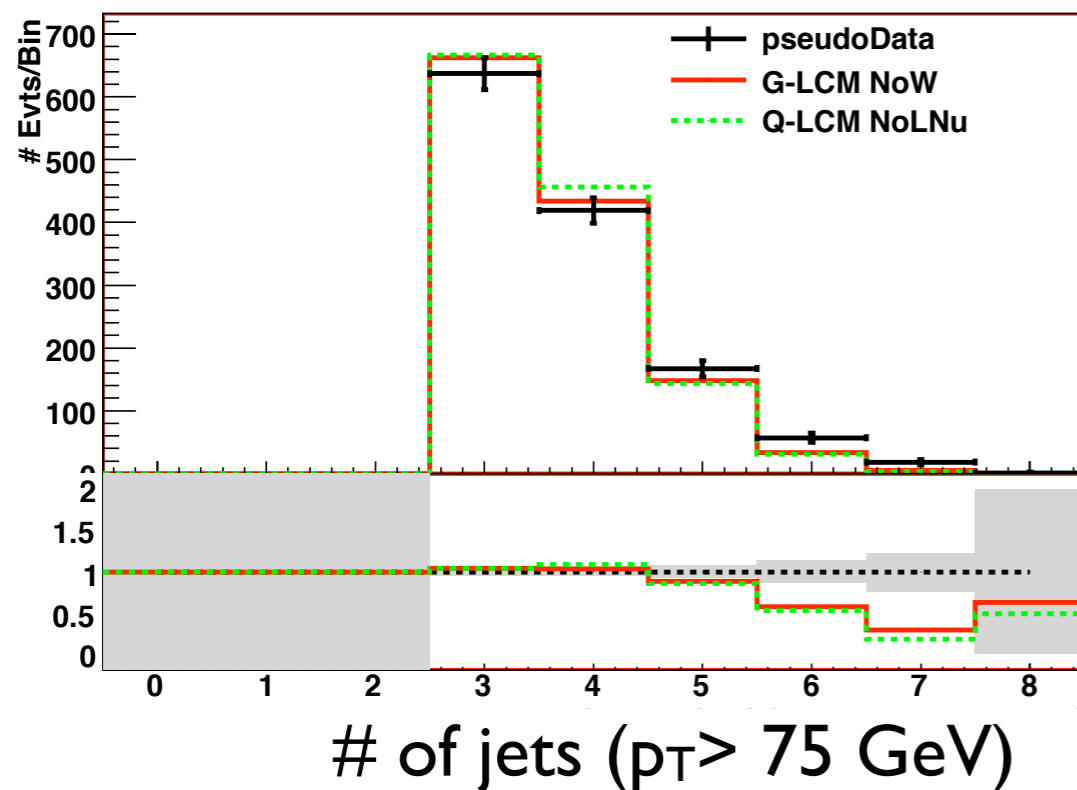
Comparing Gluon and Squark Partners

Two ways to get jet & lepton counts in simplified models:

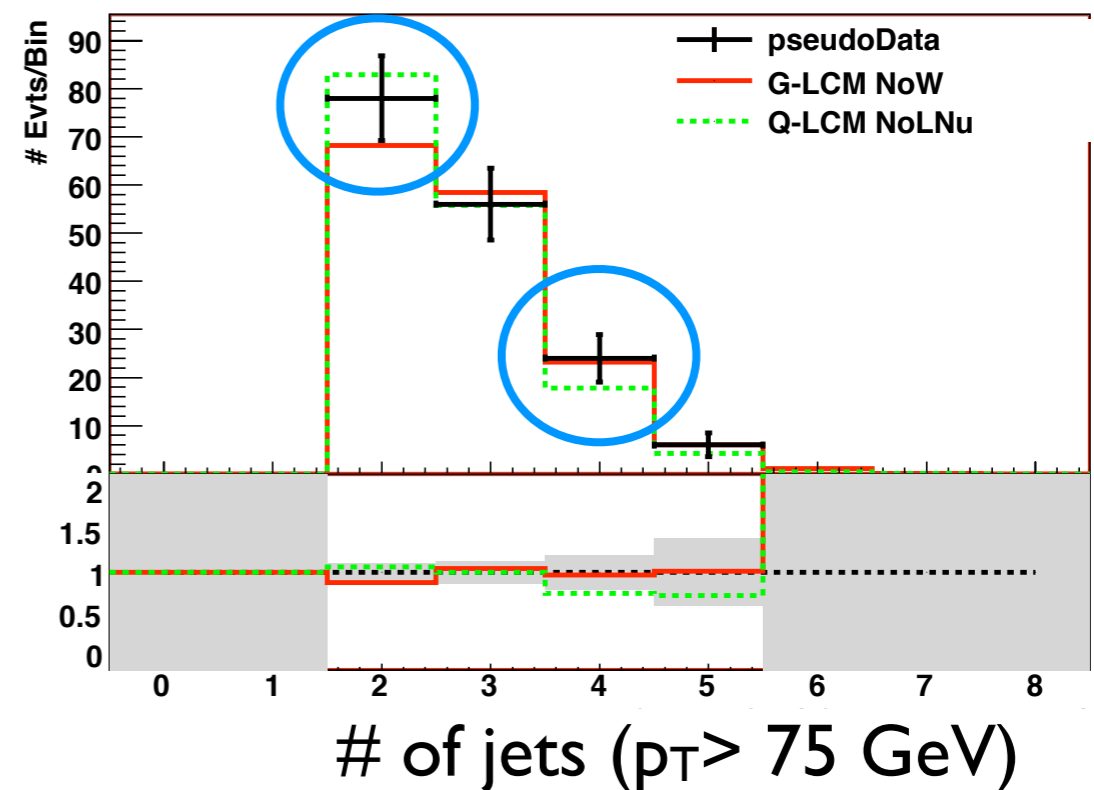
- quark partner decays to 1 jet with W's in cascades
- gluon partner decays to 2 jets with no hadronic W/Z in cascades

Real physics can interpolate between the two!

Lepton-veto region



2-Lepton region (different cuts)



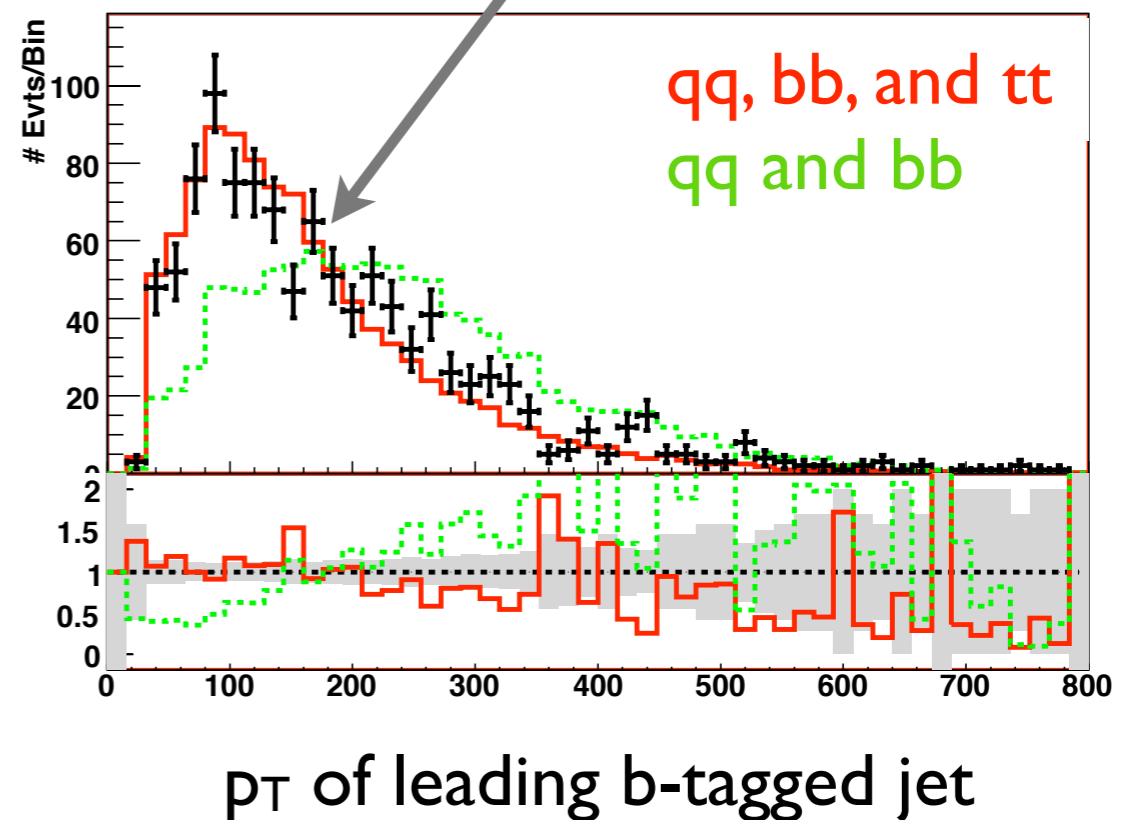
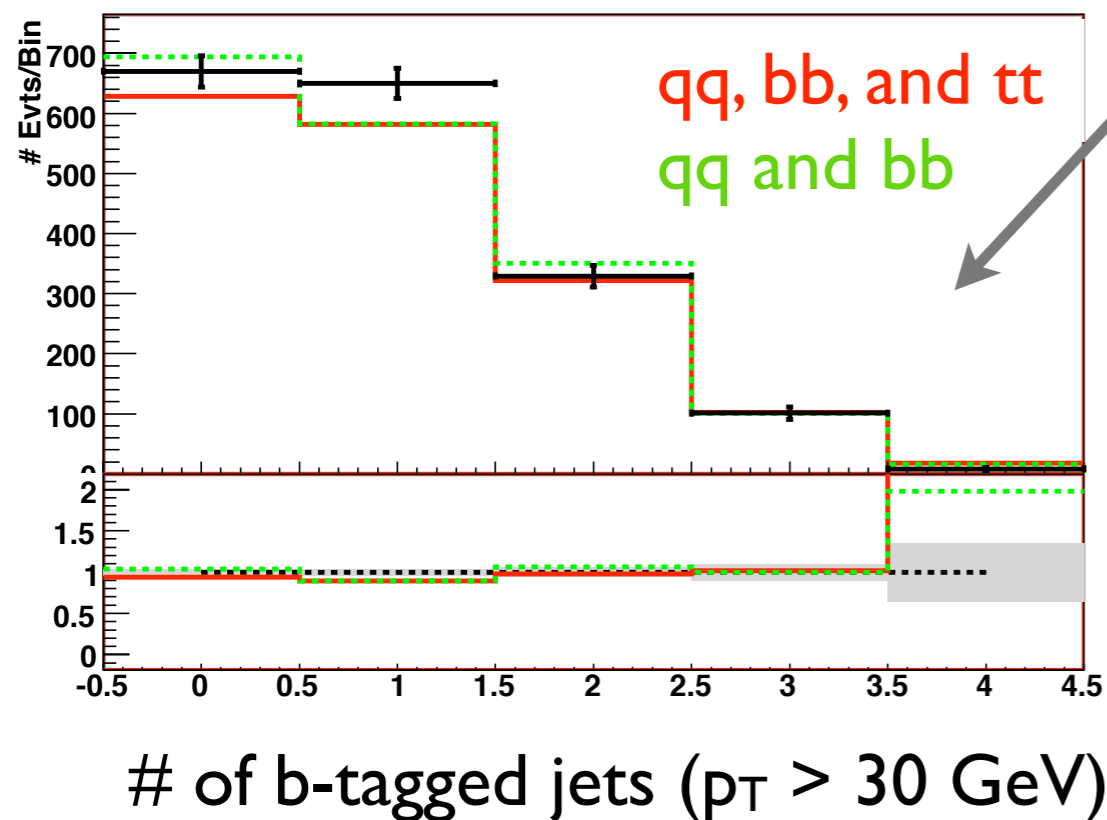
Models look different, but not distinguishable without more statistics!
Better observables also help.

Constraining σ and BR's

	σ (pb)	B_{qq}	B_{bb}	B_{tt}
Green	11.4	0.44	0.56	—
Red	11.4	0.33	0.03	0.64

Counts appear consistent with one pair-produced particle decaying to bb or q's (high heavy-flavor fraction)

b kinematics most consistent with top pairs

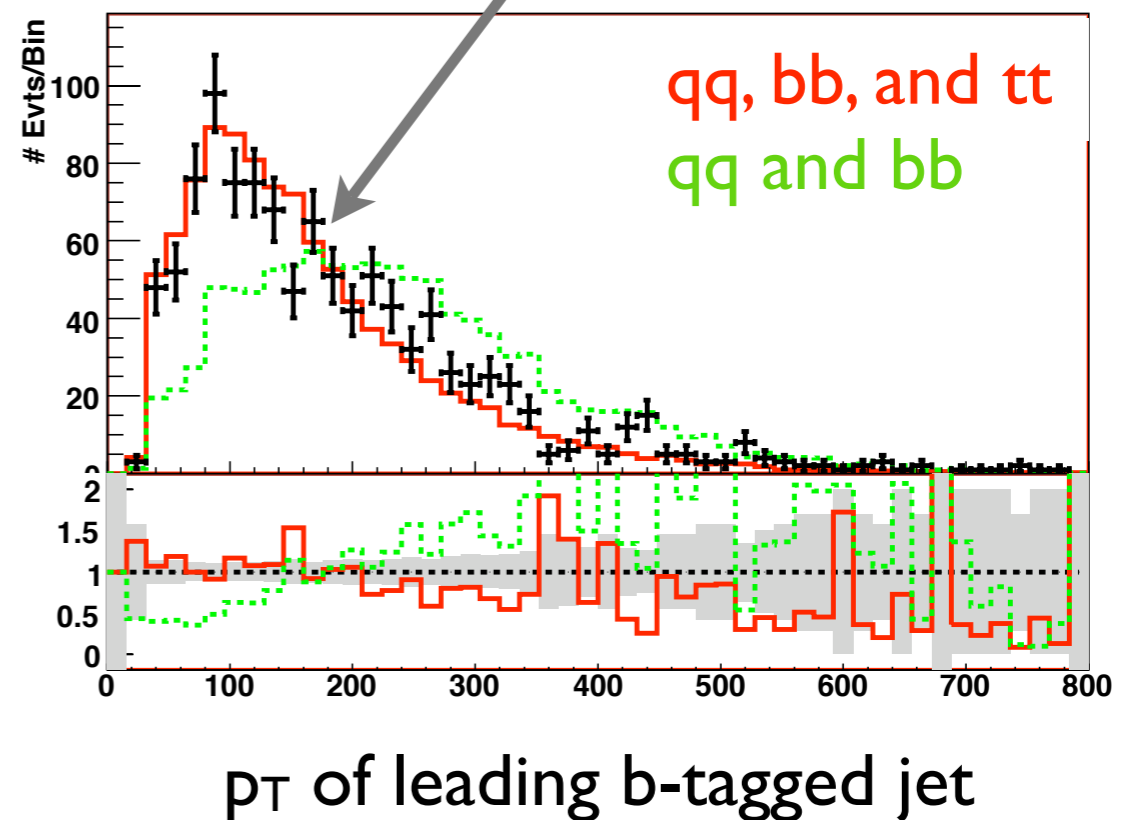
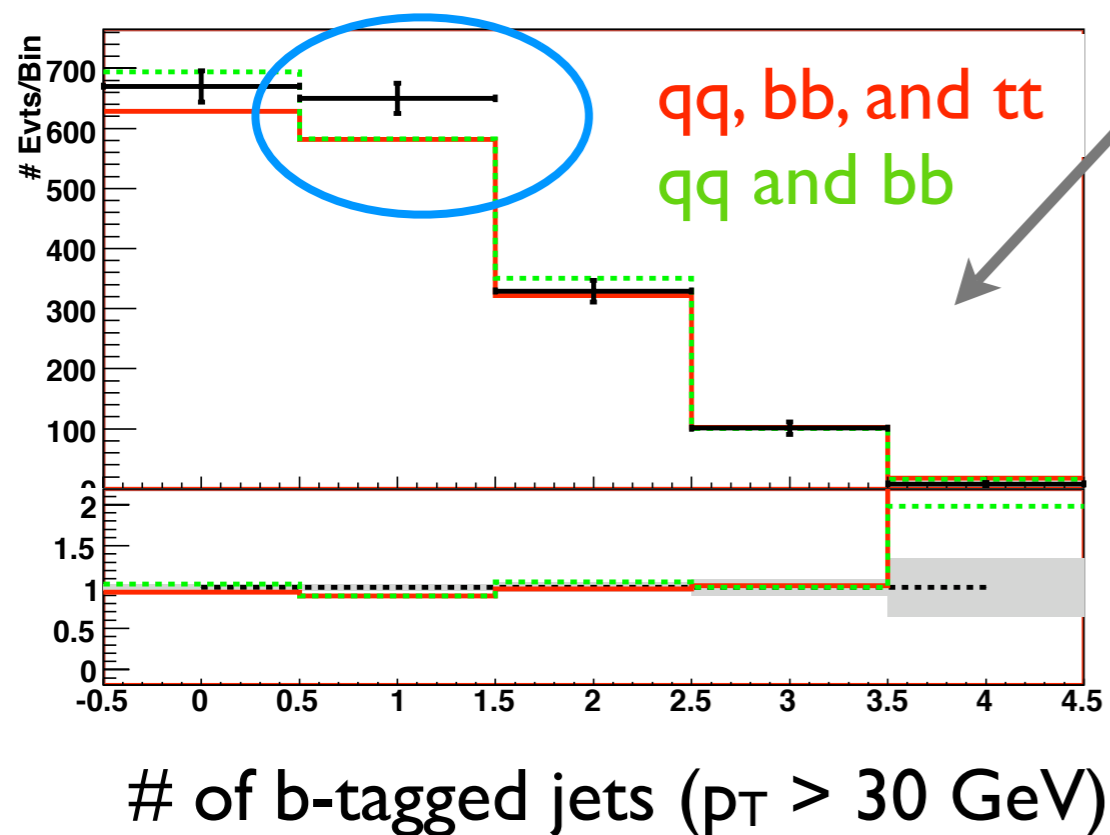


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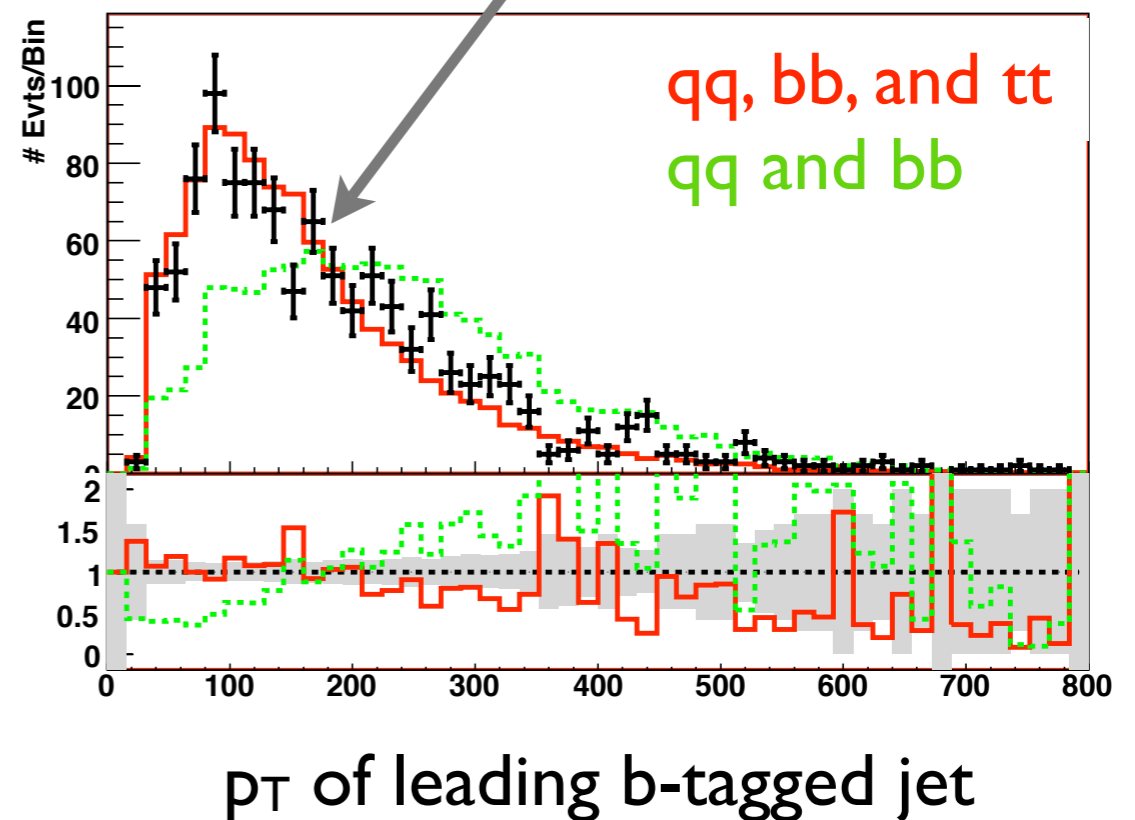
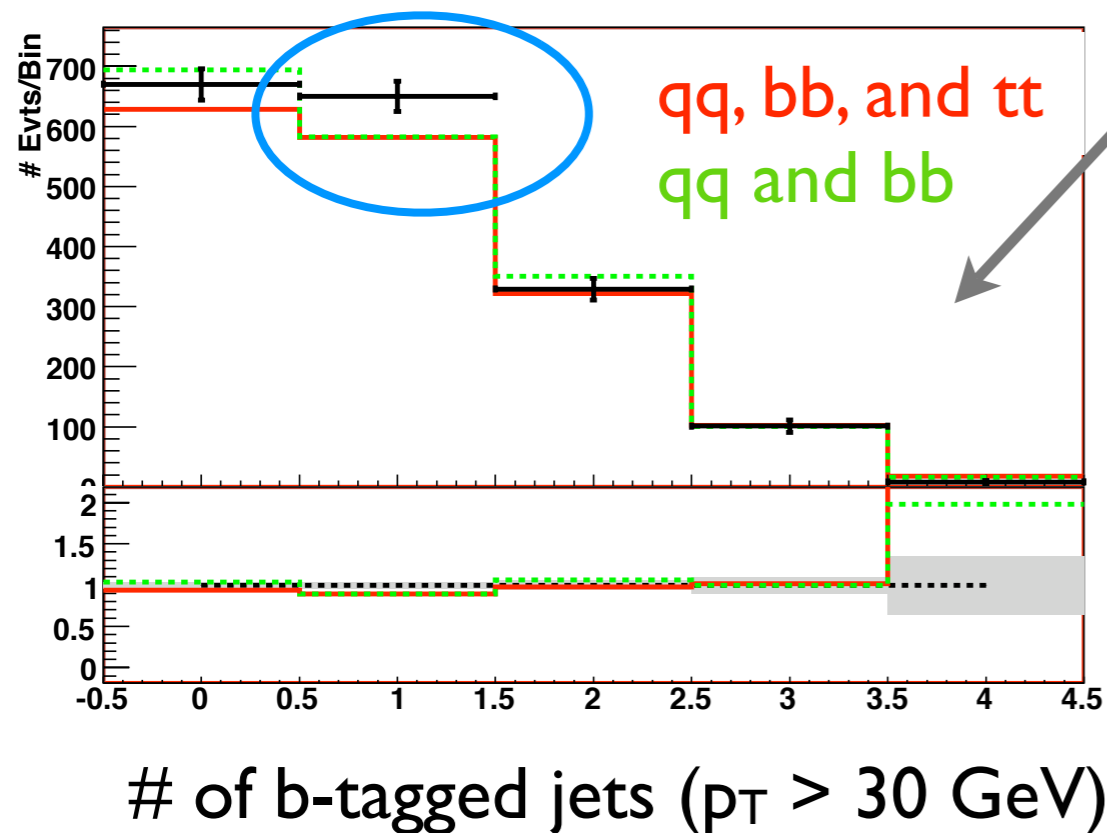


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Weak deviation suggestive of additional 2b source that does not also imply 4b (e.g. in SUSY – top squark direct production, gluino-squark assoc. production)